



Nonadiabatic dynamics in the long timescale

**The next challenge in computational
photochemistry**

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Methods

Mixed quantum-classical
dynamics



Software

NEWTON-X
ULAMDYN
PYSOC



Applications

Photoprocesses in

- Fundamental PhysChem
- Molecular biology
- Organic devices
- Environment

The Light and Molecules Group

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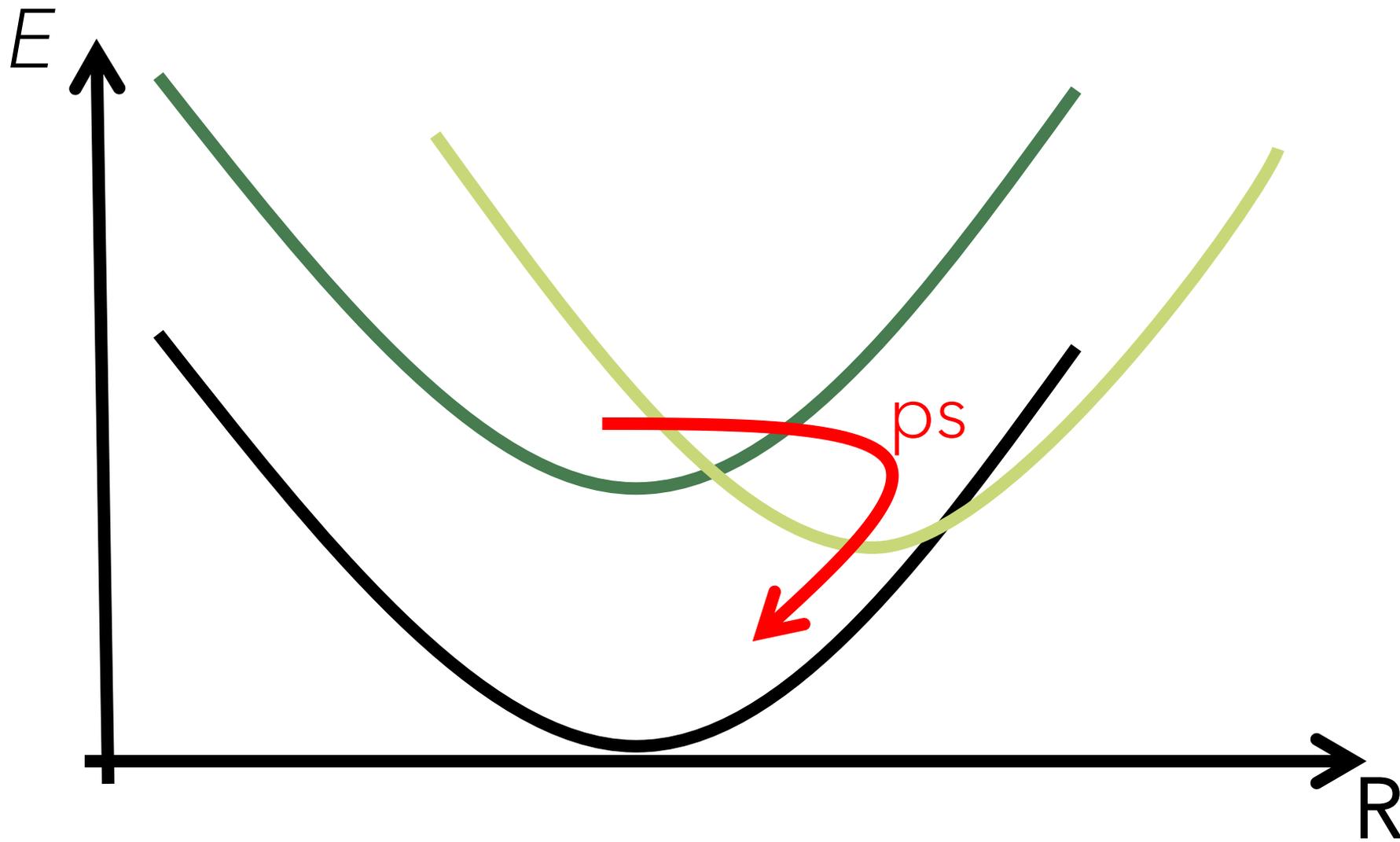
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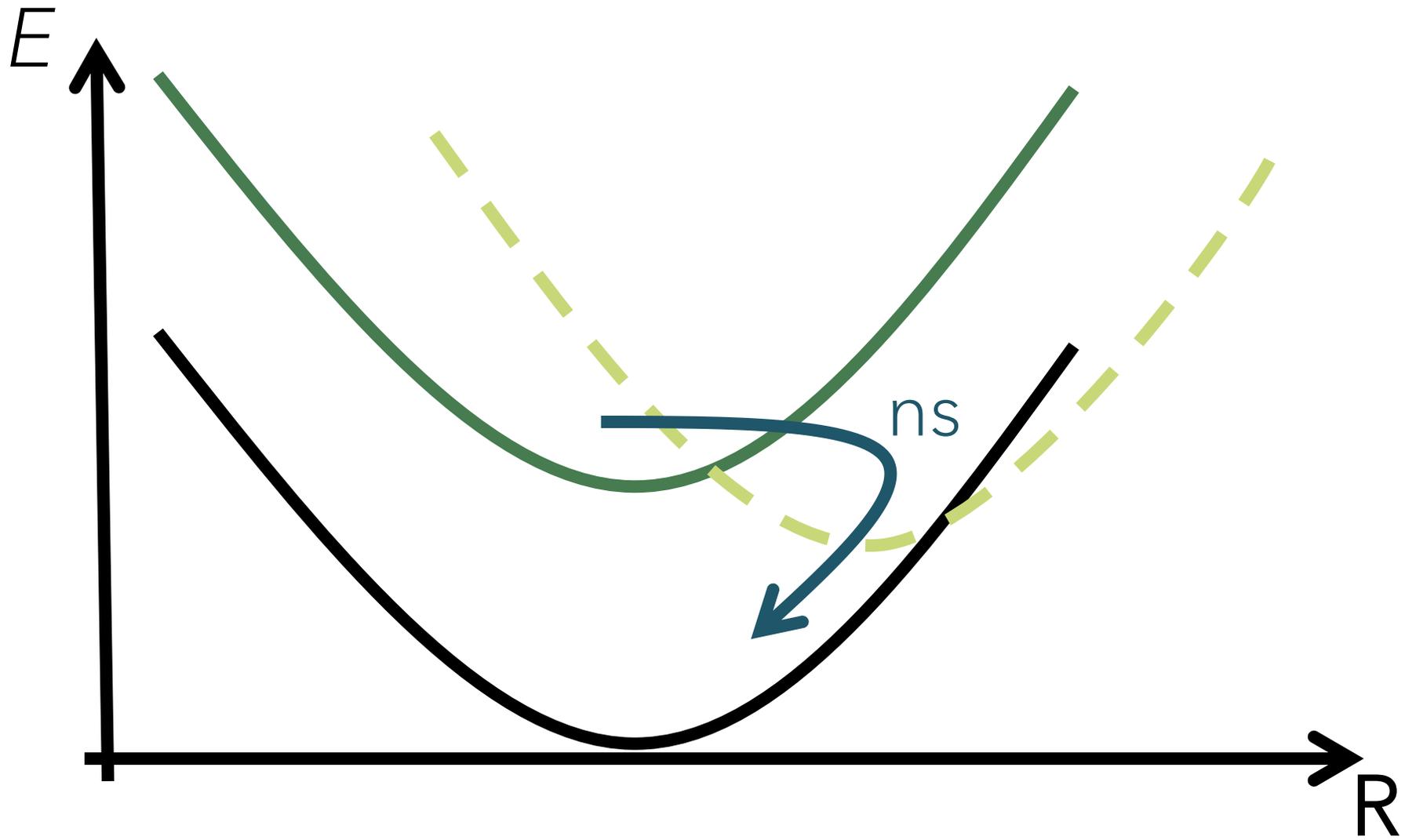
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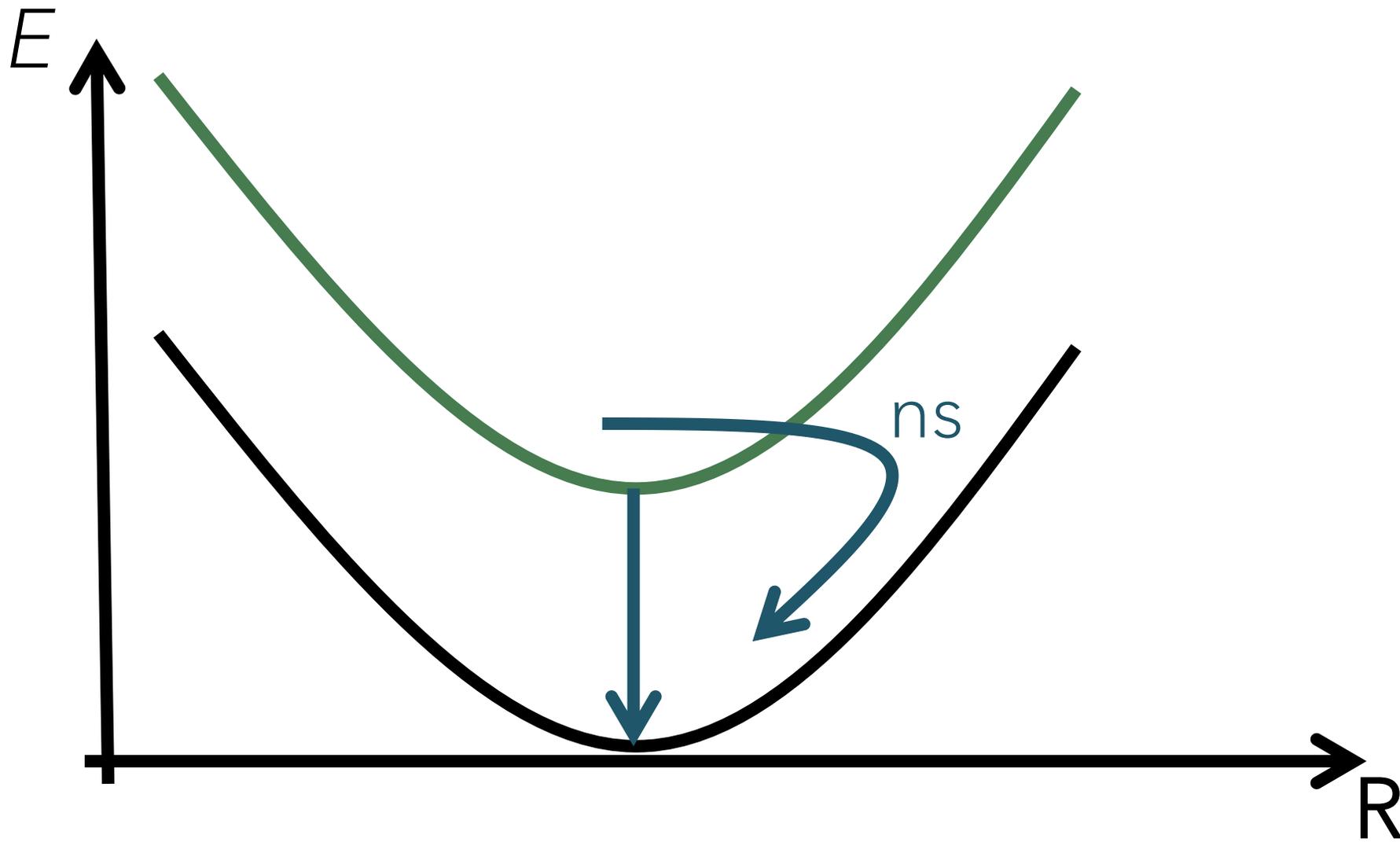
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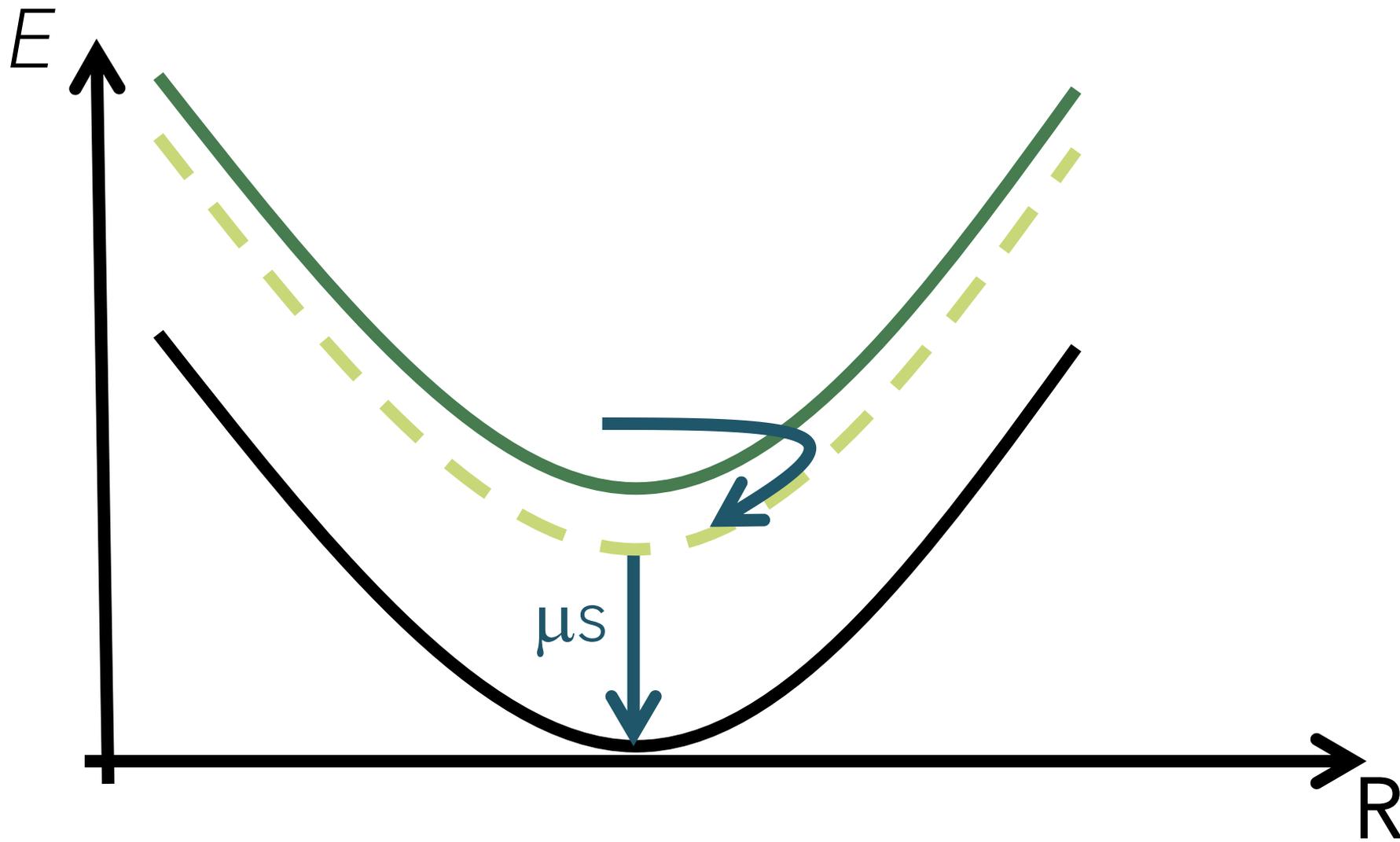
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- Akimov. *J Phys Chem Lett* **2017**, 8, 5190
- Westermayr et al. *Chem Sci* **2019**, 10, 8100
- Barbatti. *JCTC* **2020**, 16, 4849
- Li et al. *Chem Sci* **2021**, 12, 5302
- Mukherjee et al. *Philos Trans R Soc A* **2022**, DOI: 10.1098/rsta-2020-0382

**What do we want from a
long timescale method?**

What do we want from a long timescale method?

- It should consider all nuclear degrees of freedom
- It can be applied to any type of molecule
- It should not require much more computational resources than we use today

The primary advantage of dynamics is to reveal non-trivial reaction pathways, beyond our chemical intuition.

It loses this edge in reduced dimensionality.

Mixed quantum-classical methods are the best options for nonadiabatic, full dimensional dynamics.

What do we want from a long timescale method?

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- ☑ It can be applied to any type of molecule
- ☑ It should not require much more computational resources than we use today

Dynamics is expensive

$$T_{total} \approx N_{\text{Trajectories}} \times N_{\text{Single Points}} \times T_{\text{Single Point}}$$

$N_{\text{Single Points}} = \frac{\tau_{\text{chem process}}}{\Delta\tau}$

$$N_{\text{Trajectories}} = 100 \text{ trajectories}$$

$$T_{\text{Single Point}} = 0.1 \text{ CPU.h}$$

$$\tau_{\text{chem process}} = 0.5 \text{ ns}$$

$$\Delta\tau = 0.5 \text{ fs}$$

$$T_{total} \approx 10 \text{ MCPU.h}$$

$$\text{Price 1 CPU.h} = 0.02 \text{ €}$$

$$\text{Price 10 MCPU.h} = 200 \text{ k€}$$

How much does dynamics cost? tinyurl.com/dyncost

How many trajectories should we run? tinyurl.com/trajs

Dynamics leaves a huge carbon footprint

1 CPU.h = 4×10^{-5} tCO₂e

10 MCPU.h = 400 tCO₂e

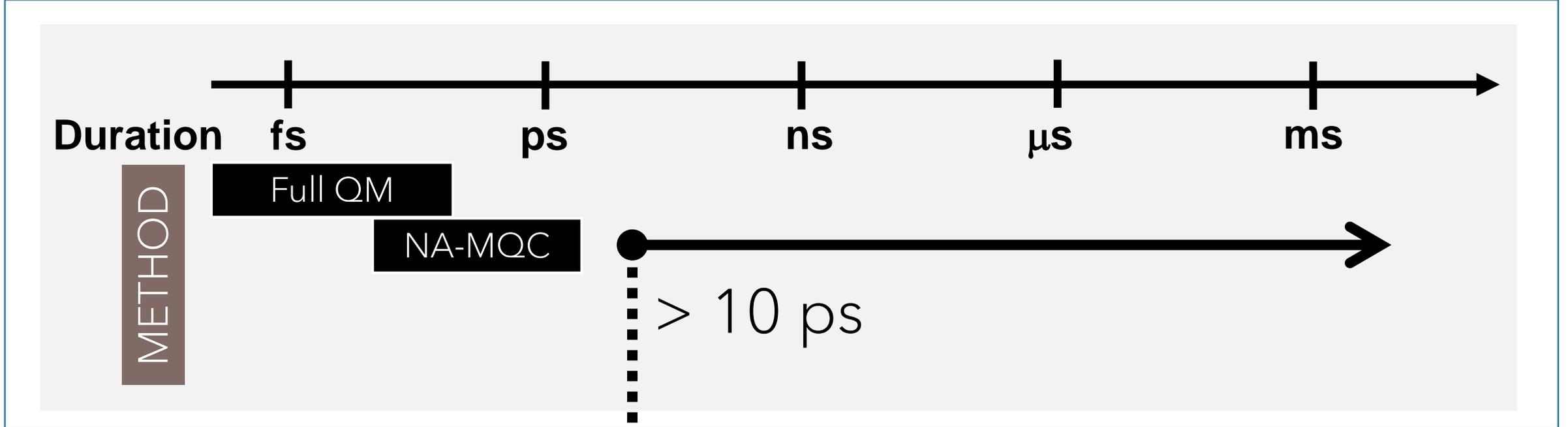


11.5 tCO₂e/year



35 French people

**What is a *long timescale*
anyway?**



$$> 10 \text{ ps} / 0.1 \text{ fs} = 100,000 \text{ time steps}$$

Characteristic timestep

$$\Delta\tau = \frac{1}{10} \min \left[\sqrt{\frac{|\Delta R_{ij}|}{|\Delta a_{ij}|}} \right]$$

Characteristic timestep

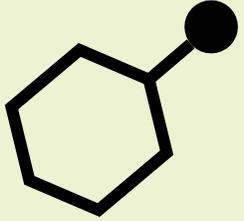
$$\Delta\tau = \frac{1}{10} \min \left[\sqrt{\frac{|\Delta R_{ij}|}{|\Delta a_{ij}|}} \right]$$

Hamonic oscillator

$$\Delta\tau = \frac{1}{20\pi f}$$

Gravitational motion

$$\Delta\tau = \frac{1}{10} \min \left[\sqrt{\frac{\Delta R^3}{GM}} \right]$$



$$\Delta\tau = \frac{1}{20\pi f}$$

$$f = 3000 \text{ cm}^{-1}$$

$$\Delta\tau \approx 0.1 \text{ fs}$$
$$\tau > 10 \text{ ps}$$



$$\Delta\tau = \frac{1}{20\pi f}$$

$$f = 1 \text{ Hz}$$

$$\Delta\tau \approx 0.01 \text{ s}$$
$$\tau > 16 \text{ min}$$



$$\Delta\tau = \frac{1}{10} \text{ min} \left[\sqrt{\frac{\Delta R^3}{GM}} \right]$$

Earth orbital motion

$$\Delta\tau \approx 100 \text{ h}$$
$$\tau > 1100 \text{ years}$$

How to get there?

Challenges we must face

- Extreme cost reduction
- Stability of integration
- Accuracy of MQC methods
- Software optimization

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Challenges we must face

- Extreme cost reduction
 - Parameterized quantum chemistry
 - Model Hamiltonians
 - Machine learning potentials

Excited-state parameterized methods:

- FOMO-CI (Persico, Granucci)
- OM2-MRCI (Thiel)
- TD-SCF (Tretiak et al.)
- TD-DFTB (Niehaus, Mitrić)
- TD-KS (Akimov, Prezhdo)

They are fast, general, and full dimensional.

However, accuracy and parameterization pose serious issues.

Challenges we must face

- Extreme cost reduction
 - Parameterized quantum chemistry
 - Model Hamiltonians
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Example: Adiabatic Spin-Boson Hamiltonian (SBH)

Energies

$$V_i = \frac{1}{2} \sum_{j=1}^N M_j \omega_j^2 R_j^2 + (-1)^i \left[\eta^2 + v_0^2 \right]^{1/2} \quad (i = 1, 2)$$

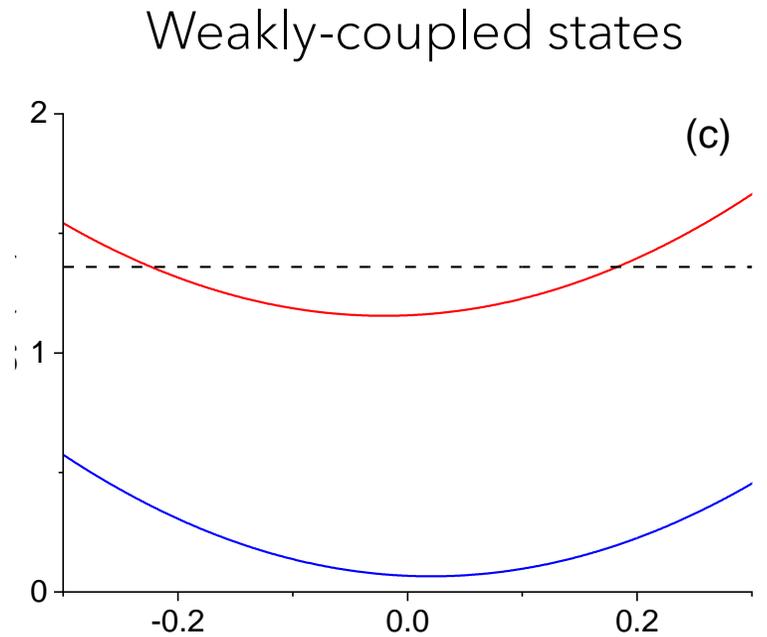
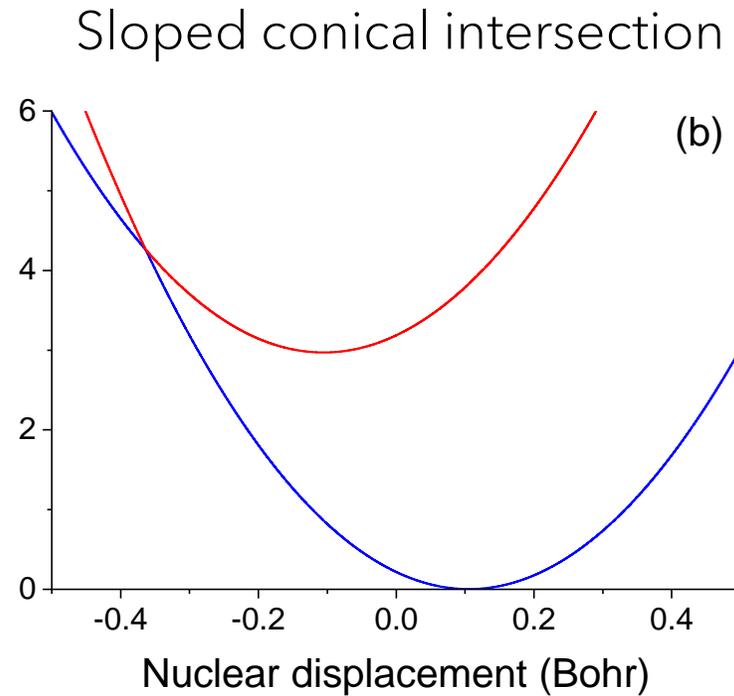
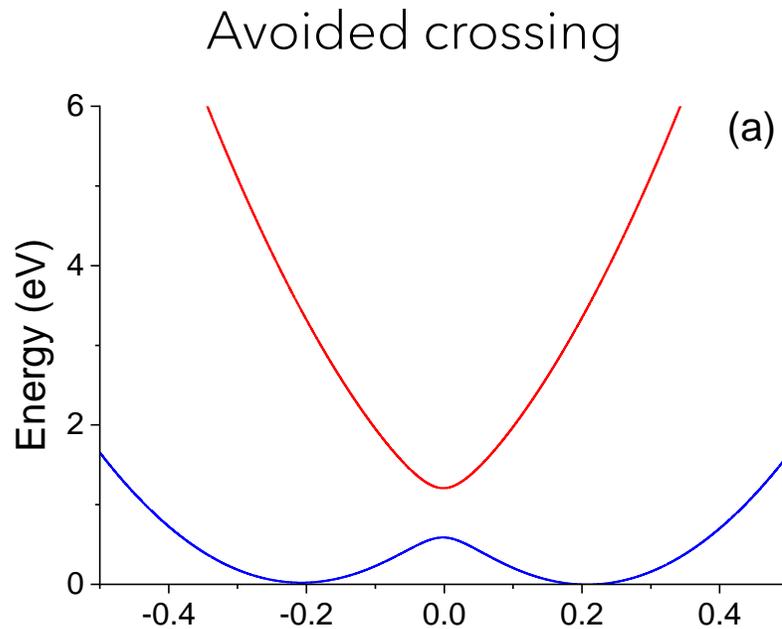
Energy gradients

$$\frac{\partial V_i}{\partial R_k} = M_k \omega_k^2 R_k + (-1)^i g_k \left[\frac{\eta}{\left[\eta^2 + v_0^2 \right]^{1/2}} \right] \quad (k = 1 \cdots N)$$

Nonadiabatic couplings

$$h_{12}^k = -h_{21}^k = -\frac{1}{2} g_k \left[\frac{v_0}{\eta^2 + v_0^2} \right]$$

1D cut of different SBH models



Full dimensional H-models $[(3N_a-6)D]$

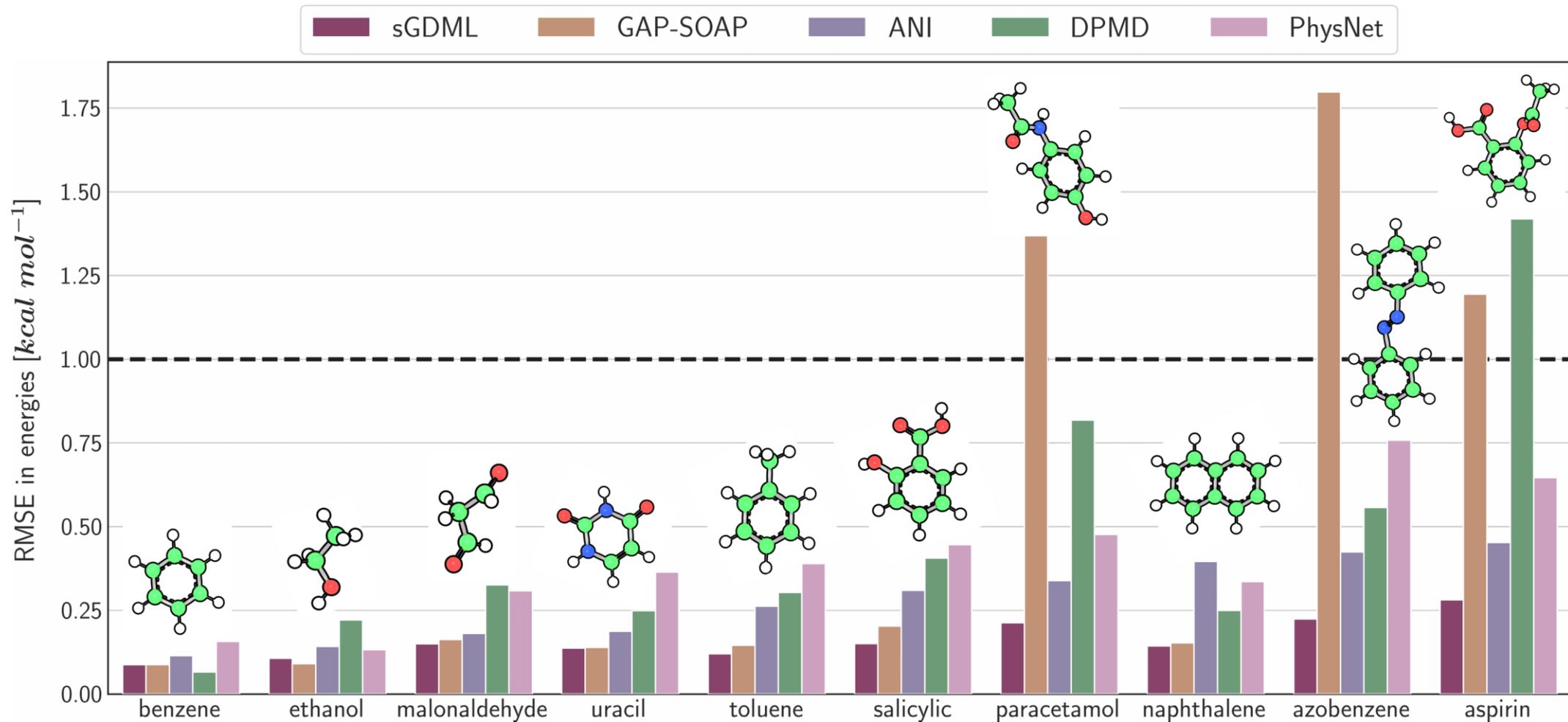
H Model	# states	# parameters	Pros	Cons
SBH	2	$2(3N_a-5)$	Analyt. adiabatic rep.	Low flexibility
LVC	N_s	$(3N_a-6)N_s(N_s+1)/2$	Number of states	Parameterization
...				

SBH: Leggett et al. *Rev Mod Phys* **1987**, 59, 1

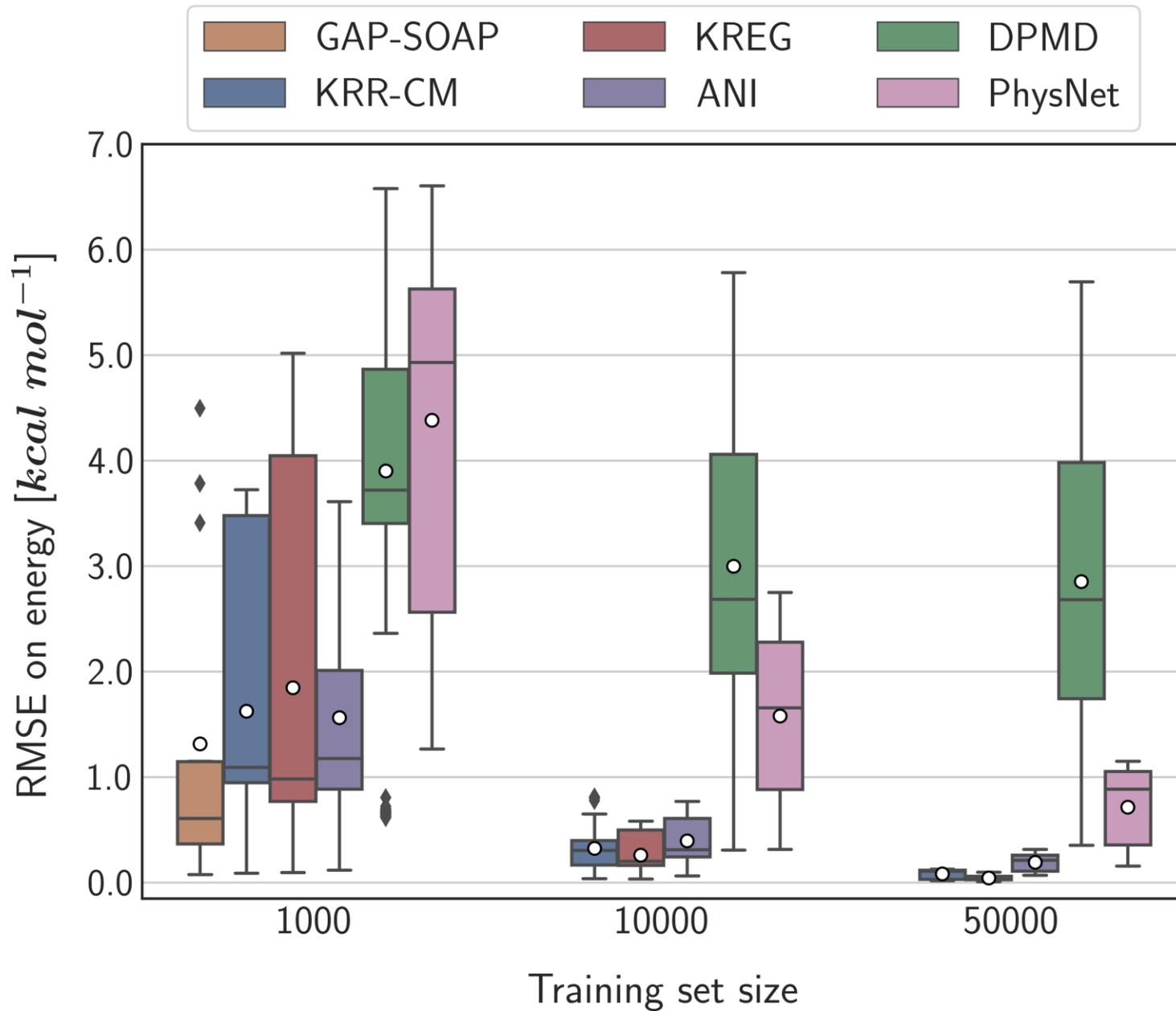
LVC: Koppel; Domcke; Cederbaum. *Adv Chem Phys* **1984**, 57, 59

Challenges we must face

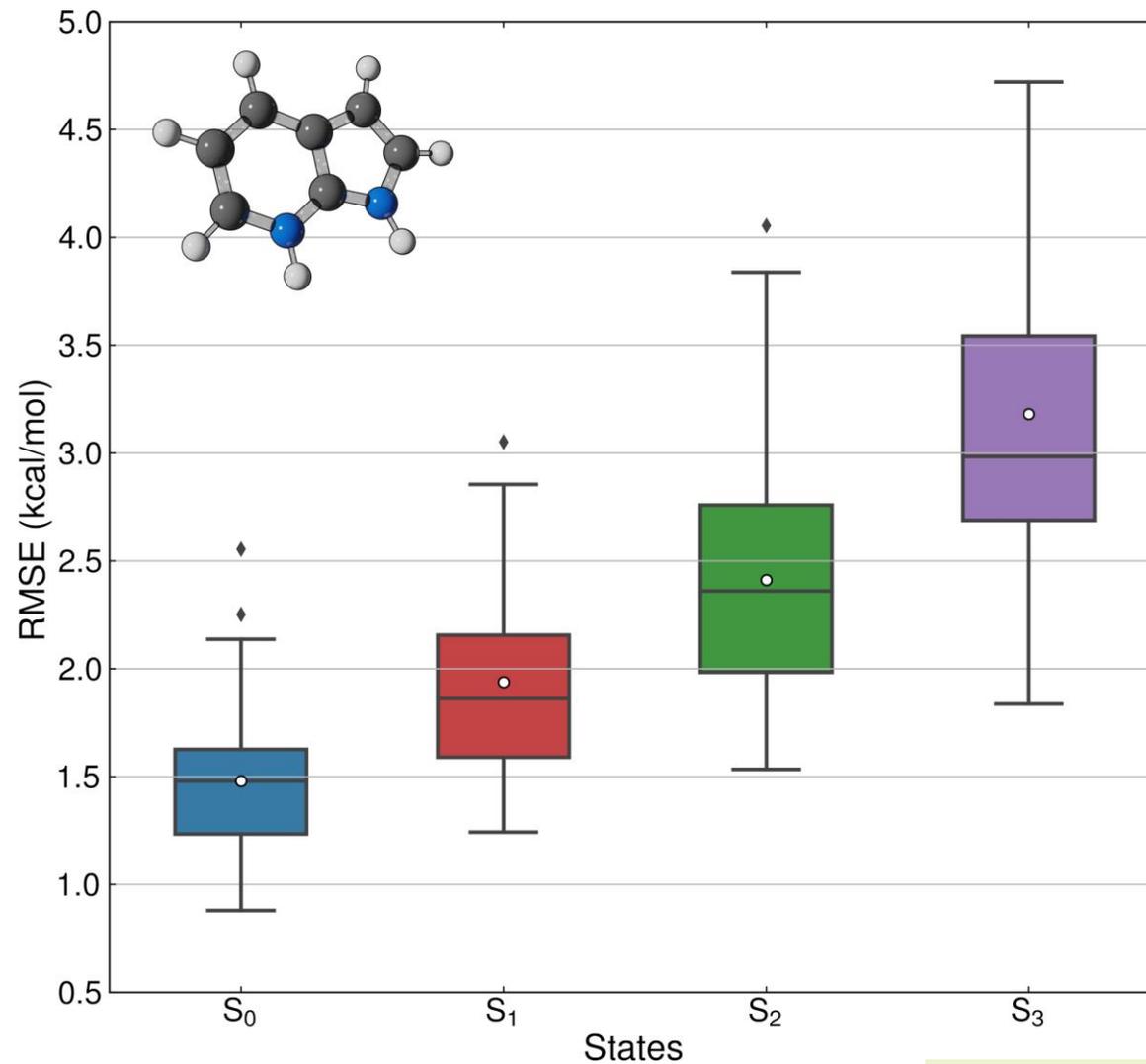
- Extreme cost reduction
 - ☑ Parameterized quantum chemistry
 - ☑ Model Hamiltonians
 - ☑ Machine learning potentials



- MD17 Database
- Energy + Force
- $N_{train} = 1k$; $N_{model} = 20$; $N_{test} = 20k$



- MD17 Database
- Energy only
- $N_{test} = 20k$



- RI-ADC(2)/cc-pVDZ
- DC-FSSH: 50 traj; 0.5 fs; 300 ps

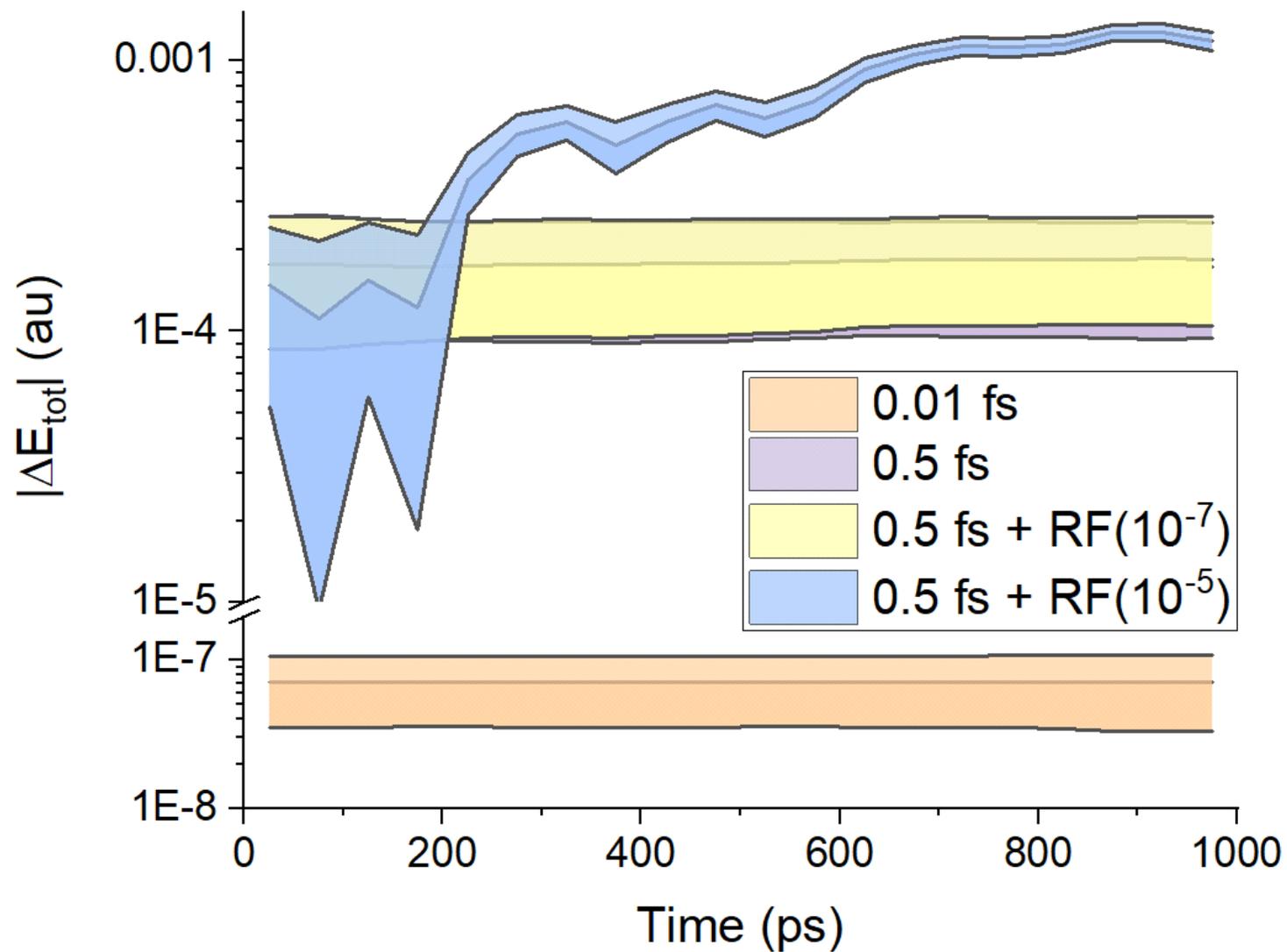
Challenges we must face

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Challenges we must face

- Stability of integration
 - Performance of integration algorithms
 - ZPE spilling

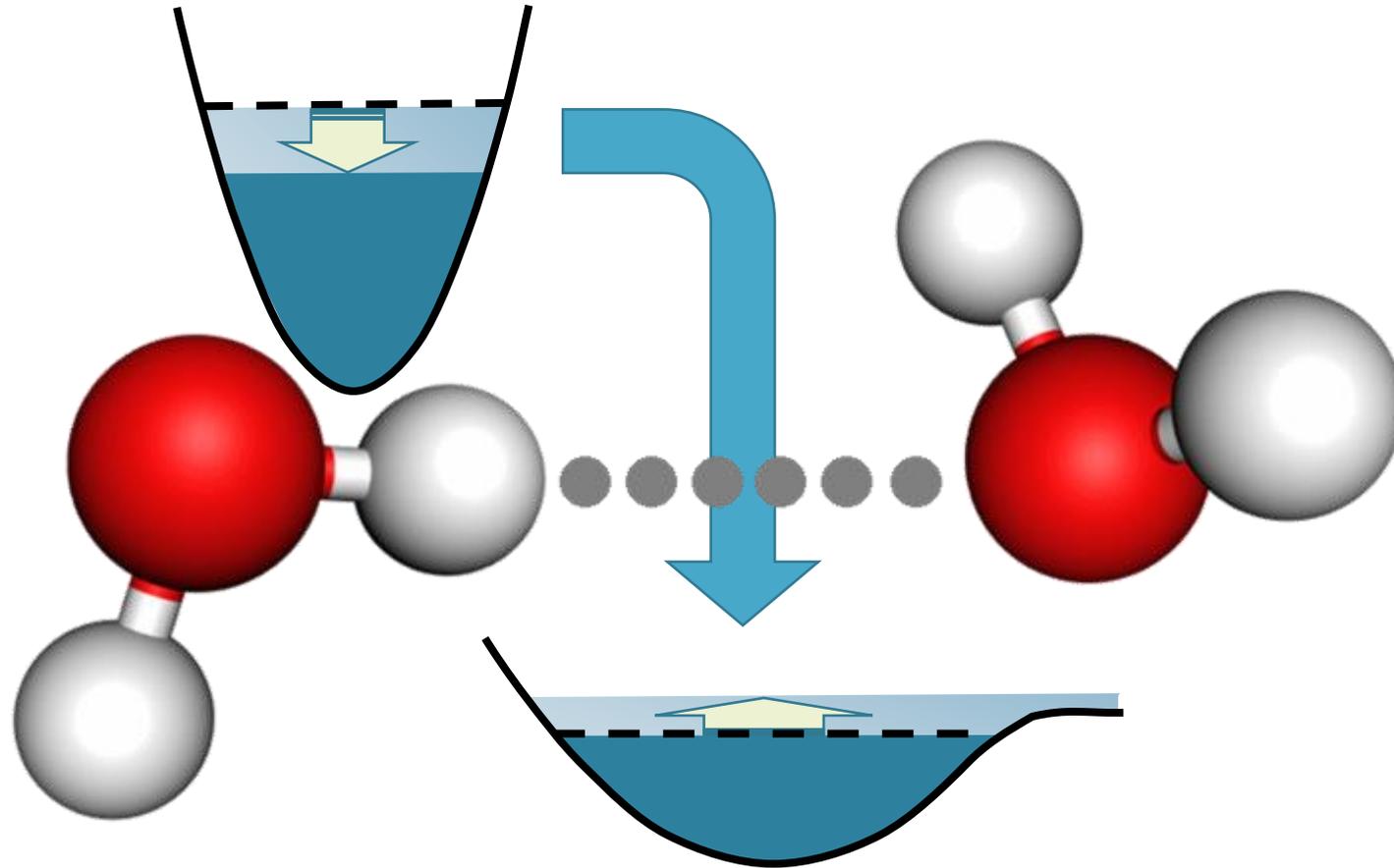
Velocity Verlet

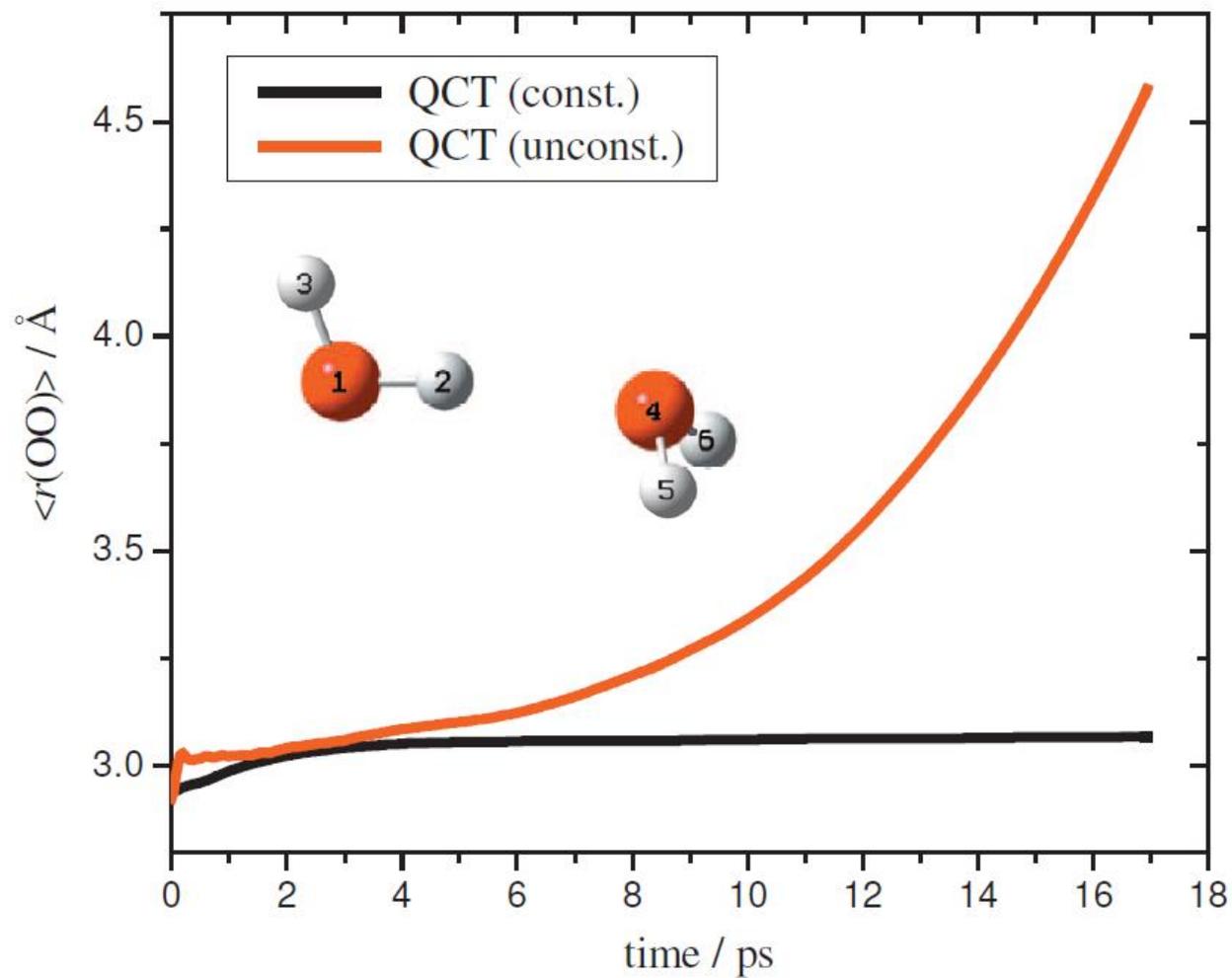


- A-SBH 33D
- dynamics on V_2

Challenges we must face

- Stability of integration
 - ☑ Performance of integration algorithms
 - ☑ ZPE spilling





There are many ZPE-corrections proposed.

But they either require Hessians
or introduce statistical biases.

Miller; Hase; Darling. *J Chem Phys* **1989**, 91, 2863

Bowman; Gazdy; Sun. *J Chem Phys* **1989**, 91, 2859

Varandas; Marques. *J Chem Phys* **1994**, 100, 1908

Guo; Thompson; Sewell. *J Chem Phys* **1996**, 104, 576

....

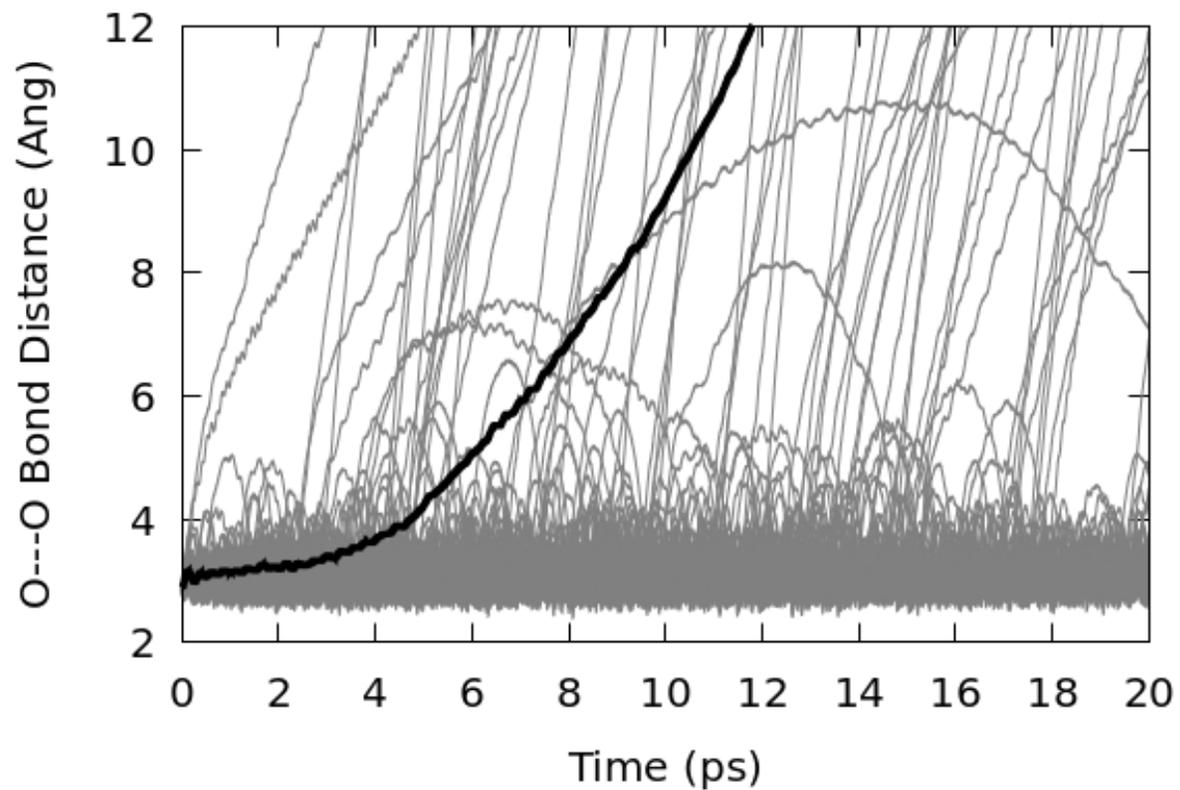
Czakó; Kaledin; Bowman. *J Chem Phys* **2010**, 132, 164103

Recently, Saikat Mukherjee and I developed a **Hessian-free ZPE correction**.

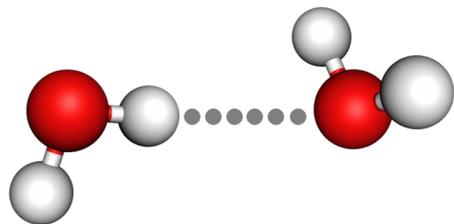
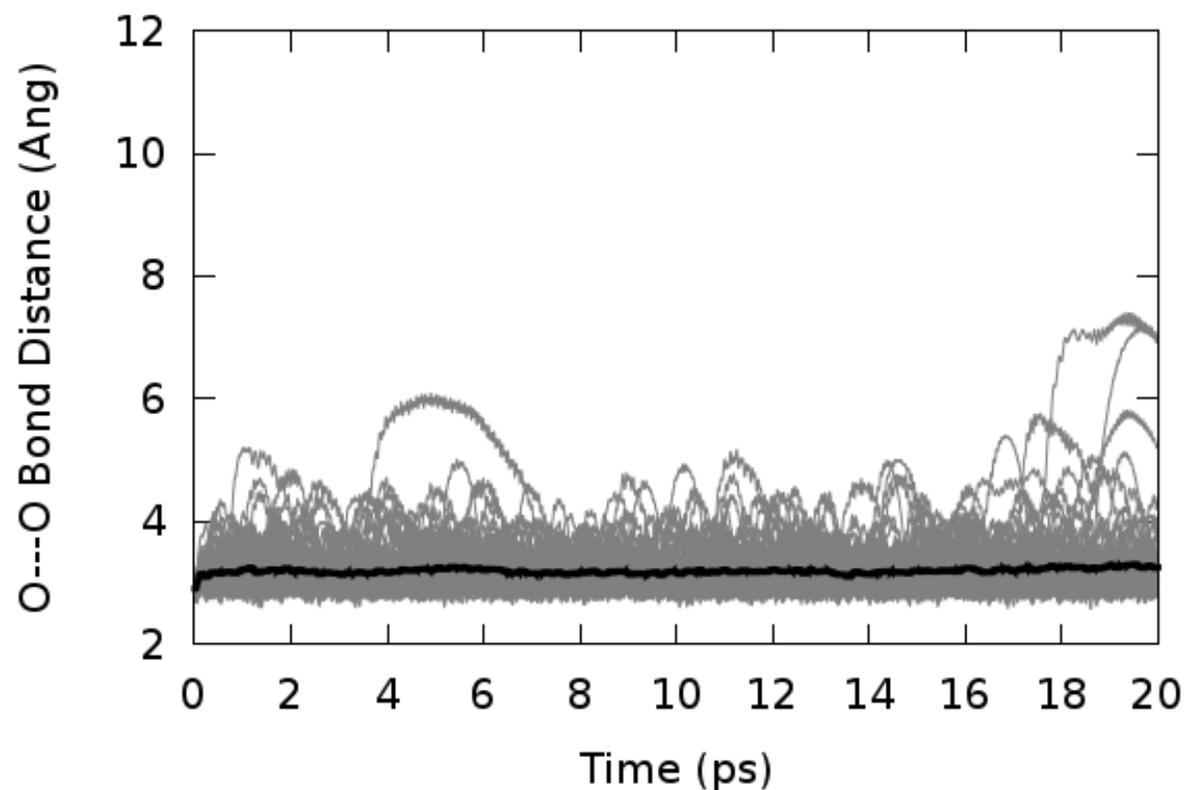
It works like a thermostat, transferring kinetic energy from the slow vibrations into fast vibrations, whenever a ZPE drop is detected.

The correction conserves energy, momentum, and CM angular momentum.

No ZPE Correction



Hessian-free ZPE Correction



- S_0 MP2/aug-cc-pVDZ
- 100 trajs; 20 ps; $\Delta t = 0.5$ fs
- ZPE correction every 10 fs

Challenges we must face

- Extreme cost reduction
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Terms mediating nonadiabatic transitions

Full TDSE

$$H_{IJ} \propto \sum_{\alpha=1}^{3N_a} \frac{\hbar^2}{M_\alpha} \left\langle \chi_k^{(J)} \left| \left\langle \Phi_J \left| \frac{\partial}{\partial R_\alpha} \right| \Phi_I \right\rangle_{\mathbf{r}} \frac{\partial}{\partial R_\alpha} \right| \chi_i^{(I)} \right\rangle_{\mathbf{R}} + \sum_{\alpha=1}^{3N_a} \frac{\hbar^2}{2M_\alpha} \left\langle \chi_k^{(J)} \left| \left\langle \Phi_J \left| \frac{\partial^2}{\partial R_\alpha^2} \right| \Phi_I \right\rangle_{\mathbf{r}} \right| \chi_i^{(I)} \right\rangle_{\mathbf{R}}$$

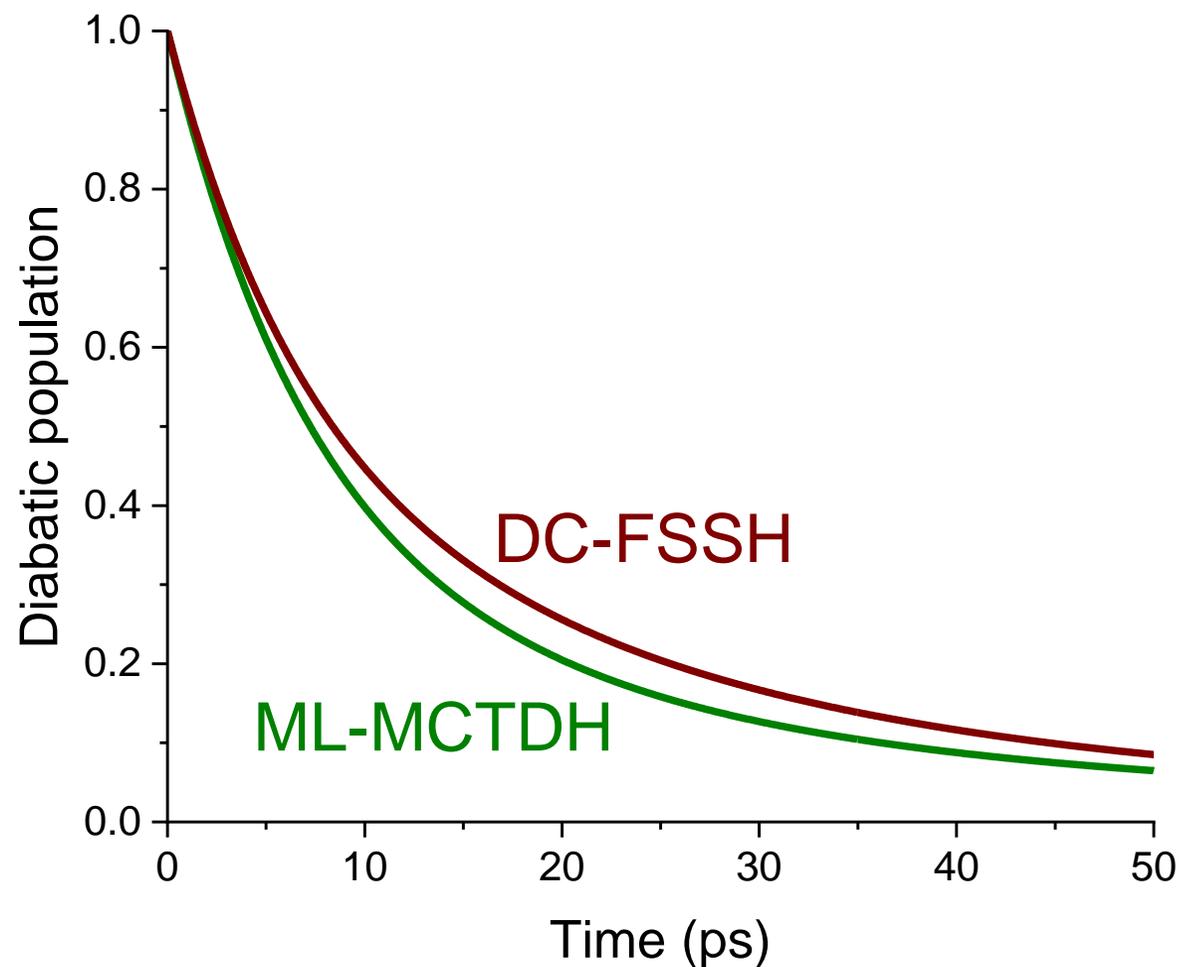
AIMS

$$H_{IJ} \propto \sum_{\alpha=1}^{3N_a} \frac{\hbar^2}{M_\alpha} \left\langle \chi_k^{(J)} \left| \frac{\partial}{\partial R_\alpha} \right| \chi_i^{(I)} \right\rangle_{\mathbf{R}} \left\langle \Phi_J \left| \frac{\partial}{\partial R_\alpha} \right| \Phi_I \right\rangle_{\mathbf{r}} \Big|_{\bar{\mathbf{R}}}$$

FSSH

$$H_{IJ} \propto \sum_{\alpha=1}^{3N_a} \frac{\hbar}{M_\alpha} \bar{p}_\alpha \left\langle \Phi_J \left| \frac{\partial}{\partial R_\alpha} \right| \Phi_I \right\rangle_{\mathbf{r}} \Big|_{\bar{\mathbf{R}}}$$

A-SBH 10D (weak coupling)



- DC-FSSH: 2000 traj; 0.1 fs; 100 ps
- ML-MCTDH: SPFs = 16; Grid size = 64

Challenges we must face

- Extreme cost reduction
- Stability of integration
- Accuracy of MQC methods
- Software optimization

Challenges we must face

- Software optimization
 - Fast processing
 - Handling big data
 - Comply with open-data requirements



Newtonian Dynamics Close to the X-Seam

The NEWTON-X platform

- Surface hopping & Nuclear ensemble spectrum simulations
- Freeware
- Open source
- Simulations with MRCI, MCSCF, CASPT2, ADC(2), TDDFT, TD-DFTB, Analytical models, Machine learning potentials



Newton-X
new series

Speed-up execution

- Rewriting core loop
- Minimize I/O

Optimize development environment

- Restructuring variable management
- GitLab UI
- Clear development protocol

Comply with new open data standard

- HDF5 data standard (H5MD)

Keep established functionalities

- Deep-level cleaning & debugging



Rewriting the core loop

NEWTON-X CS

PERL:

for $t = 0$ until $t = t_{max}$

$E_K, \nabla E_K, |\psi_K\rangle =$ **PERL:** call **EXTERNAL PROG (R)**

$\mathbf{R}, \mathbf{v} =$ call **FORTTRAN:** **VELOCITY VERLET (R, v, ∇E_L)**

$\sigma_{LK} =$ call [**PERL:C++**]: **COUPLING ($|\psi_L\rangle, |\psi_K\rangle$)**

$L =$ call **FORTTRAN:** **SURFACE HOPPING($E_K, \sigma_{LK}, \mathbf{v}_L$)**

$t = t + \Delta t$

NEWTON-X NS

FORTTRAN:

for $t = 0$ until $t = t_{max}$

$E_K, \nabla E_K, |\psi_K\rangle =$ call **PERL:** **EXTERNAL PROG (R)**

$\mathbf{R}, \mathbf{v} =$ call **FORTTRAN:** **VELOCITY VERLET (R, v, ∇E_L)**

$\sigma_{LK} =$ call [**FORTTRAN:C++**]: **COUPLING ($|\psi_L\rangle, |\psi_K\rangle$)**

$L =$ call **FORTTRAN:** **SURFACE HOPPING($E_K, \sigma_{LK}, \mathbf{v}_L$)**

$t = t + \Delta t$



Newton-X
new series

NEWTON-X CS

05:40:00

NEWTON-X NS

00:11:00

- A-SBH 10D
- DC-FSSH: 1 traj, 0.1 fs; 1 ps
- 1 core

LIGHT AND
MOLECULES



Newton-X
new series

New data format H5MD: MD-oriented HDF5

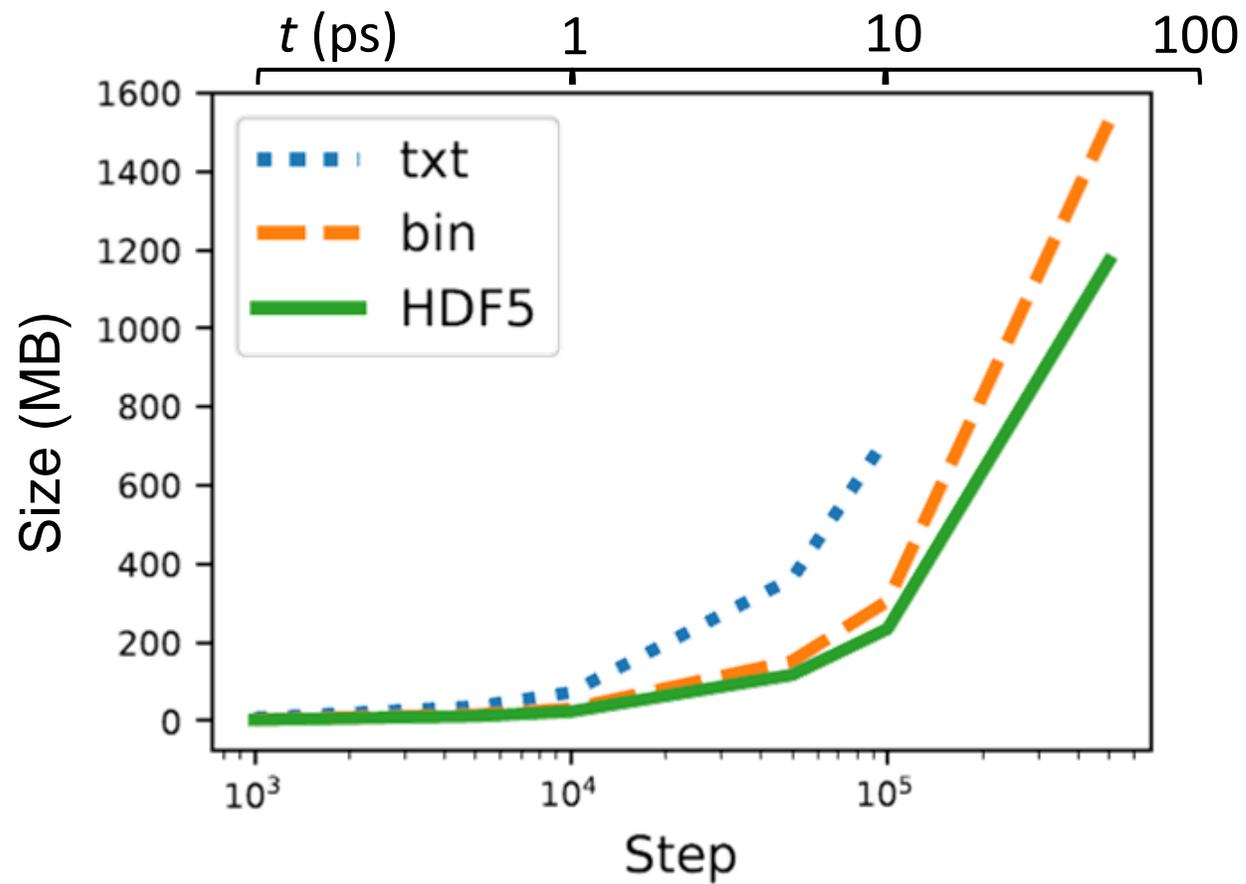
- ✓ Data structured
- ✓ Data compressed
- ✓ Fast and parallel I/O
- ✓ Portable
- ✓ Self-contained

de Buyl; Colberg; Höfling. *Comput Phys Commun* **2014**, 185, 1546

LIGHT AND
MOLECULES

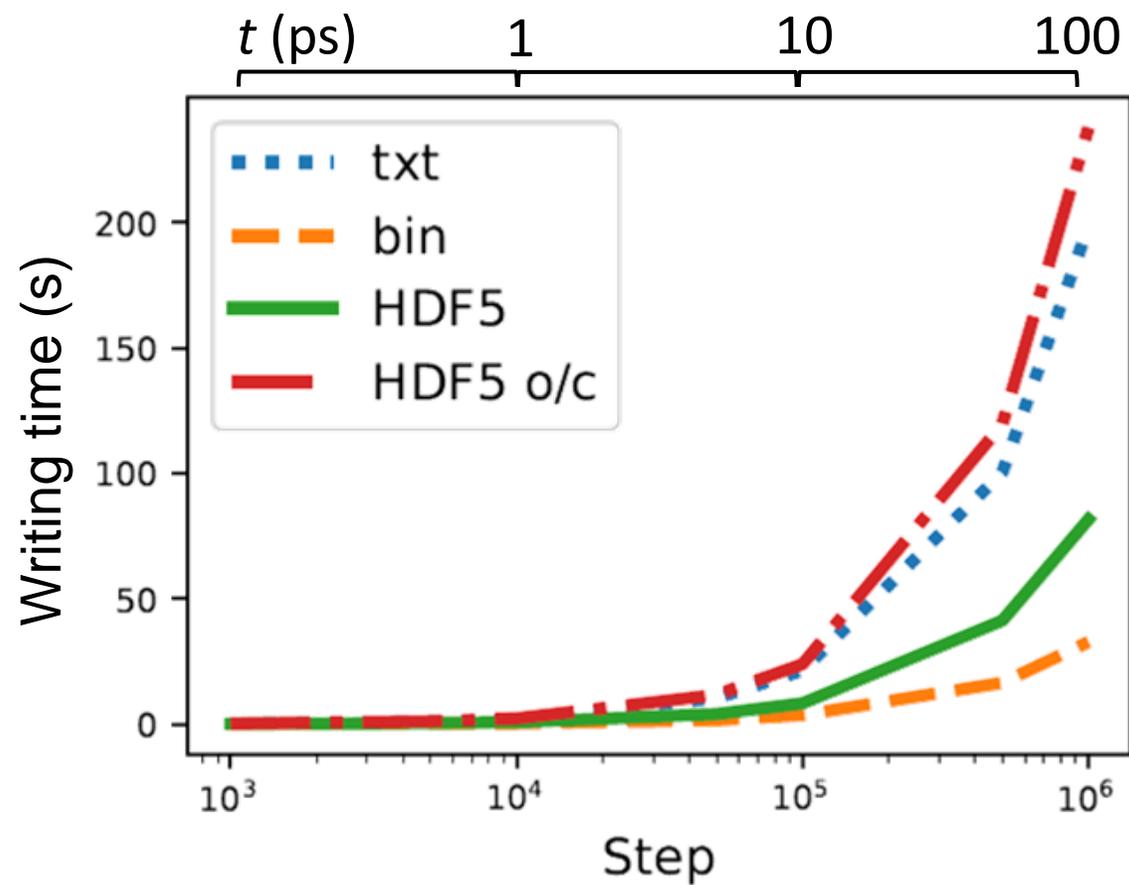


Newton-X
new series





Newton-X
new series





Newton-X
new series

Open-data compliance

We are developing protocols to guarantee that our simulation results are:

- Searchable (standard format, public repositories)
- Auditable (full dataset available)
- Reproducible (source codes and inputs available)

What's coming next?

Many nonadiabatic phenomena happen in the long timescale.
They are inaccessible for current dynamics methods.

Machine learning should be the main driving force for a new generation of methods.

We may expect a publication rush in the field.

We are computing benchmarks, developing methods, proposing protocols, and rewriting Newton-X to face this demand.

NEWTON-X NS

Release in Spring 2022

Machine learning and Integration stability:

Max Pinheiro Jr

ZPE corrections and MQCD accuracy:

Saikat Mukherjee

Newton-X NS:

Baptiste Demoulin



LIGHT AND
MOLECULES

Marseille-Xiamen Machine Learning Consortium



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Yanchi Ou
Yifan Hou

SUBNANO



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BOOST

CROP



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Julien Toulouse

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