

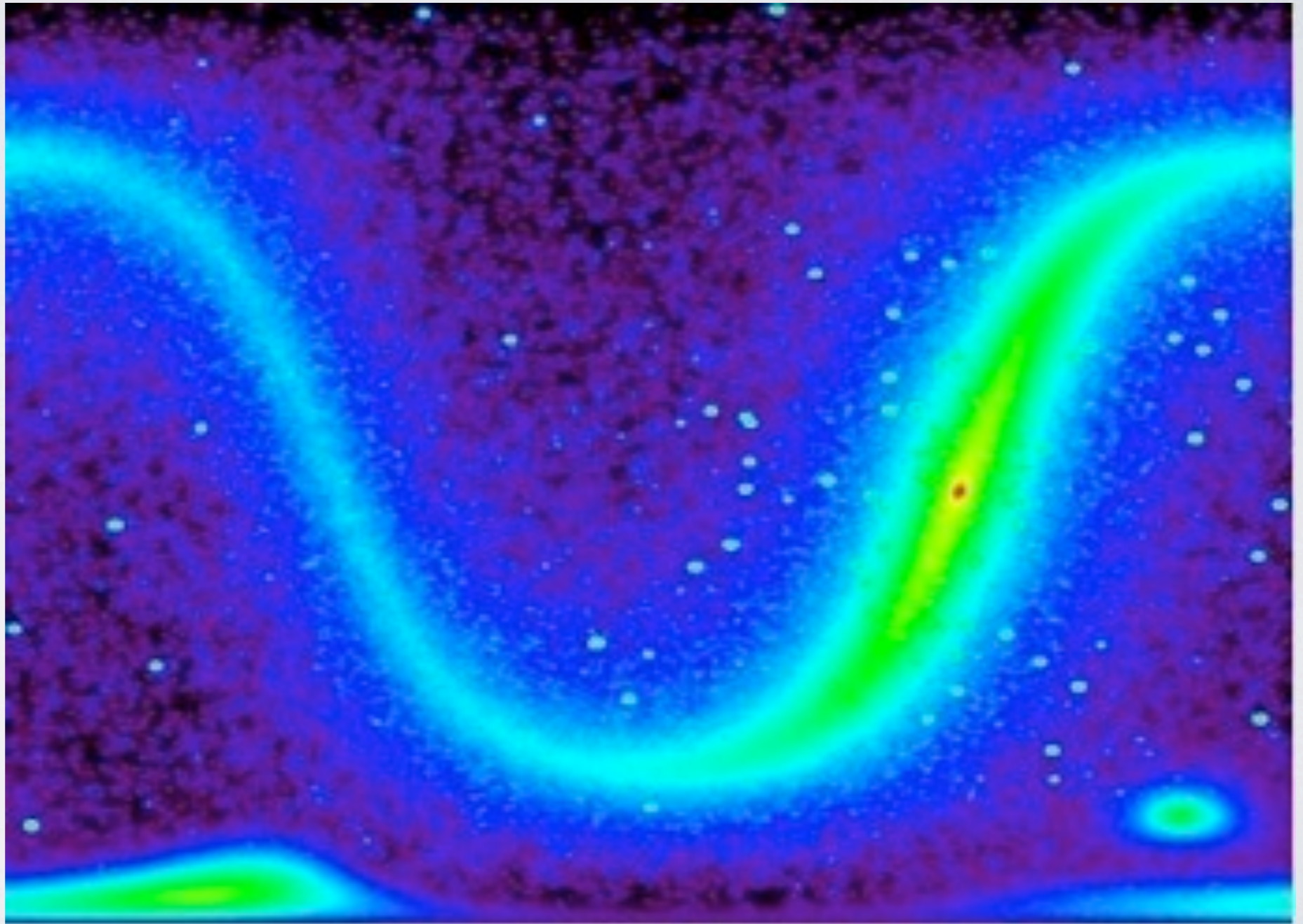
GRAVITATIONAL WAVE DETECTORS AND GALACTIC BINARIES

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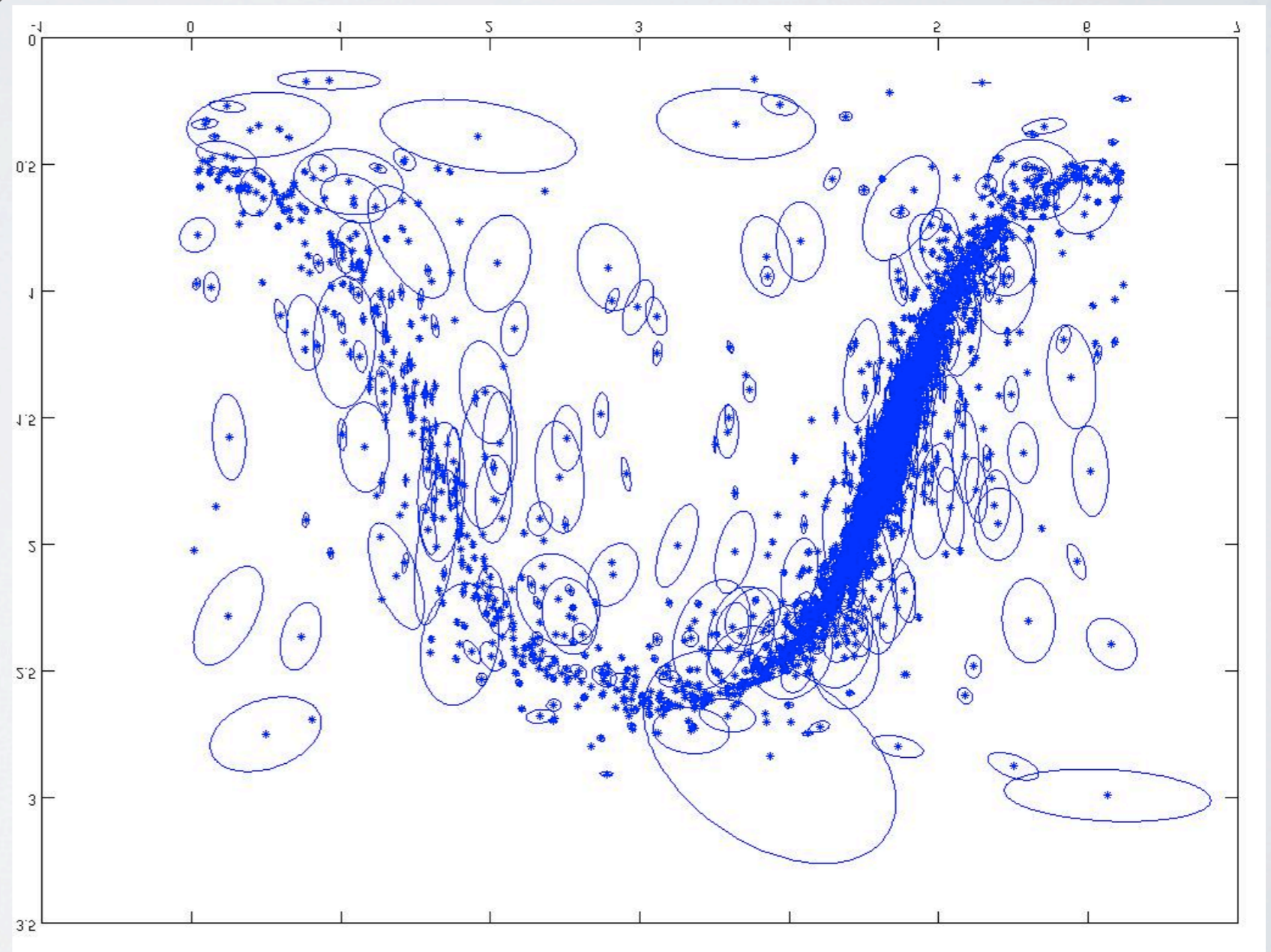


- The gravitational wave Galaxy
- Detector description
- Baseline and alternative configurations

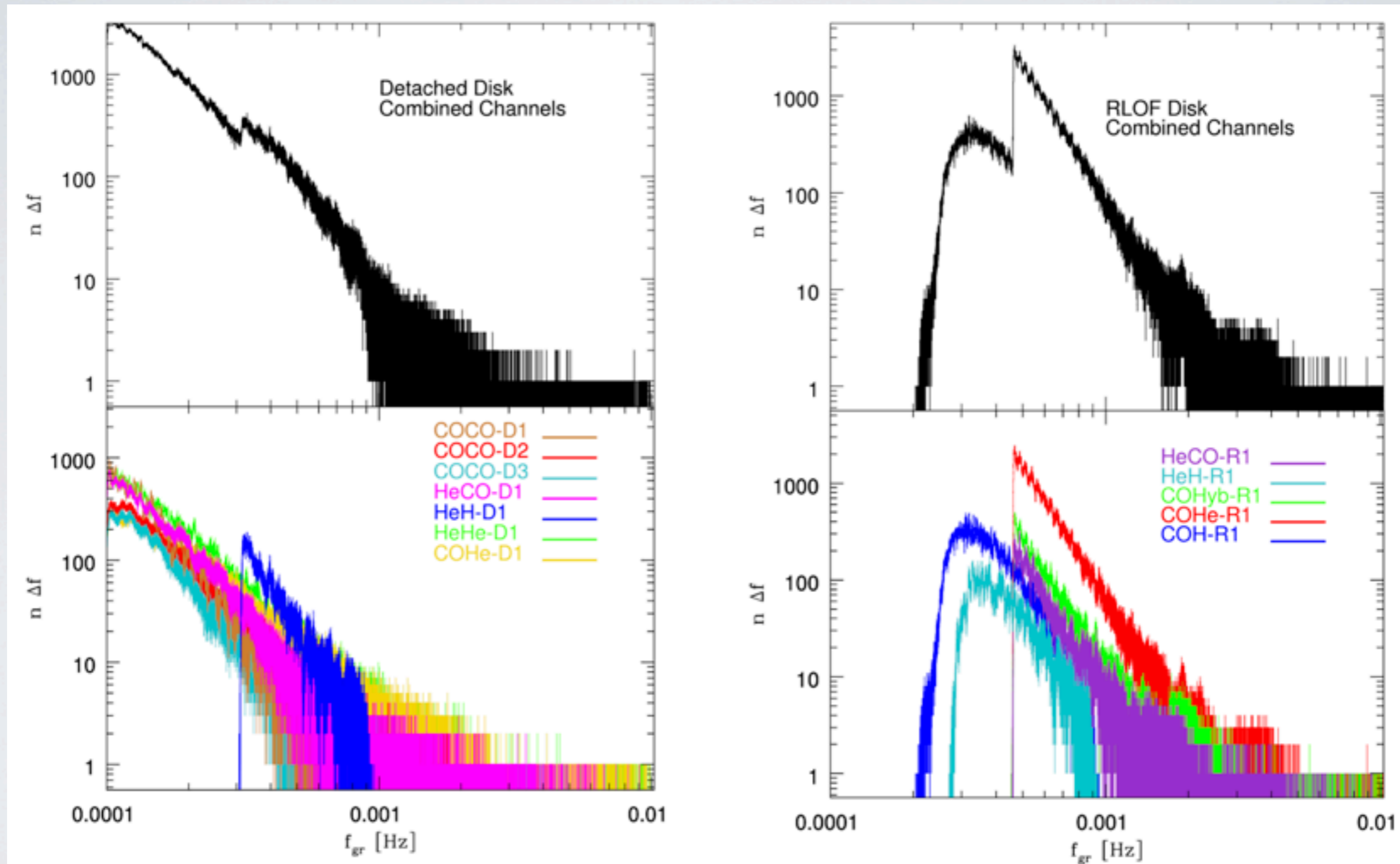
- The gravitational wave signal from the Galactic population of white dwarf binaries will consist of individually resolvable sources and a confusion-limited foreground.



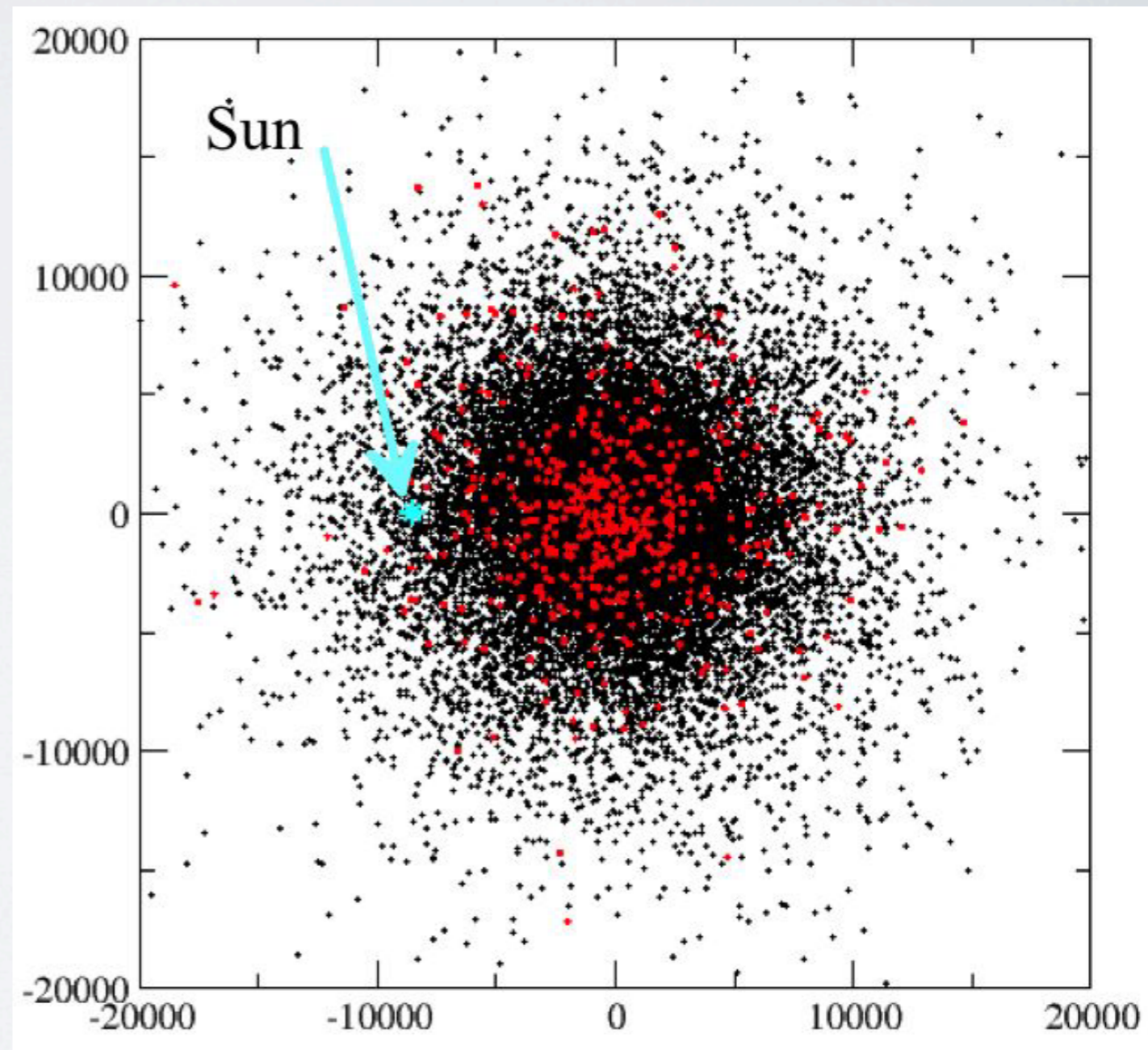
- Individually resolvable means that the parameters describing the binary can be obtained with reasonable precision through data analysis (usually some kind of matched filtering).



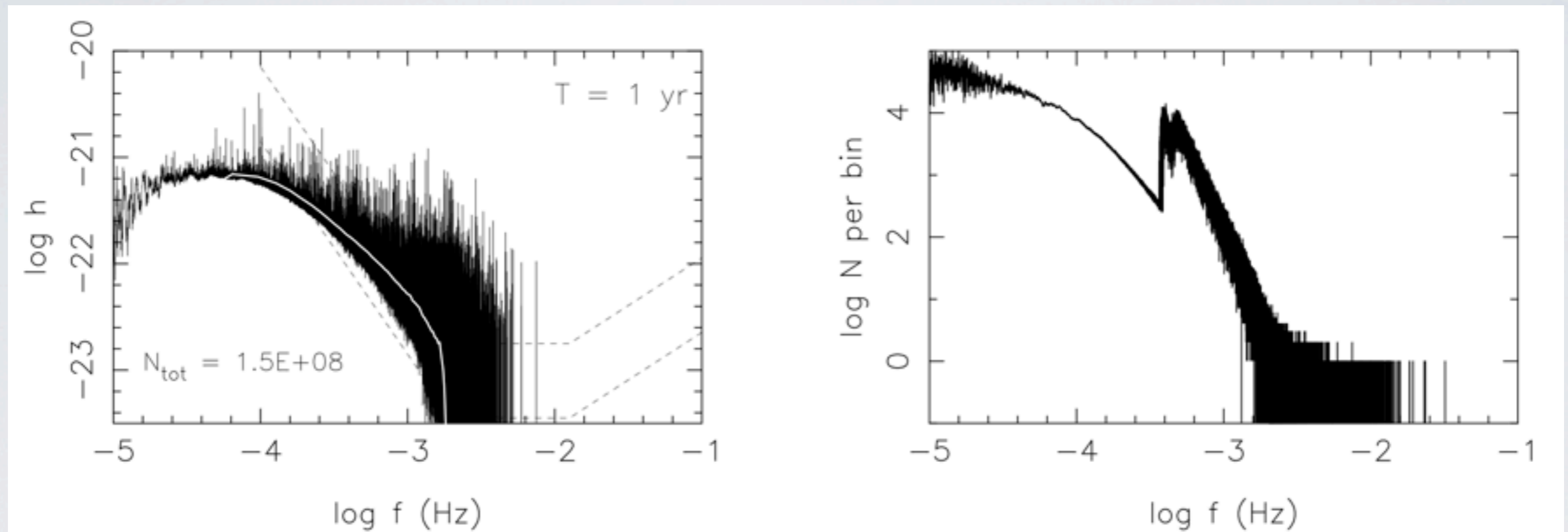
- The confusion-limited foreground is a result of signals from thousands of binaries in each resolvable frequency bin.



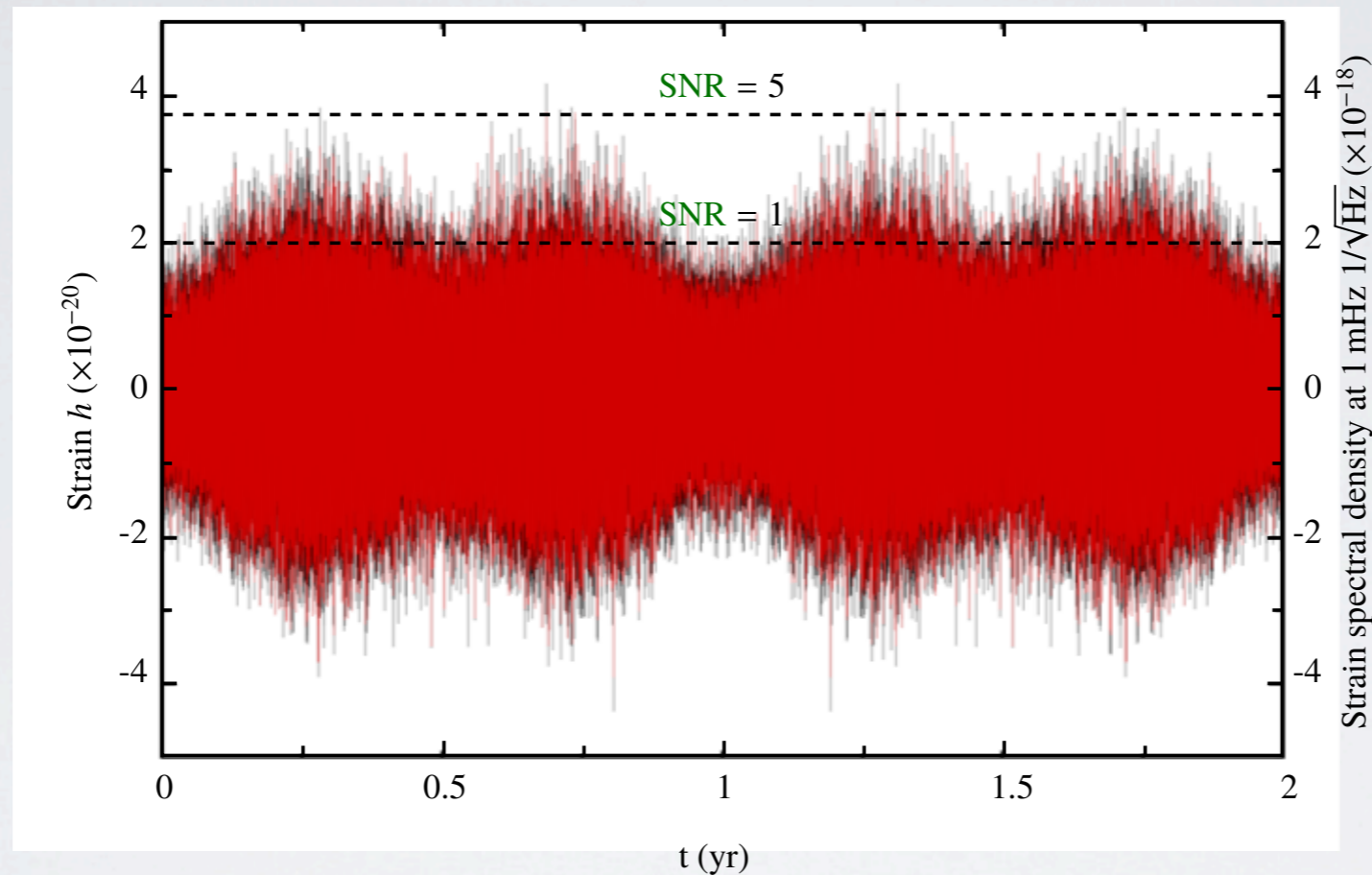
- If the “chirp” of resolvable systems can be measured and the system is driven by gravitational radiation alone, then the distance can be measured and the chirp mass can be obtained.
- Sky location and distance can be used to determine the spatial distribution of white dwarf binaries.



- The confusion-limited signal is dominant at low frequencies ($f < \sim 3\text{mHz}$).



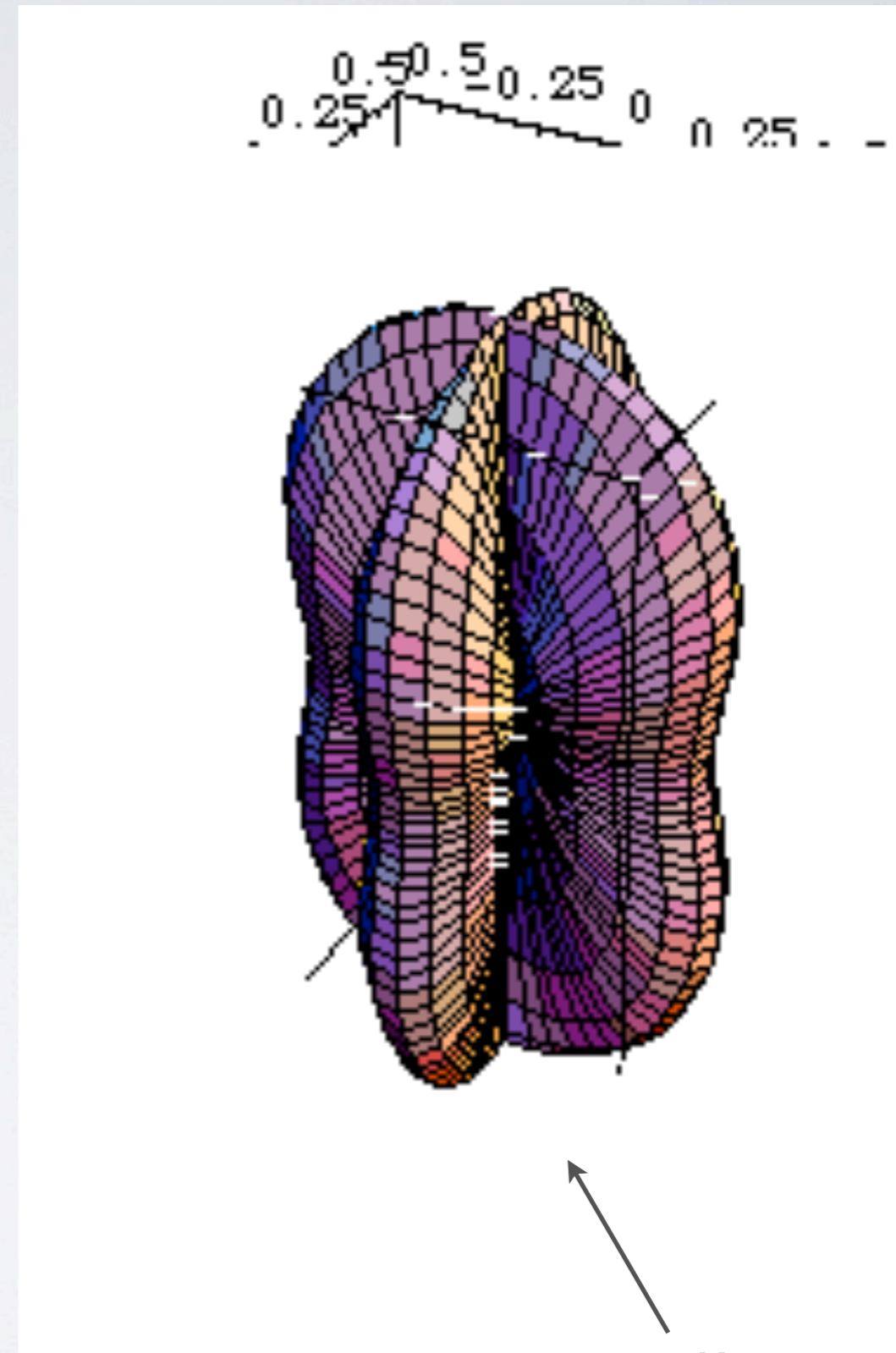
- The foreground is based mostly on the disk population and so it is anisotropic.



- The spectrum of the foreground may provide probe different star formation rates and different evolutionary scenarios.

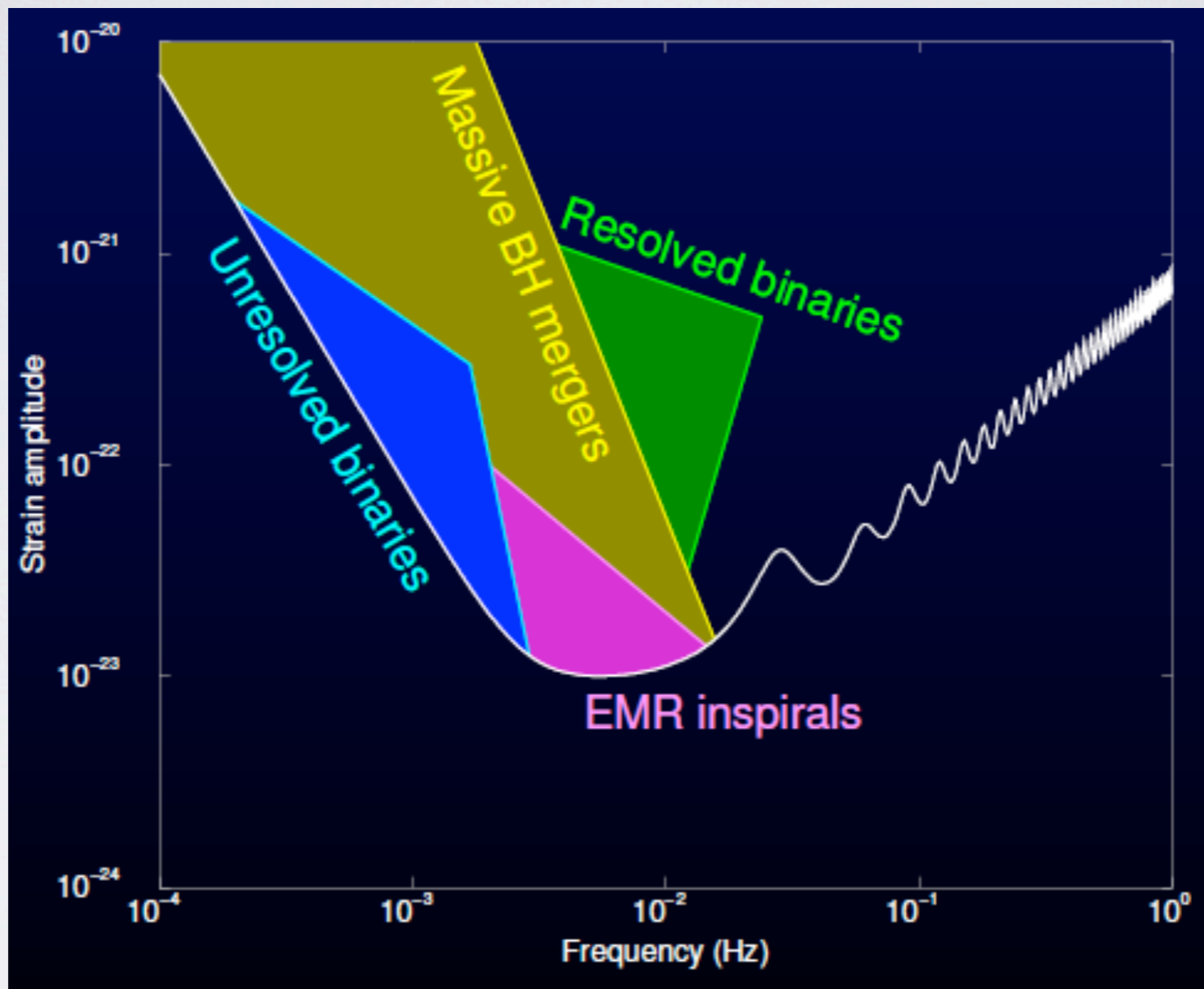
- Assuming space-based interferometric gravitational wave detectors, different configurations have different consequences on the ability to extract information from both resolvable sources and the confusion foreground.
- Noises:
 - Acceleration noise: Stray forces on the proof mass.
 - Shot noise: Quantum fluctuations in light intensity.
 - Position noise: Measurement and control noise.

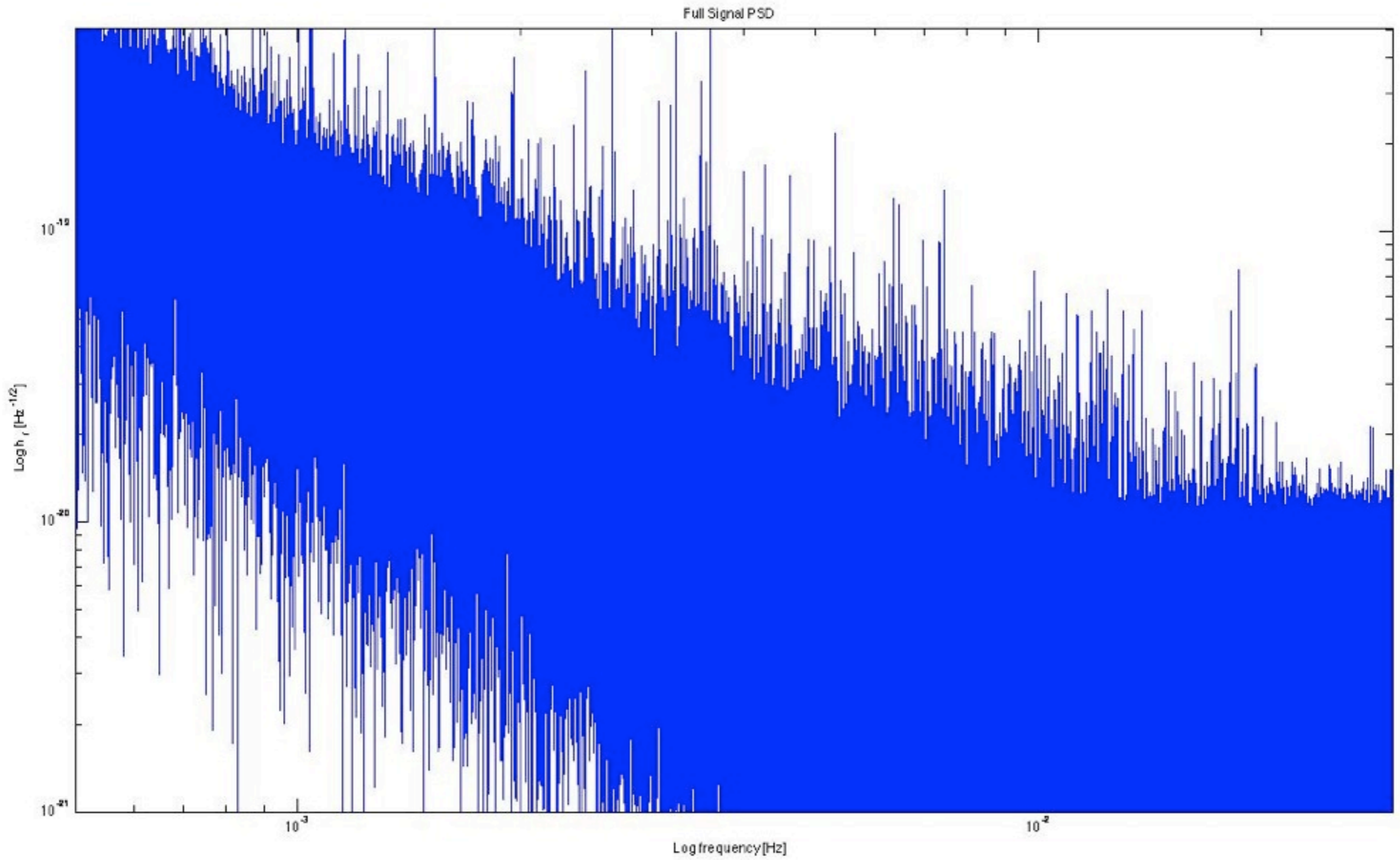
- Motion of the detector influences sensitivity to direction of the sources.
- Rotation of the detector within its plane.
- Precession of the plane.
- Motion of the guiding center of the detector plane relative to the stars.



The "Peanut"

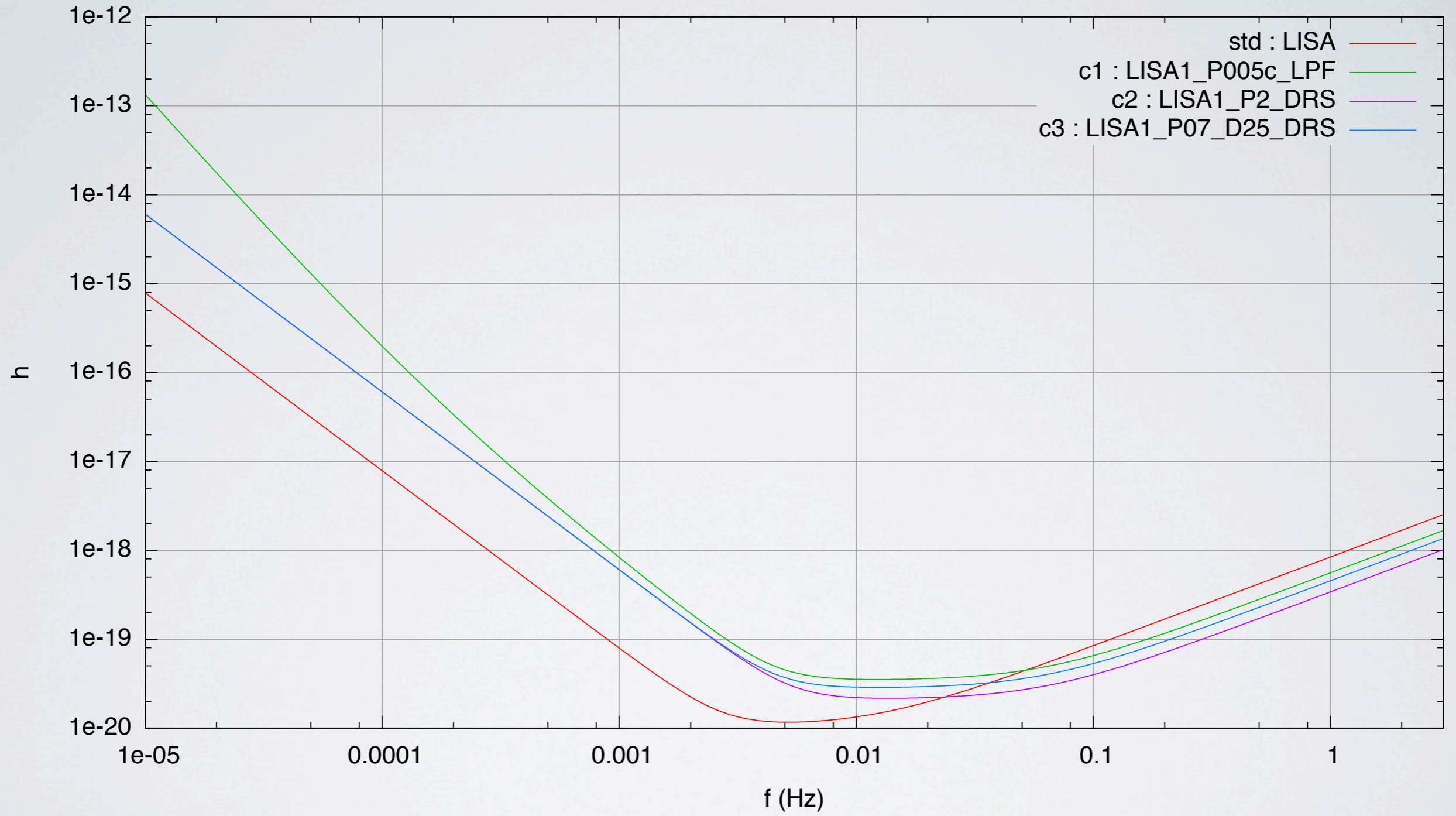
- Sensitivity curves are usually plots combining the instrument noise and the transfer function along with some sort of angle/orientation/polarization averaging.
- This allows one to plot the absolute strain amplitude of a suspected source and compare it with the expected noise level.
- Can be misleading due to averaging.
- Require an assumed observation time (usually 1 or 2 years.)

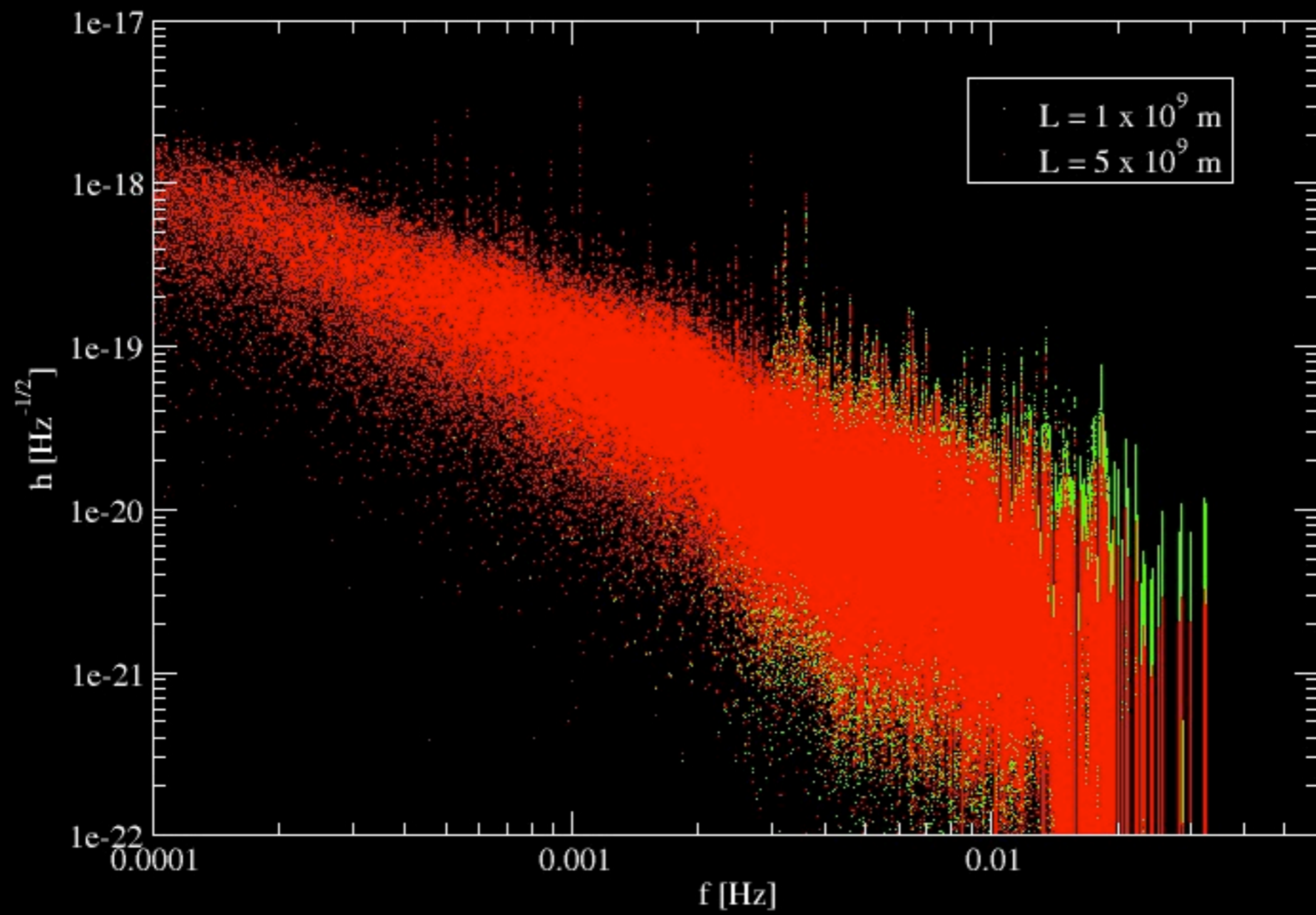




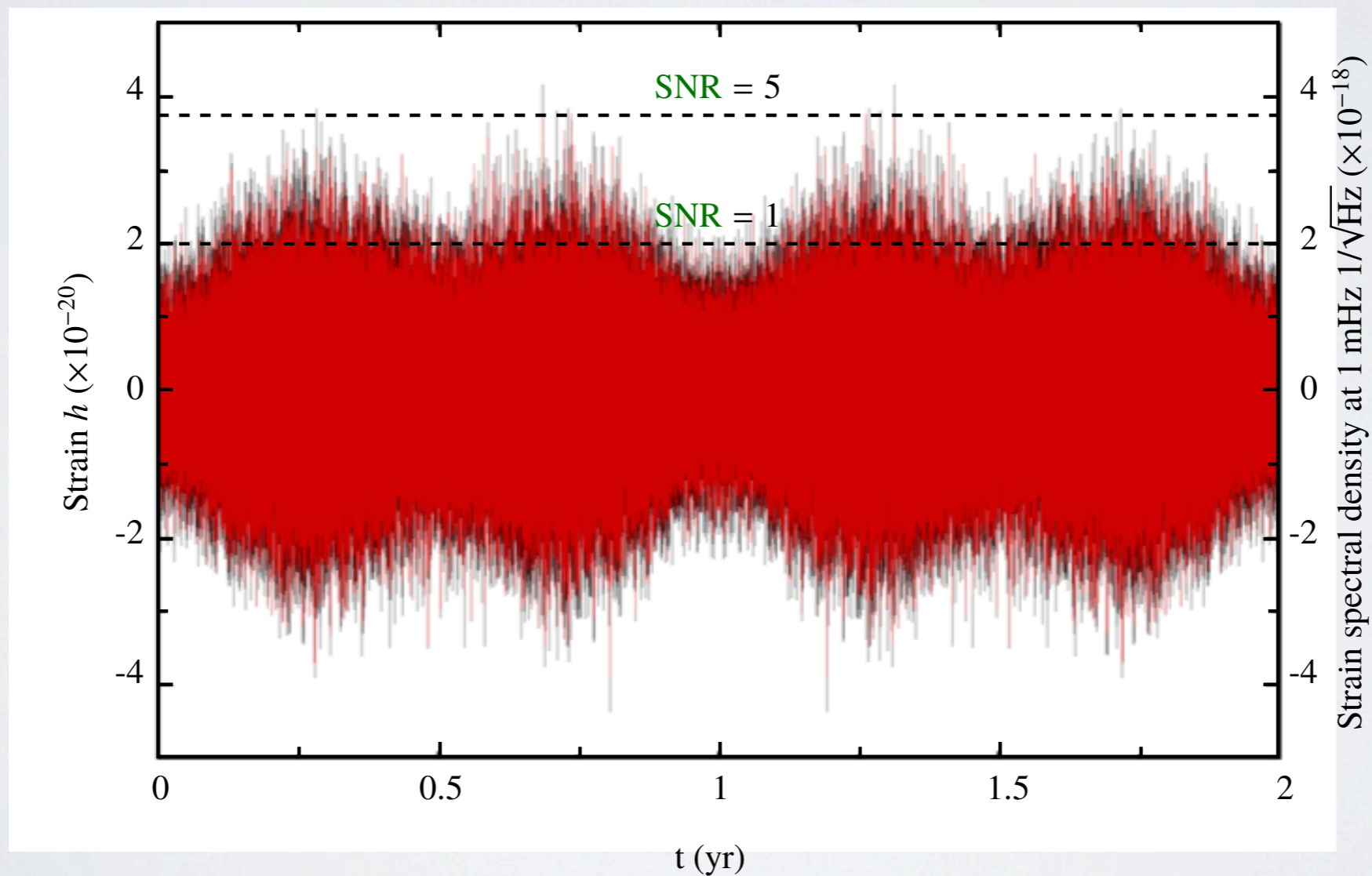
- Shorter armlengths:
 - Increase acceleration noise
 - Decrease shot noise
 - Increase position noise
 - Improve response at high frequencies

Approximative sensitivity





- LISA-like orbits:
 - Add annual rotation of the “peanut”
 - Annual variation of polarization phase
 - Annual variation of Doppler phase



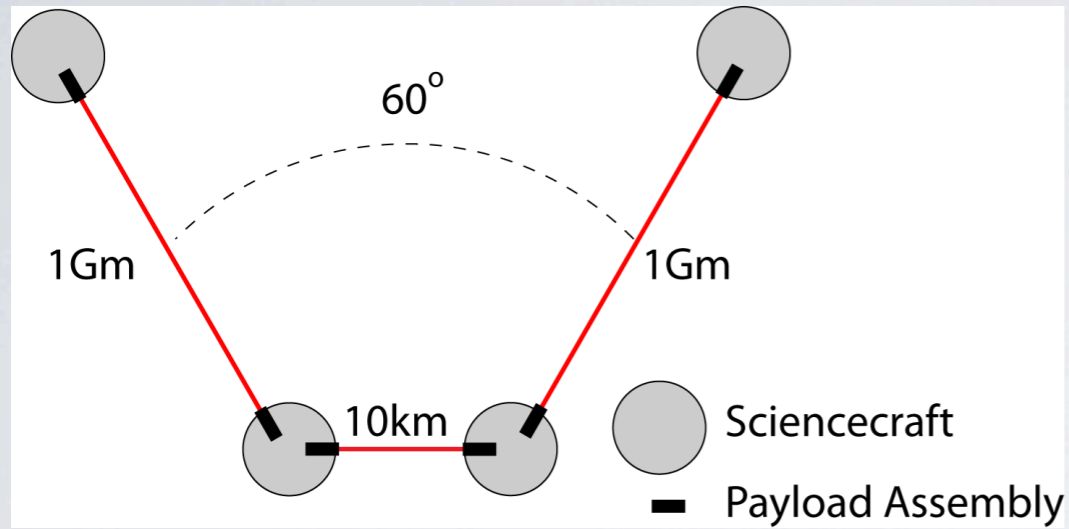


Figure 1: Constellation geometry for SGO Low

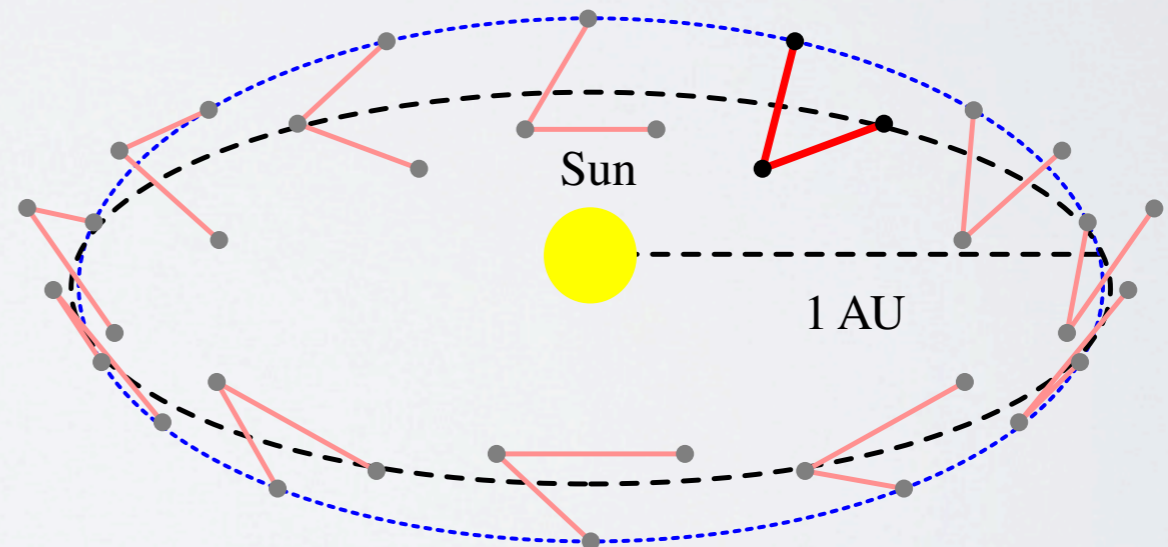
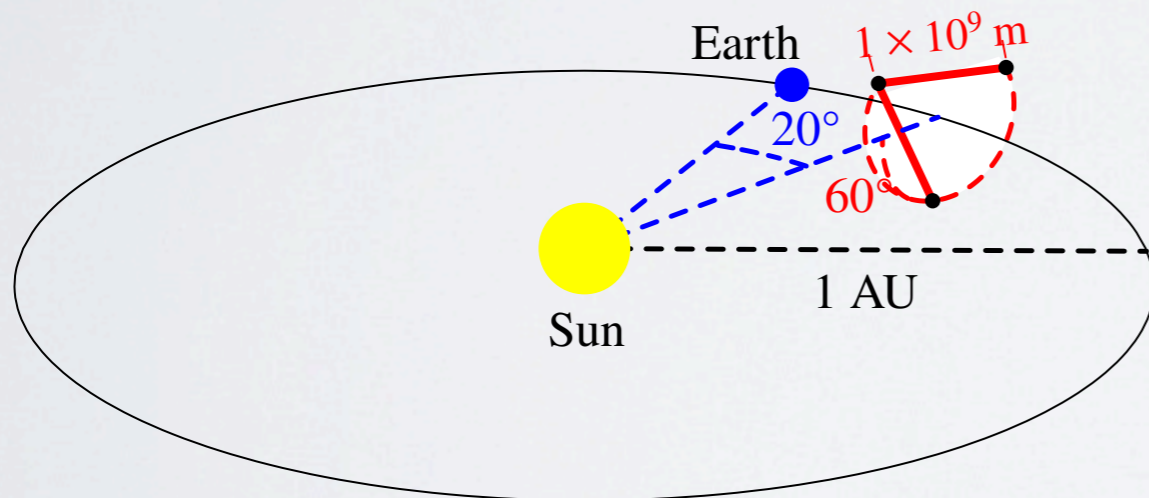
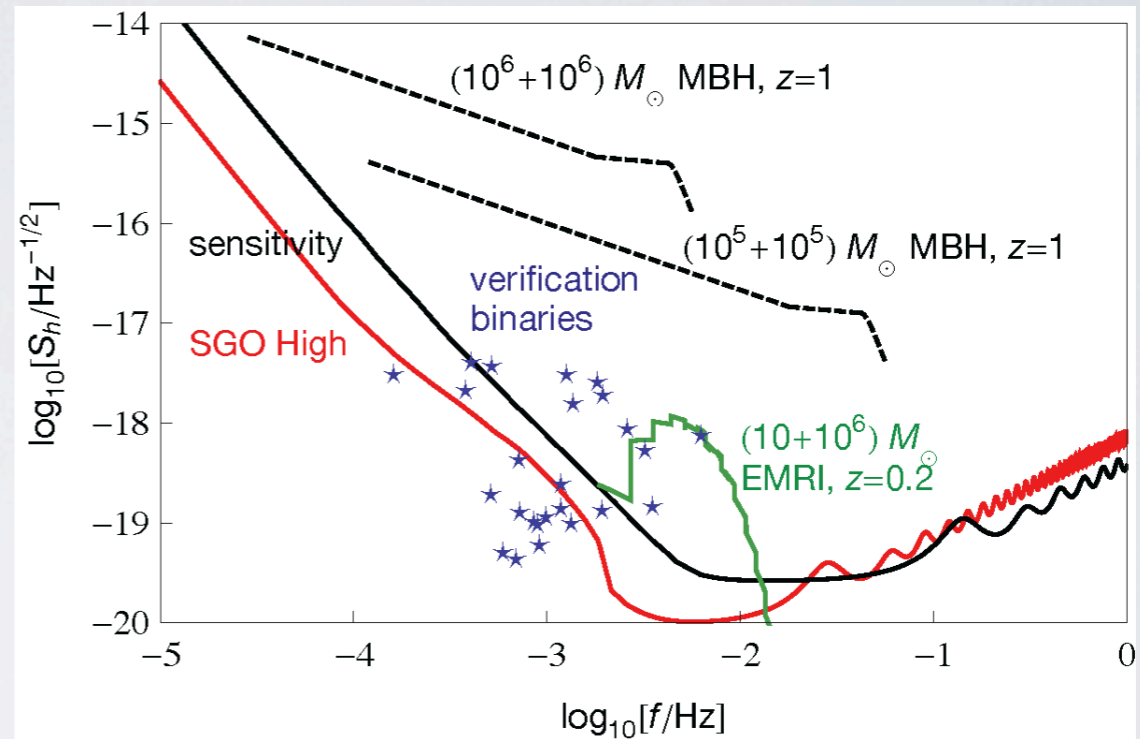
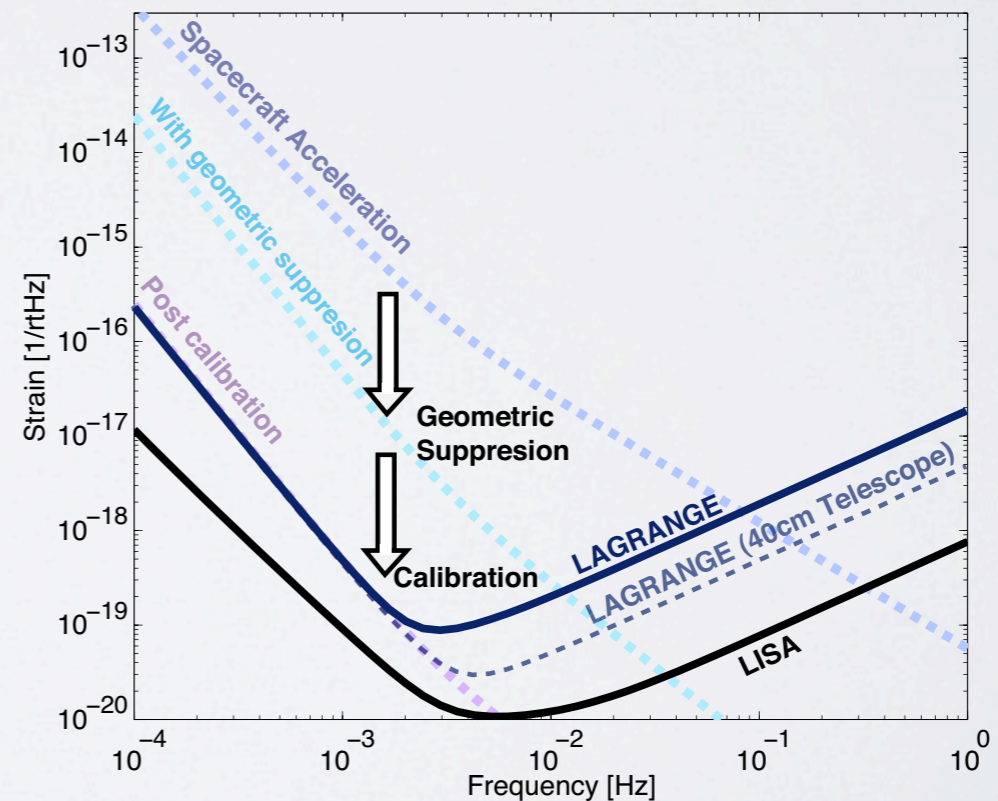
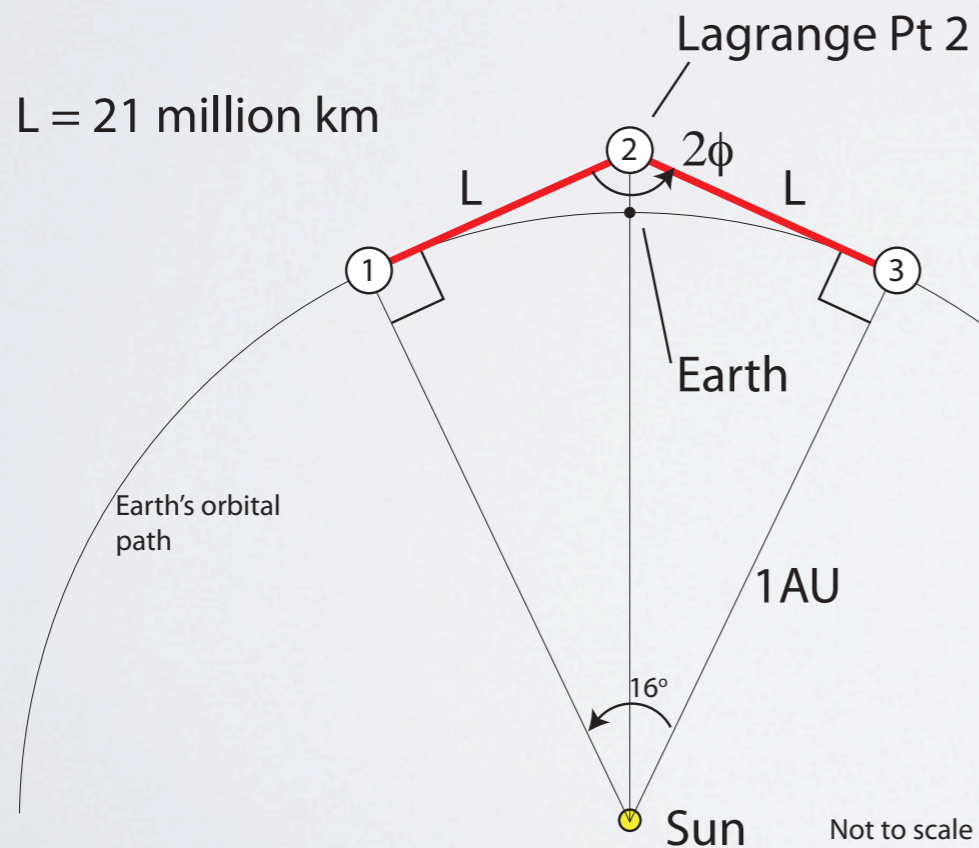
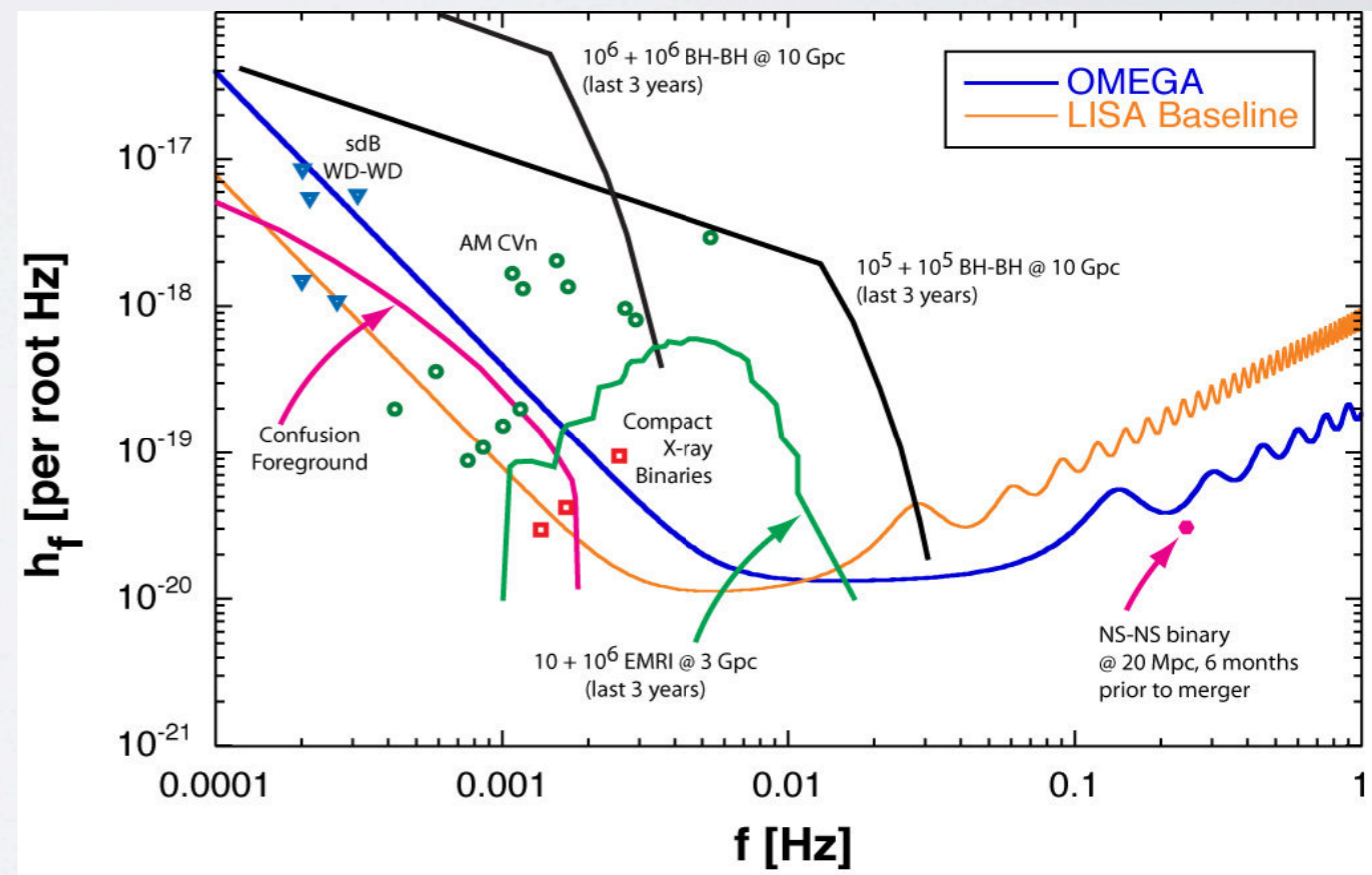
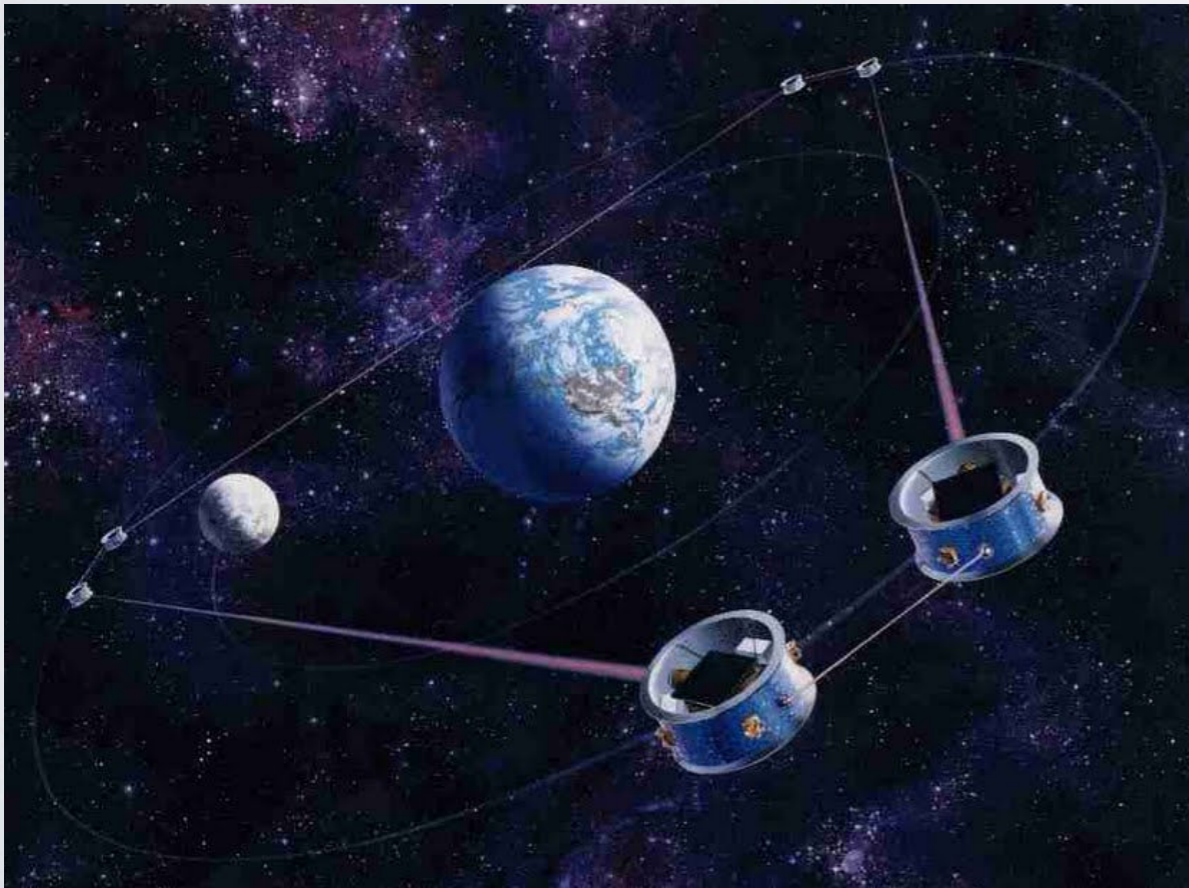


Figure 3.1.: *The NGO orbits: The constellation is shown trailing the earth Earth by about 20° (or 5×10^7 km) and is inclined by 60° with respect to the ecliptic. The trailing angle will vary over the course of the mission duration from 10° to 25° . The separation between the S/C is 1×10^6 km.*

- Other heliocentric orbits:
 - No precession of the orbital plane \rightarrow loss of sensitivity pattern variation.
 - Annual polarization phase remains.
 - Annual Doppler phase remains.



- Geocentric orbits
- Slight plane precession.
- Polarization phase variation depends on armlength (through orbital radius).
- Doppler phase variation is still one year.



SUMMARY

- Gravitational wave observations can explore the whole Galaxy.
- Both individual sources and the unresolved foreground contain useful information.
- Mission de-scopes have a variety of consequences on the amount of science recoverable from DWD observations.

GRAVITATIONAL WAVES

- Quadrupole Formula

$$h_+ = 2 \frac{G^{5/3} \mathcal{M}^{5/3}}{c^4 d} (2\pi f)^{2/3} (1 + \cos^2 \iota) \cos(2\pi ft)$$

$$h_\times = -4 \frac{G^{5/3} \mathcal{M}^{5/3}}{c^4 d} (2\pi f)^{2/3} \cos \iota \sin(2\pi ft)$$

- Chirp mass $\mathcal{M} = (M_1 M_2)^{3/5} (M_1 + M_2)^{1/5} = \mu^{3/5} M^{2/5}$

- Inspiral $\dot{f} = \frac{96}{5} \frac{G^{5/3} \mathcal{M}^{5/3}}{c^5} f^{11/3}$

- Outspiral — ?

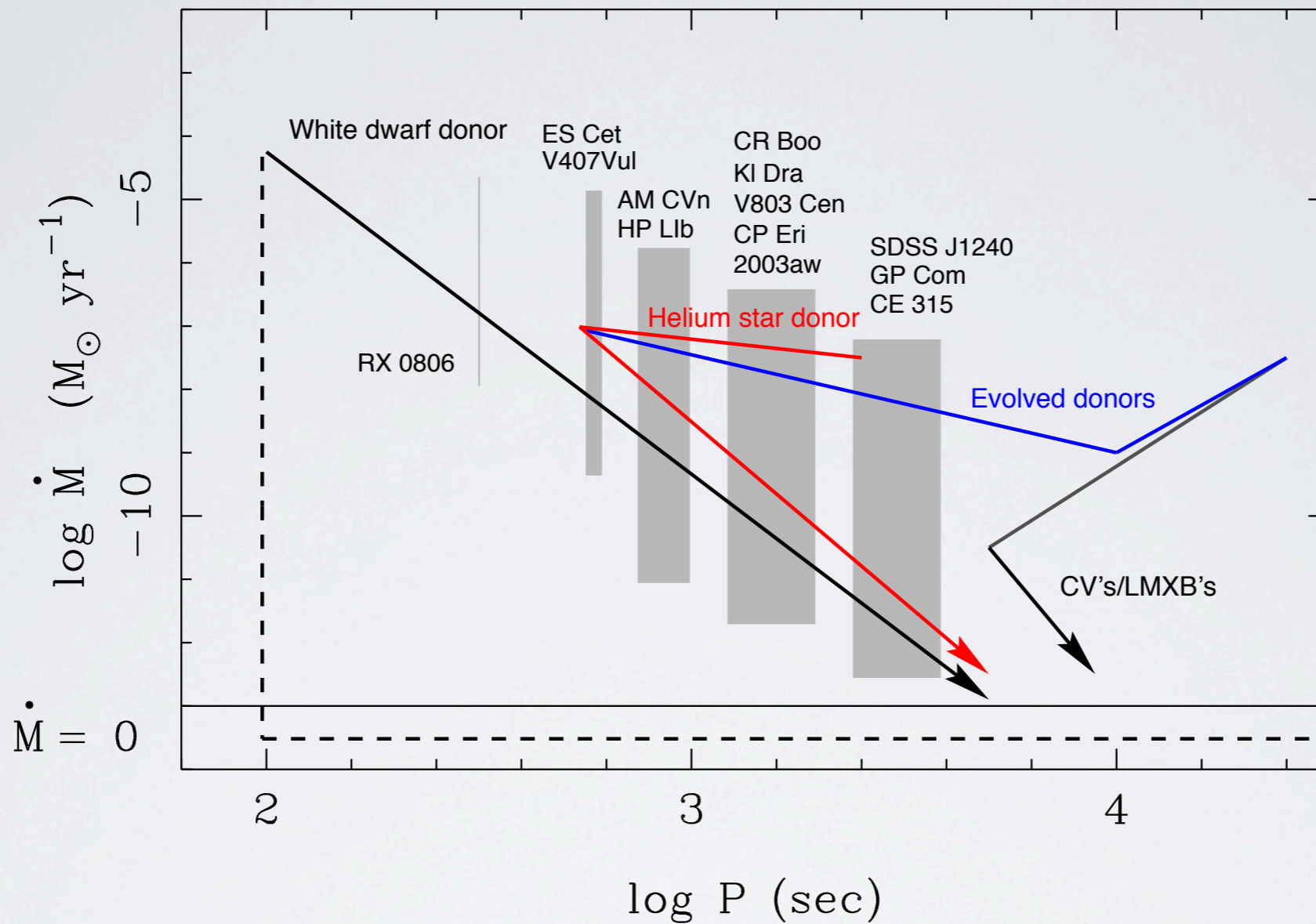
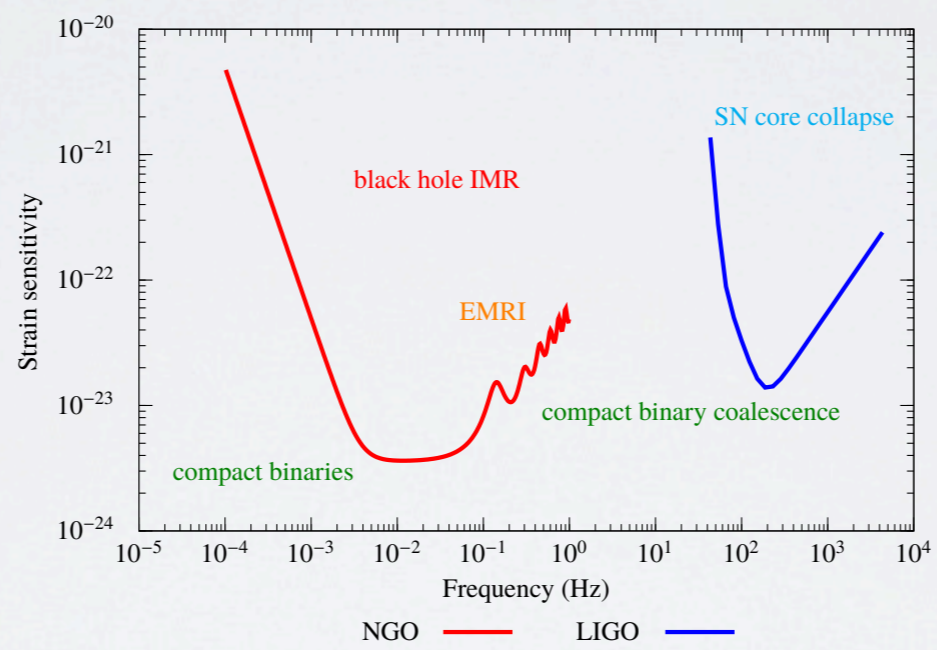
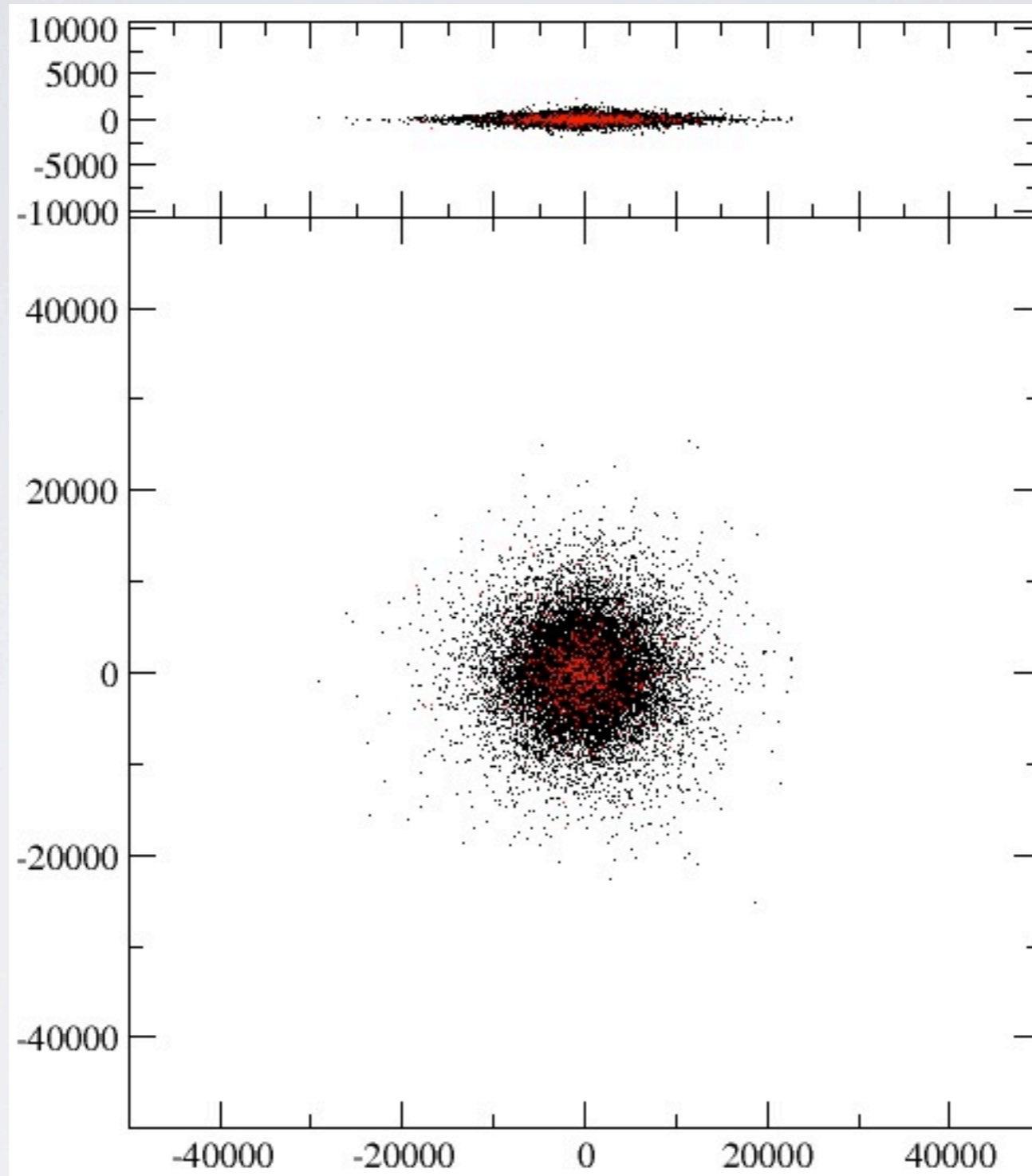


Figure 1. Formation paths of AM CVn stars (see text). The known systems (including the two candidates) are shown at their orbital period.





AM CVn stars are among the expected 'verification binaries' for a number of proposed space-based gravitational wave missions. I will discuss the expected characteristics of the detectable population of AM CVn stars and other white dwarf binary systems in relation to several proposed mission concepts.