

Elsasser Field Structure Functions S^{p}_{l} $z^{\pm} = v \pm \frac{B}{\sqrt{\rho\mu_{0}}}$

•Describes Left and Right travelling Alfvenic disturbances

$$\frac{\partial z^{\perp}}{\partial t} + z^{\mathrm{m}} \cdot \nabla z^{\pm} = -\frac{\nabla P}{\rho} + \mu_{+} \nabla^{2} z^{\pm} + \mu_{-} \nabla^{2} z^{\mathrm{m}}$$

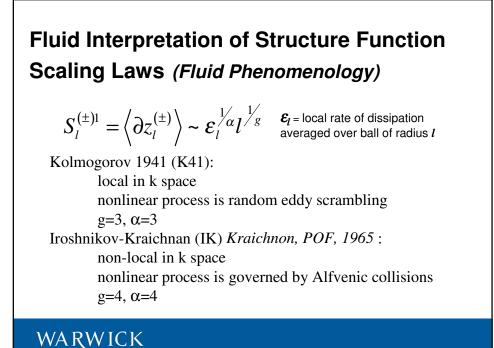
•Can describe incompressible equations of MHD in Elsasser symmetric form see Biskamp, MHD Turbulence, Camb. Univ. Press 2003 1 1 n

$$S_l^p = \left\langle \partial z_l^{(\pm)p} \right\rangle = \left\langle \left| z^{(\pm)}(x+l) \cdot \frac{l}{|l|} - z^{(\pm)}(x) \cdot \frac{l}{|l|} \right|^p \right\rangle$$

•Construct Elsasser field structure functions (S^{p}_{l}) to describe Magnetokinetic fluid

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Universal Scaling Laws In Turbulence

· Scaling laws attractive; exponents independent of flow detail provided homogenous and isotropic

•Universal

$$S_{l}^{(\pm)p} \sim l^{\xi_{p}} \quad \chi_{l}^{(\pm)p} = \left\langle \left[\int \frac{\left(\partial_{i} z_{i}^{(\pm)}\right)^{2}}{V_{l}} dV_{l} \right]^{p} \right\rangle \sim l^{\tau_{p}}$$

• $S_{l}^{(\pm)p}$ and χ_{l}^{p} constructed from simulation to determine ξ_{p} and τ_{p}

• χ_l acts as a 1D surrogate to ε_l for which we anticipate the same scaling see Sreenivasan Annu. Rev. Fluid Mech. 1997

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She-Leveque (1994) Intermittency Correction

•In practice $S_{I}^{(\pm)}$ does not behave as IK or K41

 \rightarrow Intermittent eddy activity use theory of She-Leveque

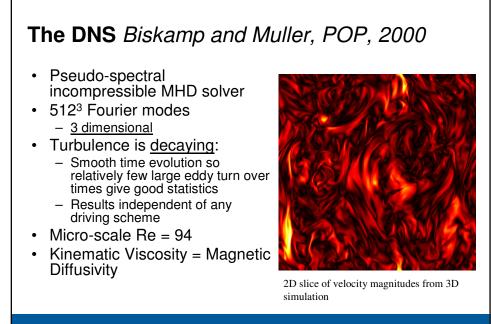
• All parameters have a physical interpretation; $C_0 = codimension$ of most dissipative structures

$$\tau_p = -\frac{2}{g}p + C_o - C_o \left(1 - \frac{2}{gC_o}\right)$$

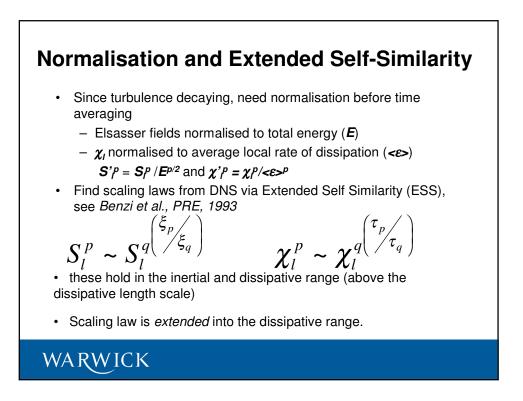
•Refined Similarity Hypothesis gives:

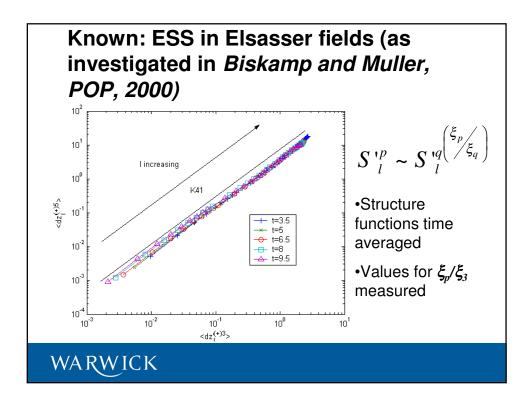
$$\xi_p = -\frac{2}{\alpha g} p + C_o - C_o \left(1 - \frac{2}{gC_o}\right)^{p/\alpha} + \frac{p}{g}$$

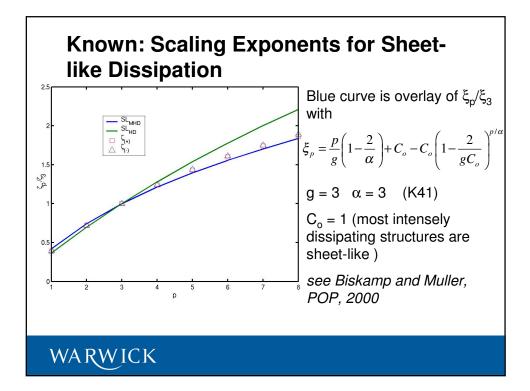
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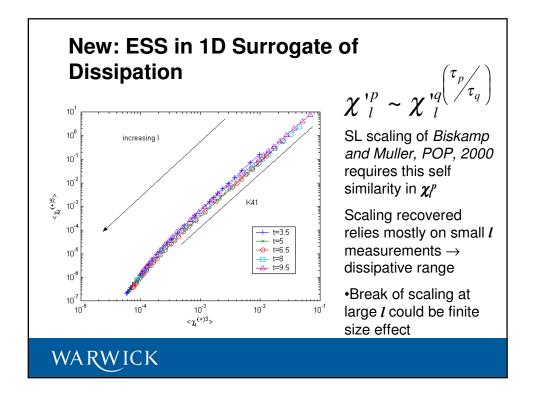


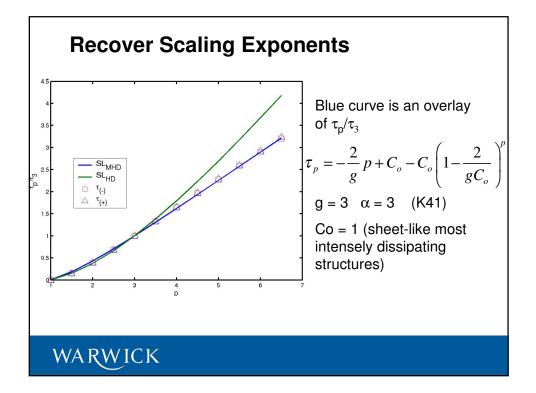
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Application to Solar Wind despite mean \overline{B} anisotropy

- Has been applied to ion thermal velocities measured from ACE see *A. Bershadskii, POP, 2003*
- Effect of mean field on exponents is quite weak for fluctuations \perp to \overline{B}
- Smooth crossover to 2D behaviour seen for large \overline{B}

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Conclusions

- New: Self-similarity has been demonstrated in the local rate of dissipation using ESS
 - This is an expected corollary of the SL interpretation given in *Biskamp and Muller, POP,* 2000
- Ratios of measured scaling exponents support the findings of *Biskamp and Muller, POP, 2000*
 - Non-linear transfer by random eddy scrambling
 - Most strongly dissipating structures are sheet-like

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