



Spin fluctuations and their effect on superconductivity in Titanium-Vanadium alloys

Joel Barker

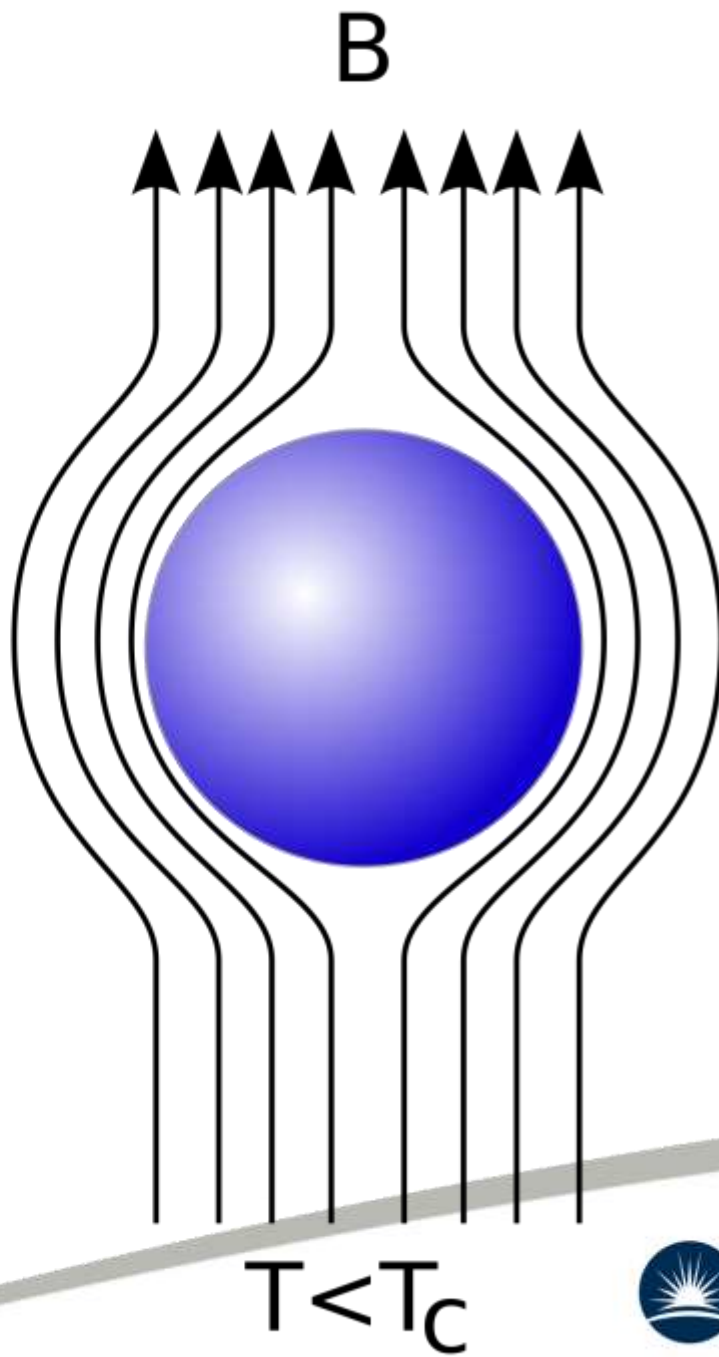
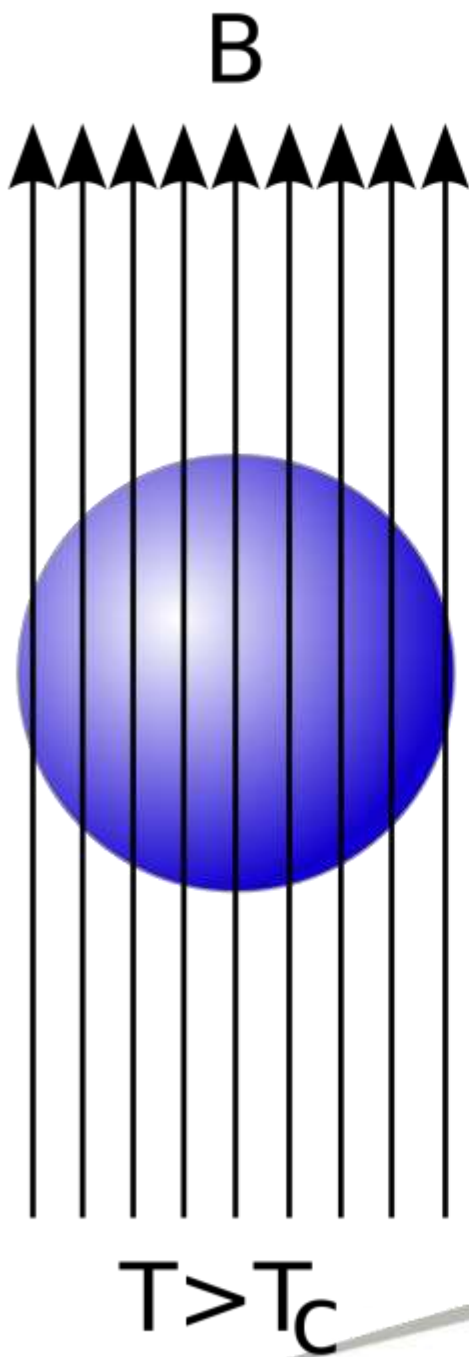
Superconductivity & Magnetism
University of Warwick

Supervised by Don Paul (Warwick) & Adrian Hillier (ISIS)

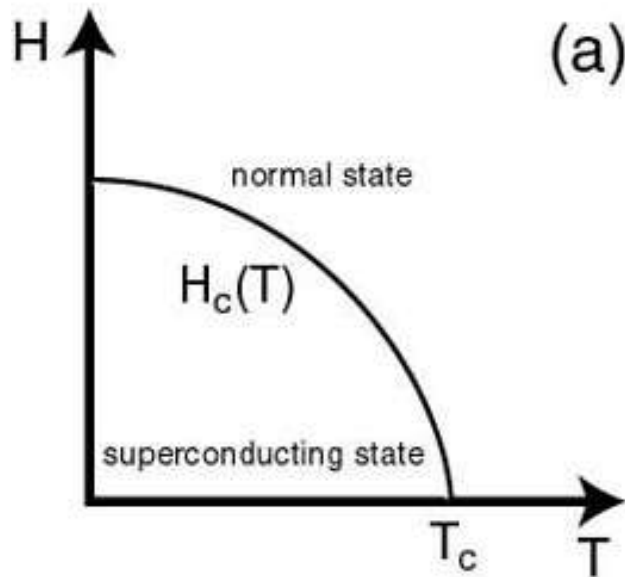
Outline

- Introduction
- Superconductivity
- μ SR
- Spin fluctuations in TiV alloys
- Outlook

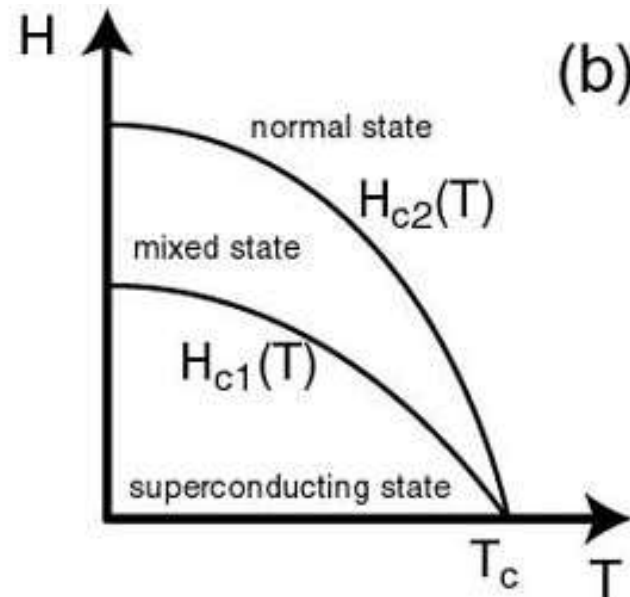




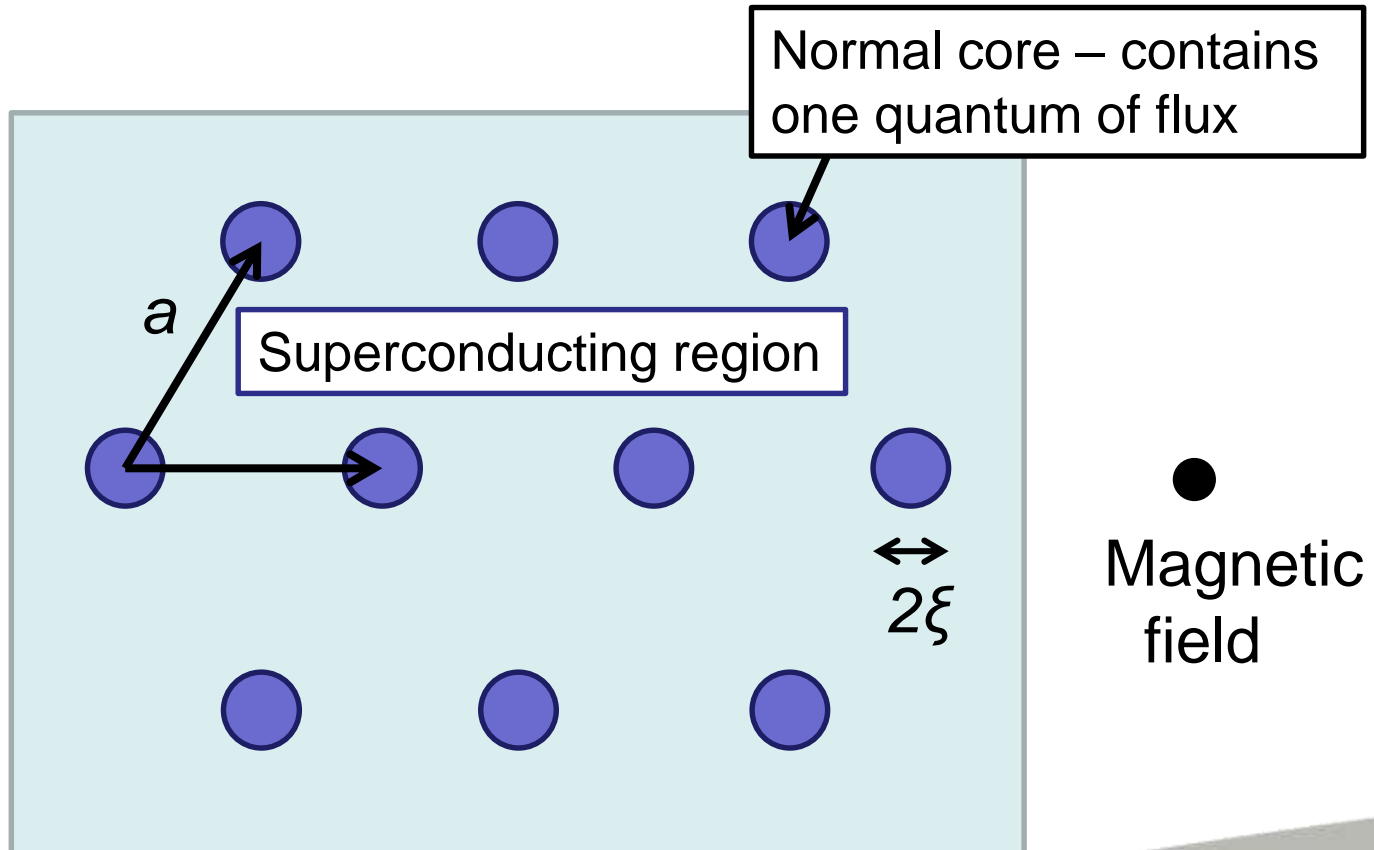
- Type I
 - Meissner state: $H < H_C$
 - Normal state: $H > H_C$

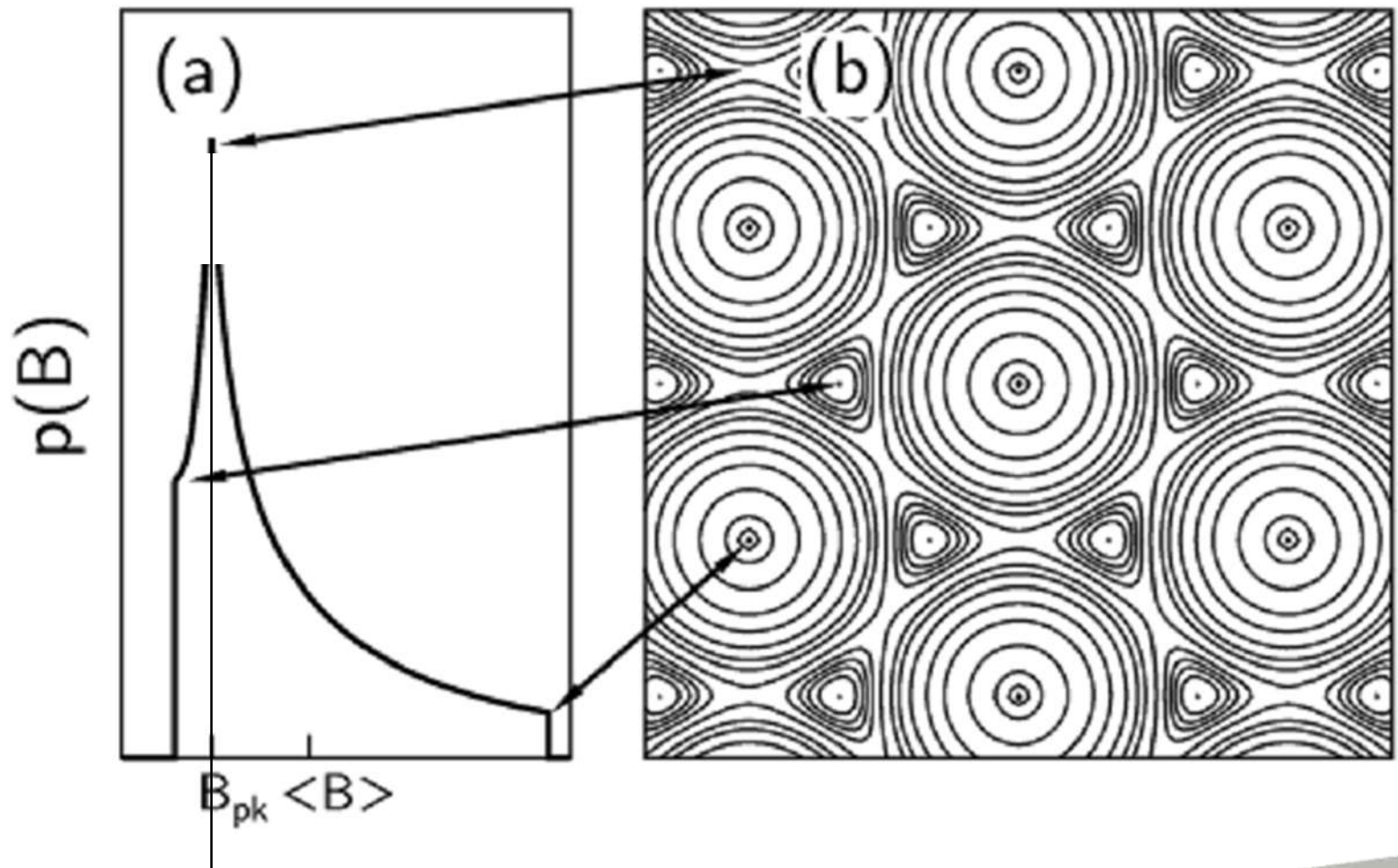


- Type II
 - Meissner state: $H < H_{C1}$
 - Mixed state: $H_{C1} < H < H_{C2}$
 - Normal State: $H > H_C$



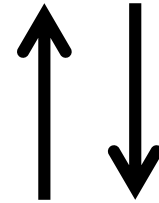
The vortex lattice





Microscopic mechanism behind superconductivity

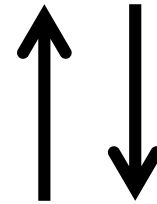
- Cooper pair of electrons: conventionally a spin singlet state
 - **No net angular momentum**



Microscopic mechanism behind superconductivity

- Cooper pair of electrons: conventionally a spin singlet state

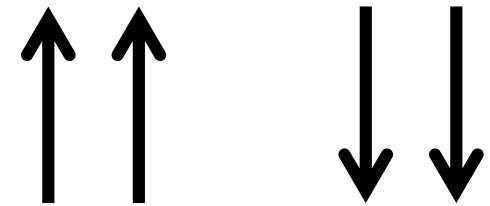
- No net angular momentum



- Unconventional pairing: spin triplet

- Net angular momentum

- Time-reversal symmetry broken

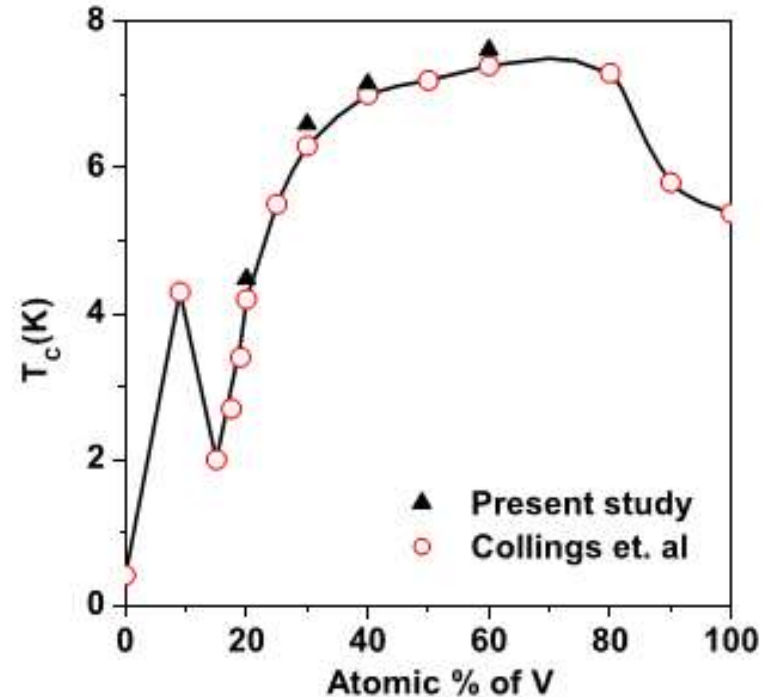


μ SR is sensitive enough to detect the low fields (~ 0.1 G) caused by triplet pairing in the superconducting state



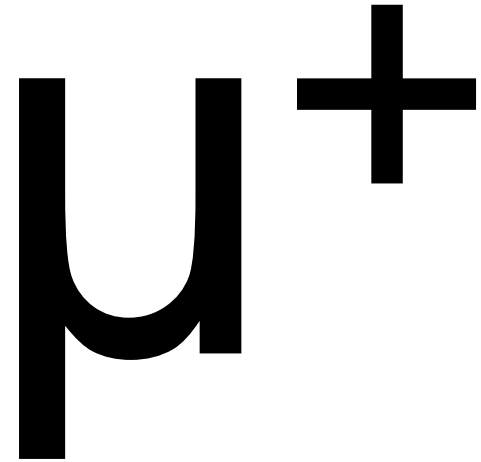
Unusual superconductivity in TiV

- T_C of TiV alloys much lower than predicted
- Hints of spin fluctuations in the presence of superconducting state
- Can we see them directly?
 - Yes, with muons
- How are they tied to the superconductivity?
 - ...not really sure



Fundamentals: the positive muon

- Microscopic particle
 - Local probe
- Spin $\frac{1}{2}$
 - Sensitive to magnetism
- $\tau_{1/2} = 2.2 \mu\text{s}$
 - Independent of material

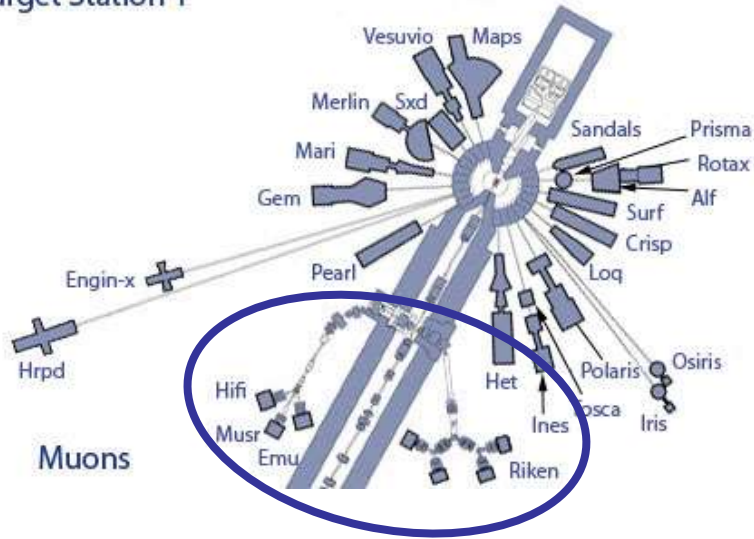


μSR provides a picture of a the local magnetic environment that may be missed by susceptibility measurements

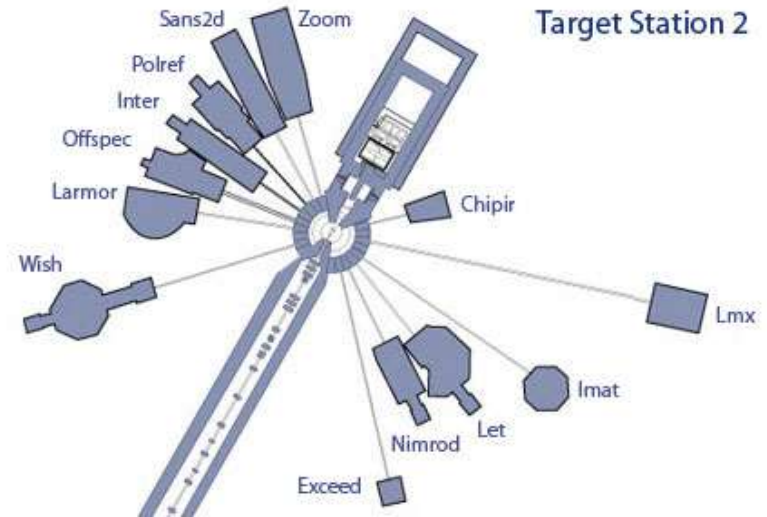


The Muon Source at ISIS

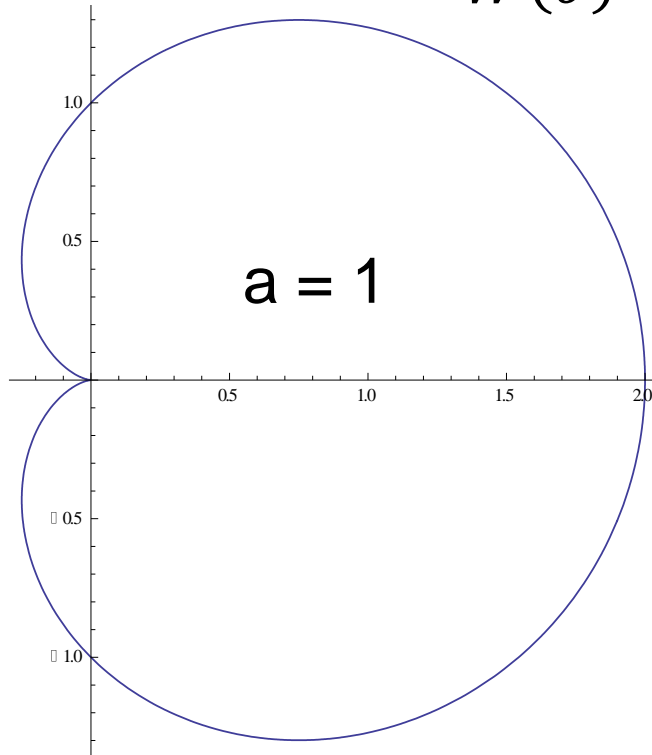
Target Station 1



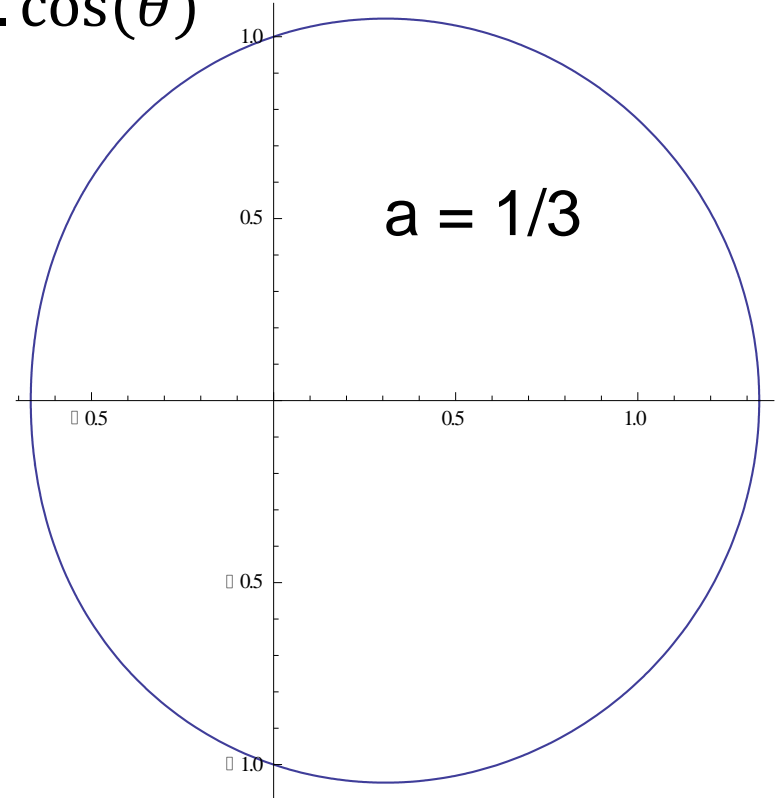
Target Station 2



$$W(\theta) = 1 + a \cdot \cos(\theta)$$

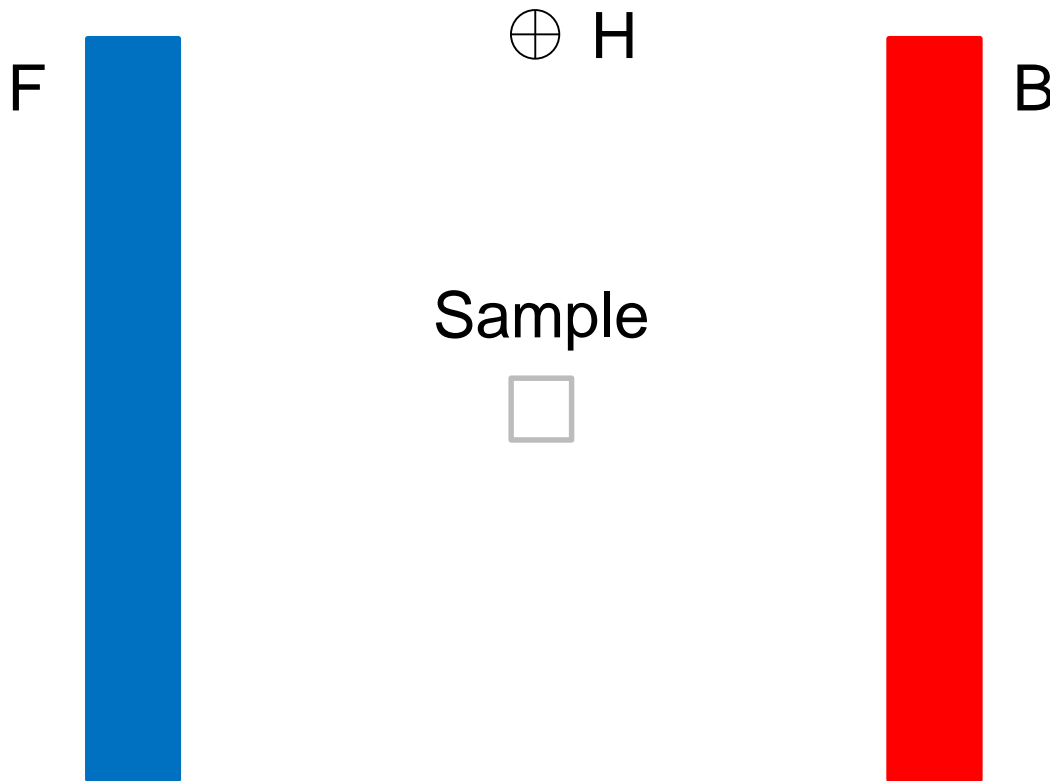


Highest energy positrons



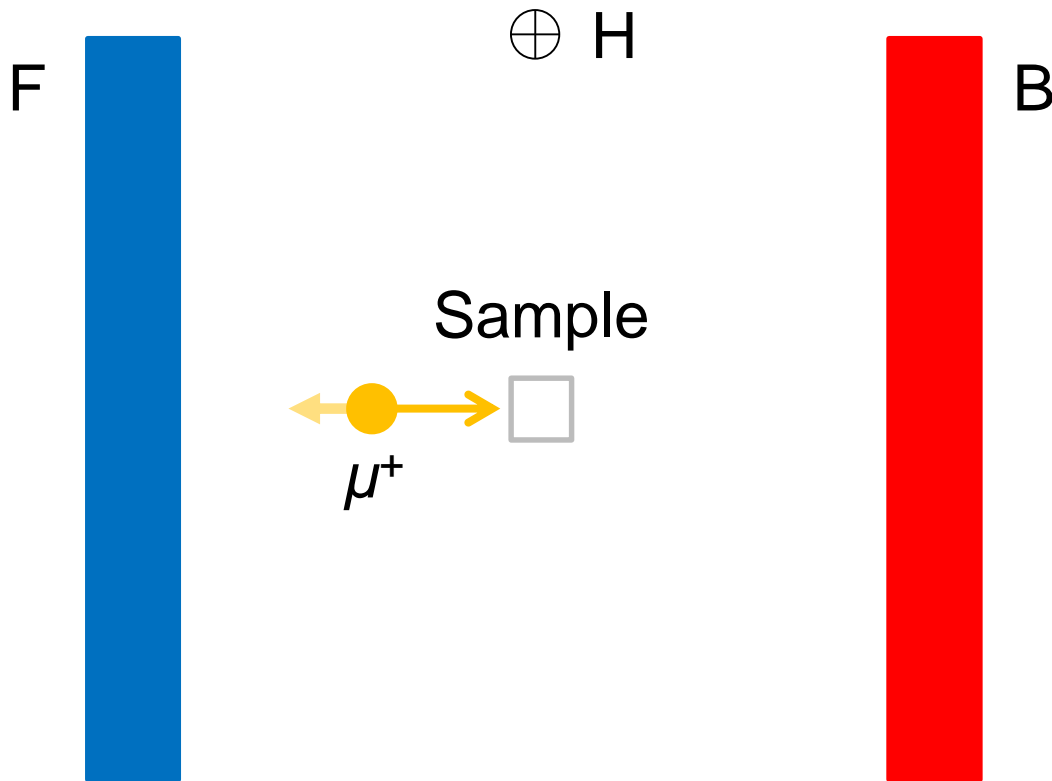
Average over all positron energies





MuSR instrument
at ISIS





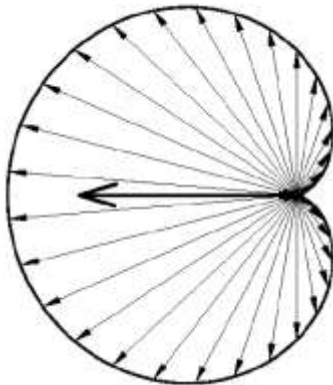
After muon pulse
implanted start
clock and begin
counting



F



\oplus H

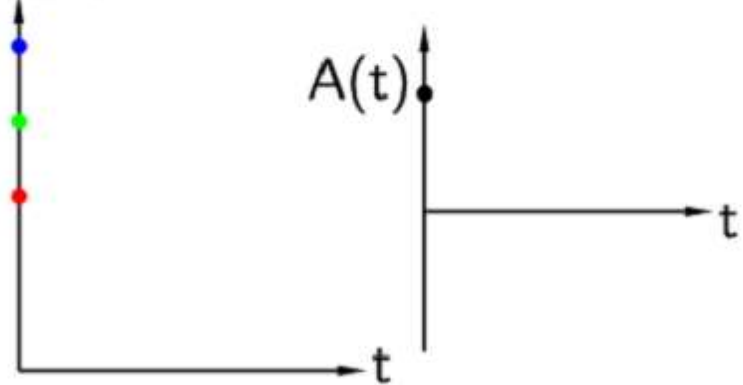


B



$$A(t) = \frac{N_F - \alpha N_B}{N_F + \alpha N_B}$$

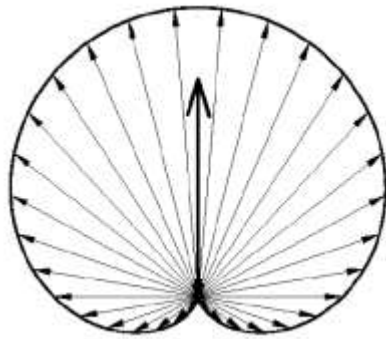
Counts



F



\oplus H

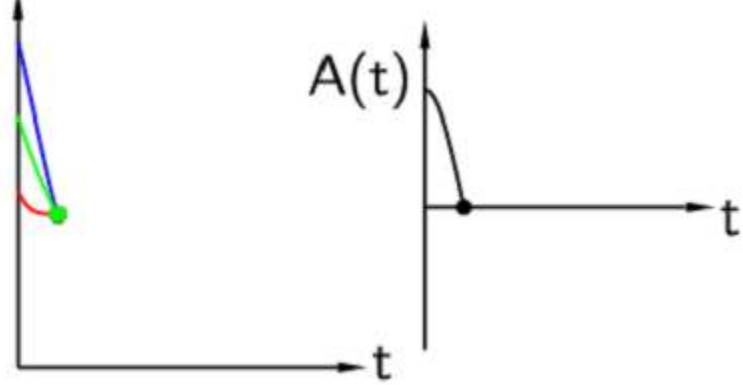


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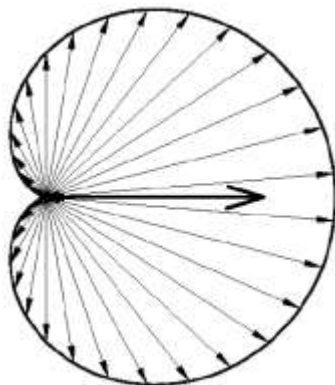
Counts



F



\oplus H

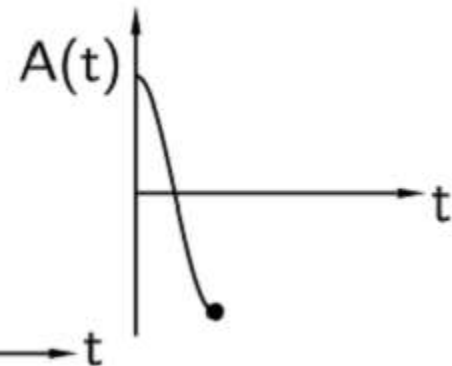
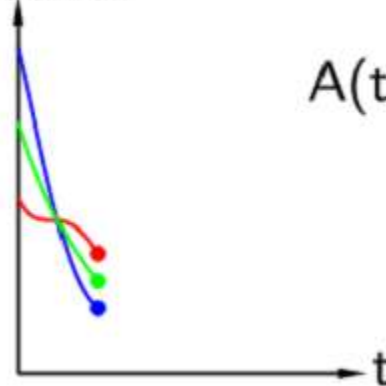


B



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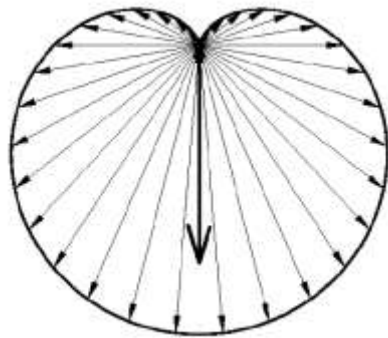
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F



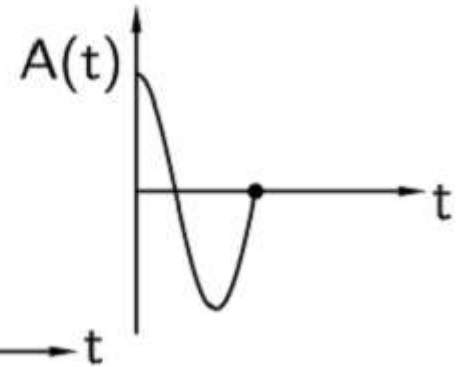
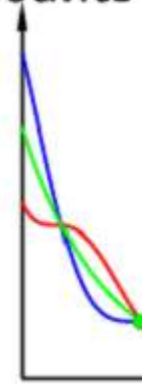
\oplus H



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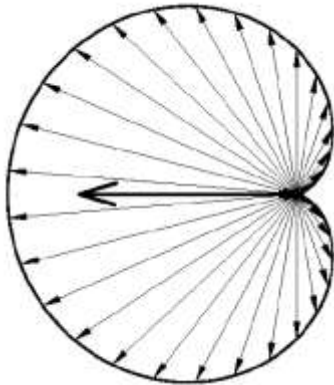
Counts



F



\oplus H

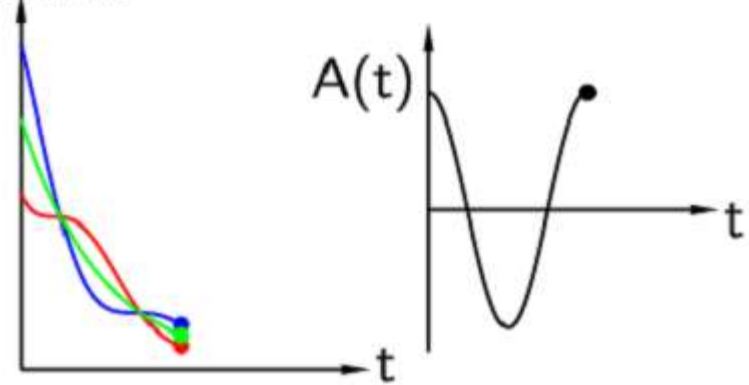


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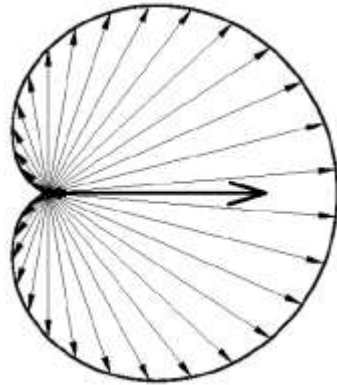
Counts



F



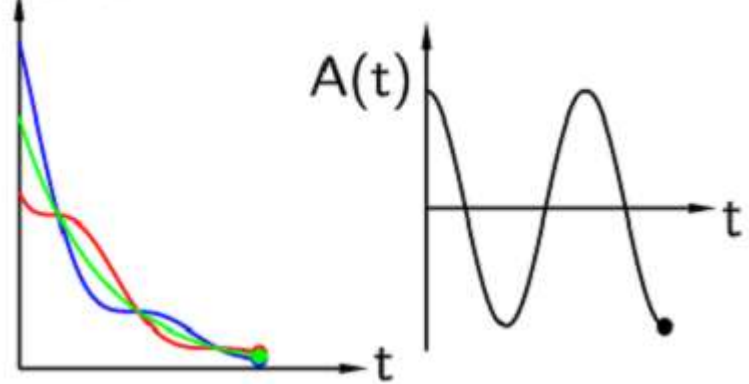
\oplus H



B

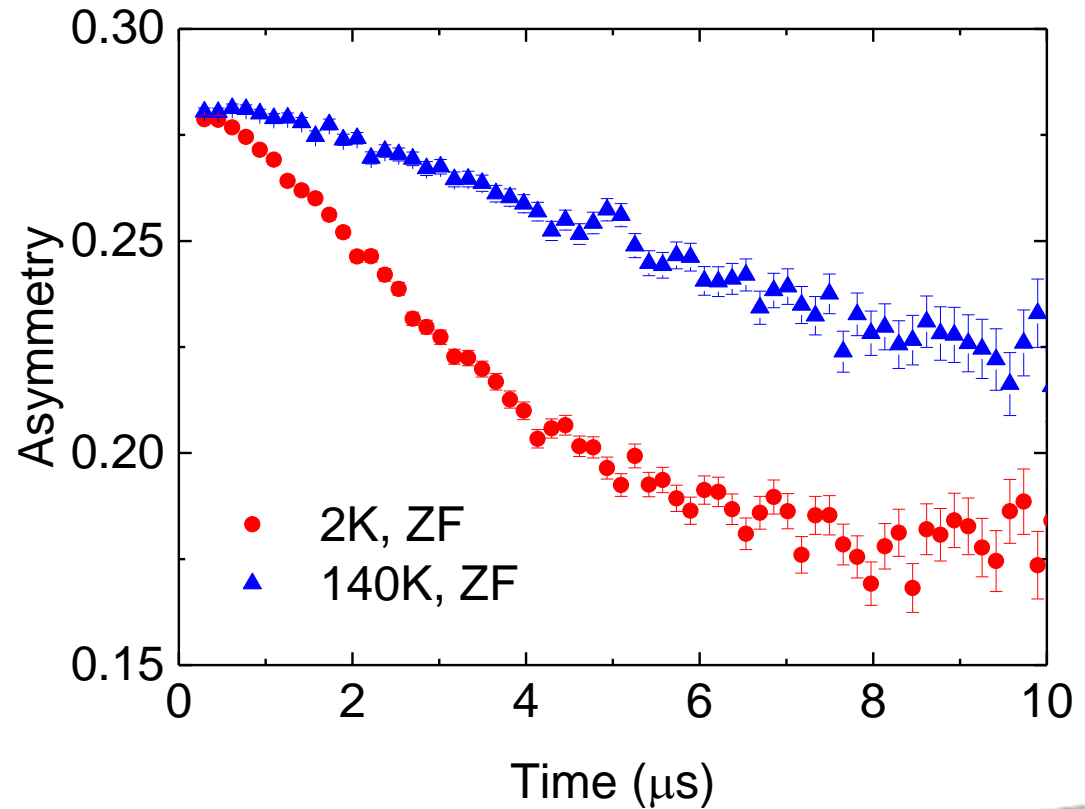
$$A(t) = \frac{N_F - \alpha N_B}{N_F + \alpha N_B}$$

Counts



Zero-field studies of $\text{Ti}_{55}\text{V}_{45}$

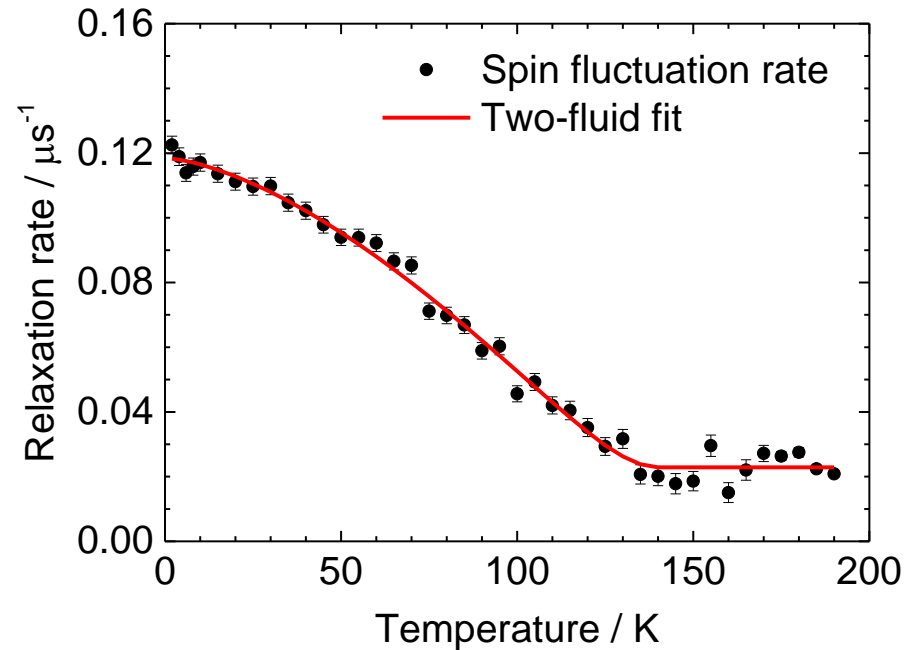
- Exponential term in relaxation function is evidence for the presence of spin fluctuations



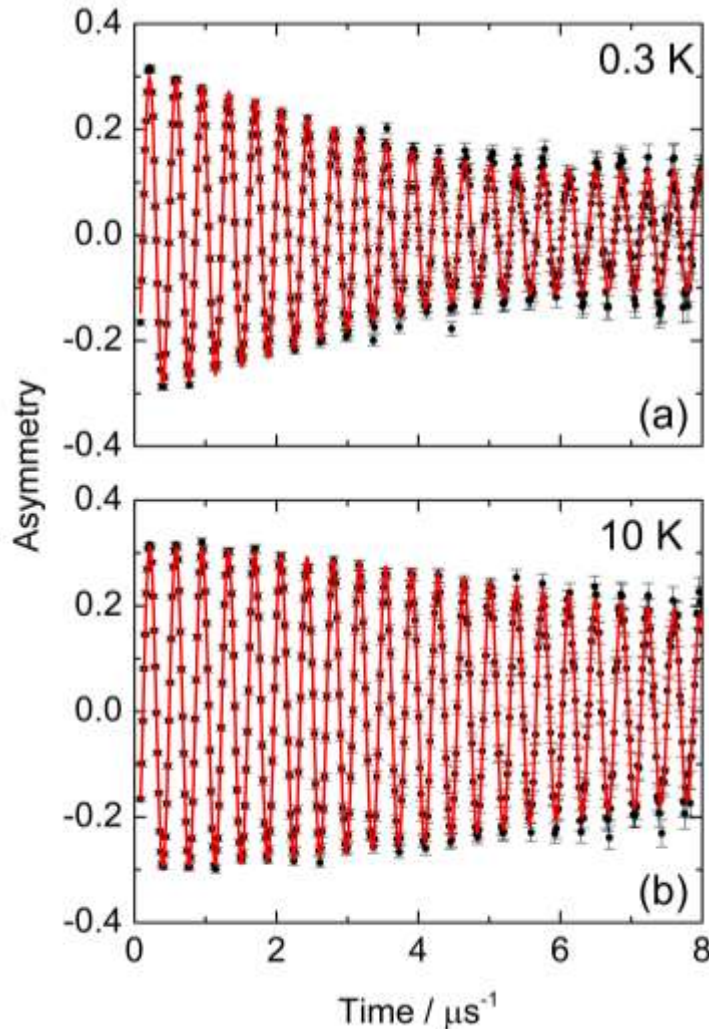
- Spin fluctuations appear to have an onset temperature of ~ 140 K

$$\Lambda(T) = \Lambda_0 \left(1 - \left[\frac{T}{T_{sf}} \right]^N \right) + \Lambda_{BG}$$

$$N = 1.54 \pm 0.09 \approx 3/2$$

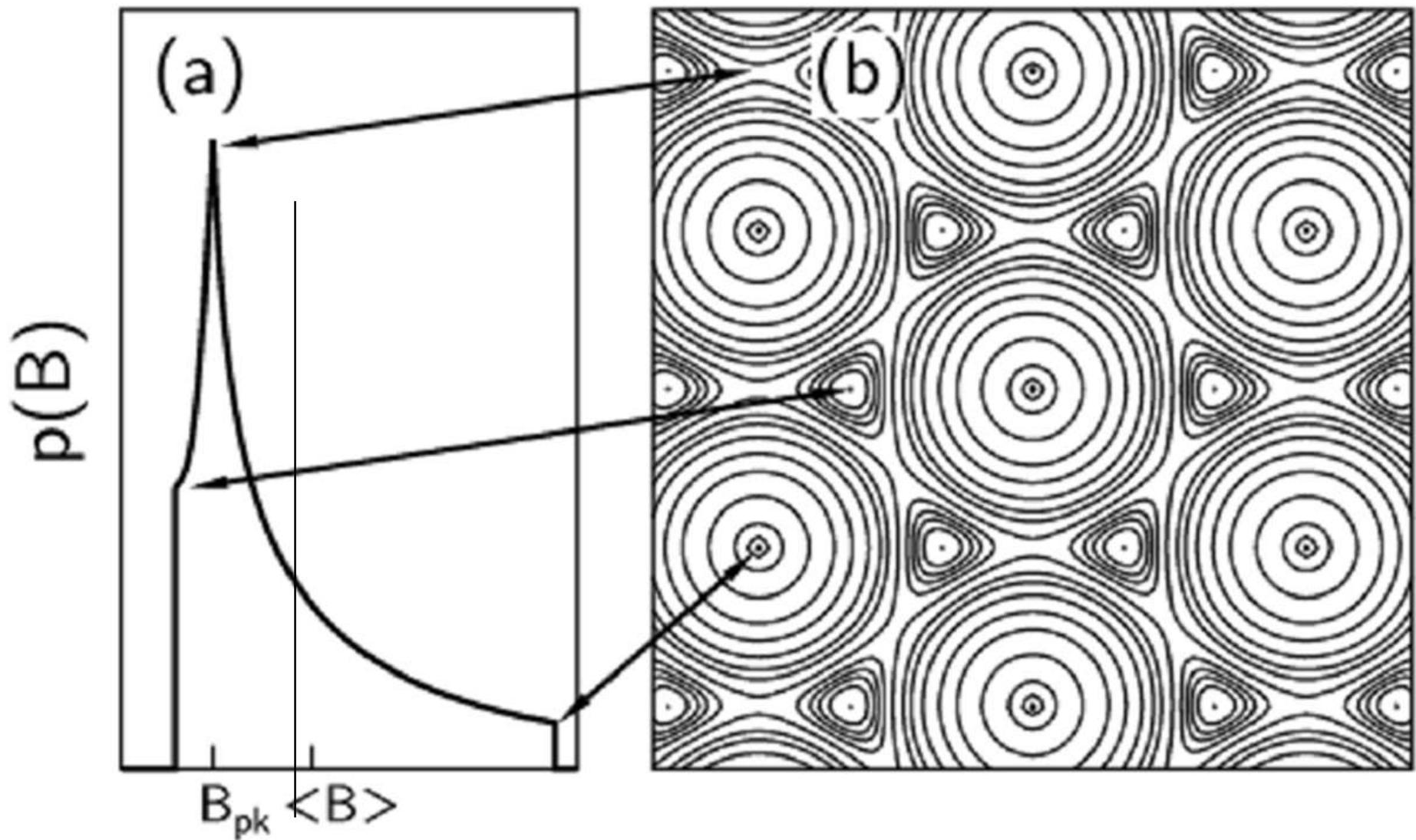


Superconducting state in $\text{Ti}_{55}\text{V}_{45}$



- Below T_C : characteristic depolarization rate caused by the vortex lattice
- Above T_C : small residual depolarization rate from randomly oriented nuclear spins





- Magnetic field distribution of the lattice leads to depolarization of the muon ensemble

Decay of oscillations $\longrightarrow \sigma \propto \frac{1}{\lambda^2} \propto \frac{n_s}{m^*}$

Magnetic penetration depth $\longleftarrow \lambda^2$

Superconducting carrier density $\longleftarrow n_s$

Effective mass $\longleftarrow m^*$



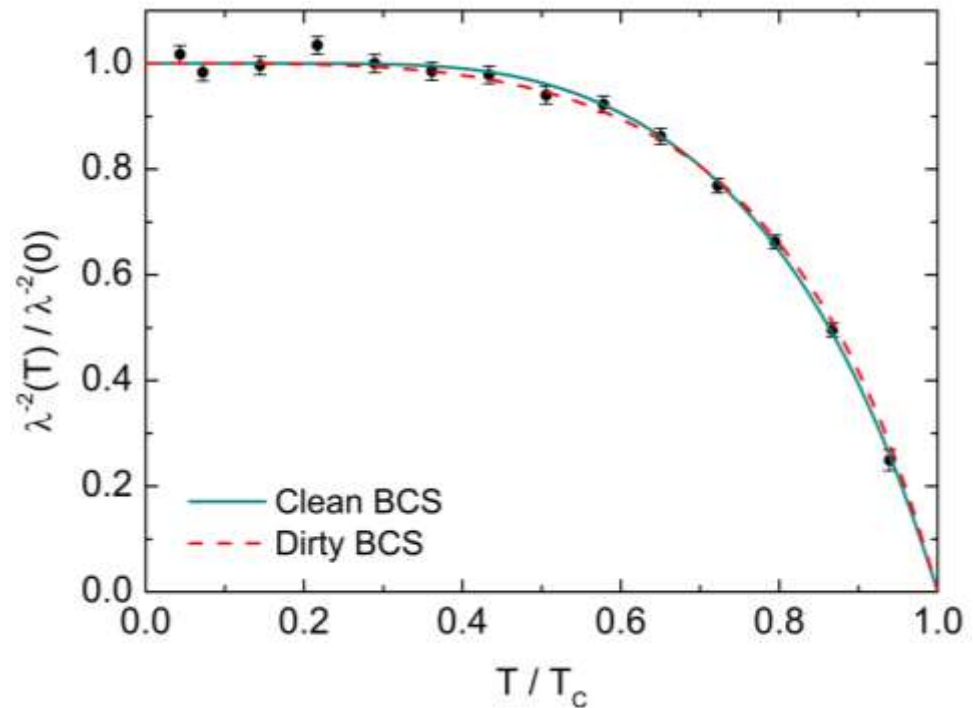
- Isotropic energy gap of 2.1 ± 0.2 meV
- Expected:

$$\frac{2\Delta_{BCS}}{k_B T_C} = 3.528$$

- For TiV

$$\frac{2\Delta_{TiV}}{k_B T_C} = 7.2 \pm 0.4$$

$$\lambda = 536 \pm 2 \text{ nm}$$



- Predicted $T_{C,pr} = 13.7$ K (using the McMillan formula)

$$- T_{C,pr} = \frac{\theta_D}{1.45} \exp \left\{ -1.04 \frac{1+\lambda}{\lambda - \mu^* - 0.62\lambda\mu^*} \right\}$$

$$\frac{2\Delta_{TiV}}{k_B T_{C,pr}} = 3.56$$

- Much closer to BCS value



- Predicted $T_{C,pr} = 13.7$ K (using the McMillan formula)

$$- T_{C,pr} = \frac{\theta_D}{1.45} \exp \left\{ -1.04 \frac{1+\lambda}{\lambda - \mu^* - 0.62\lambda\mu^*} \right\}$$

$$\frac{2\Delta_{TiV}}{k_B T_{C,pr}} = 3.56$$

$$\frac{2\Delta_{BCS}}{k_B T_C} = 3.528$$

- Much closer to BCS value



Conclusions

- Spin fluctuations coexist with superconductivity, and have an onset temperature of ~ 140 K
- Temperature dependence of the penetration depth fits an s-wave BCS model
- Magnitude of energy gap is too large for measured T_c
- Are spin fluctuations unconventionally pairing the Cooper pairs? Or are they suppressing the conventional singlet superconductivity?



Outlook

- Single crystals + SANS study
 - Koss, 1976
- Stoichiometry variation study with μ SR



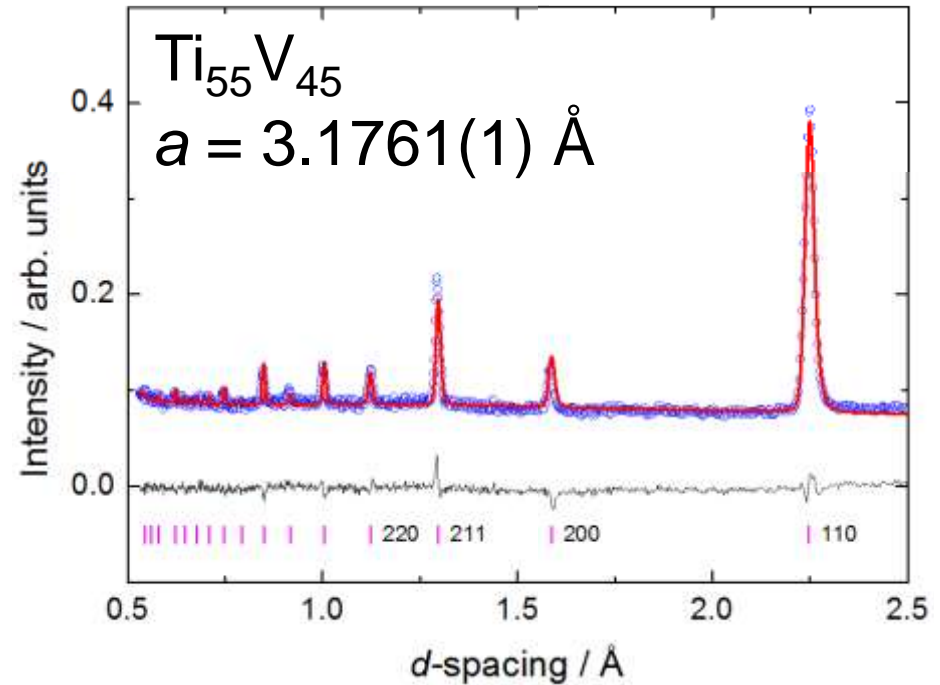
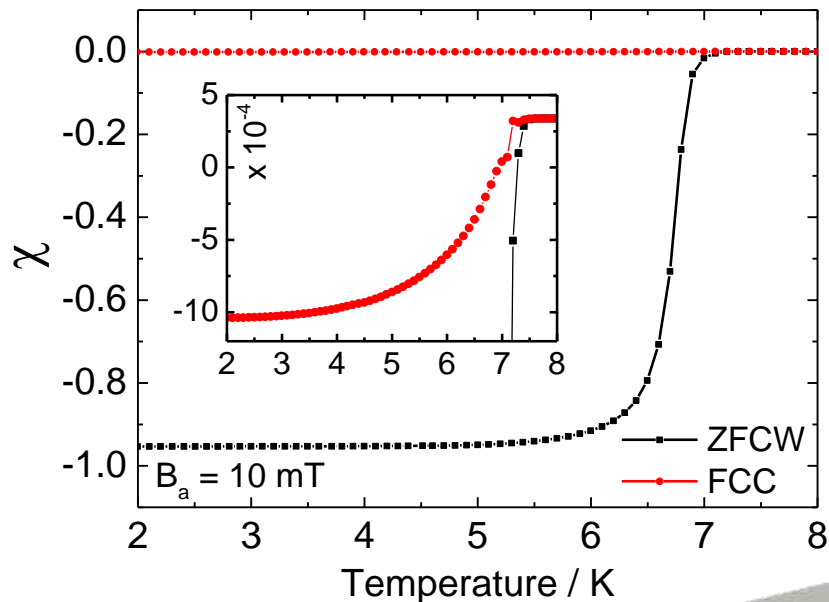
Thanks for listening.



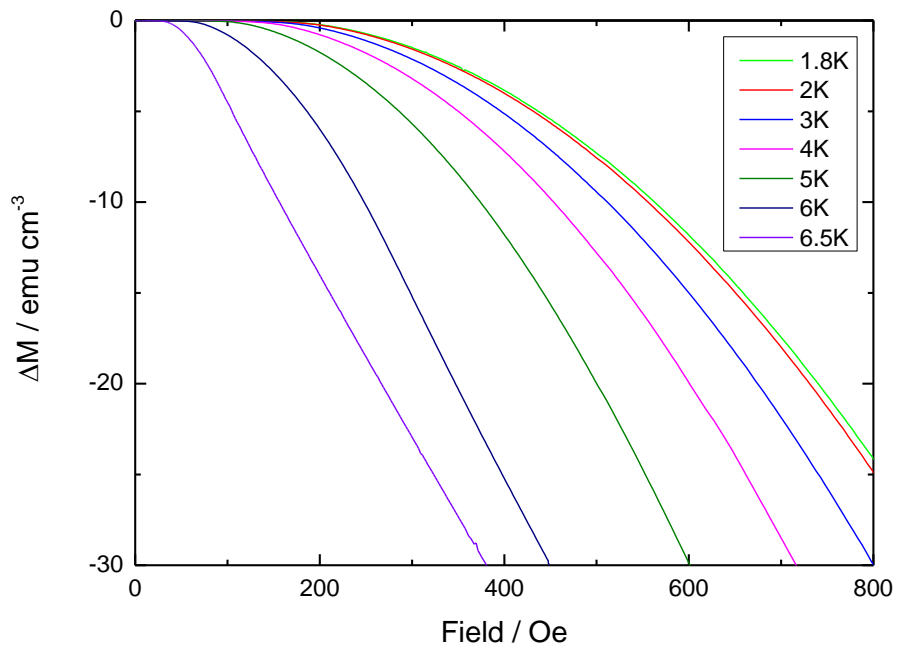
Science & Technology
Facilities Council

Growth & characterization

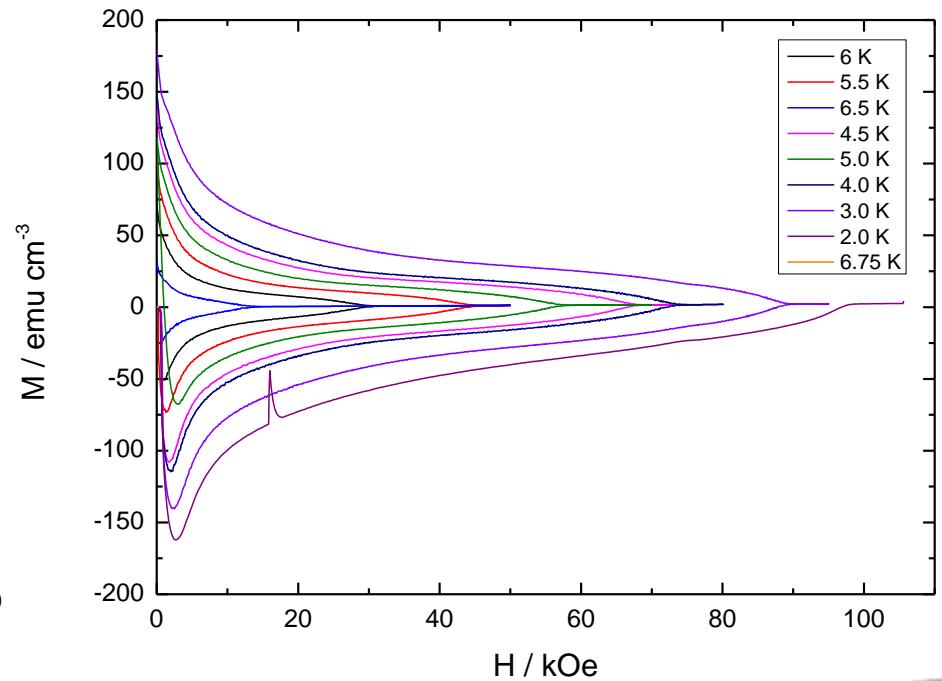
- GSAS: refined to single *bcc* phase with expected *Im-3m* spacegroup



Growth & characterization



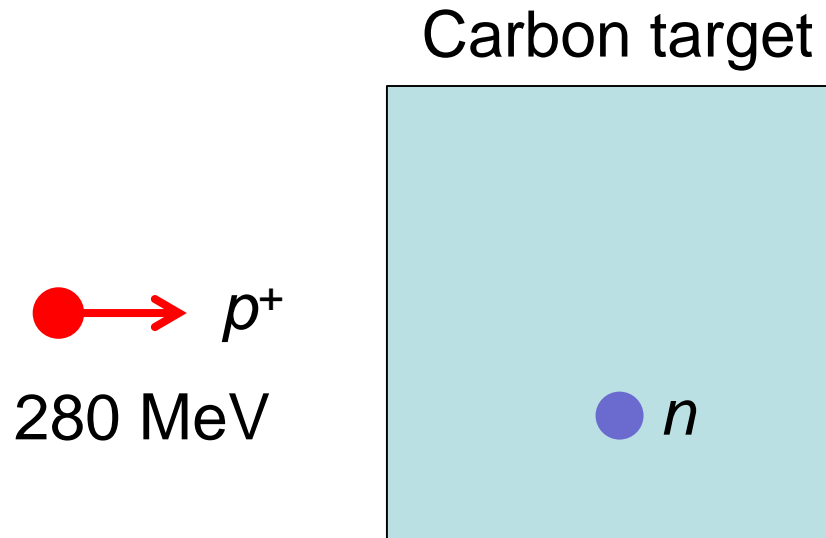
$$H_{C1}(0) = 86(2) \text{ G}$$



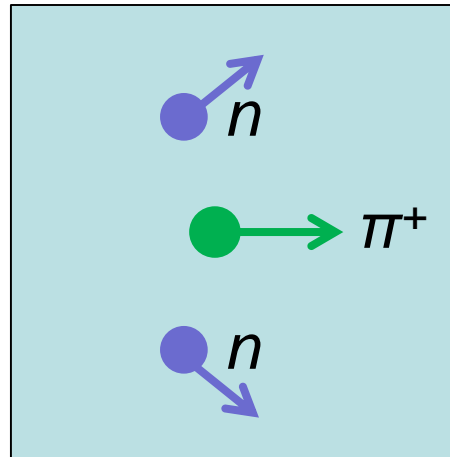
$$H_{C2}(0) = 110(1) \text{ kG}$$



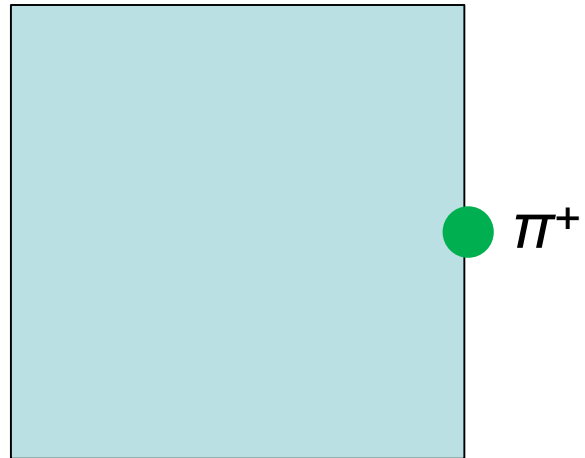
Muon production



Muon production



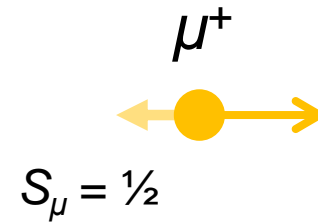
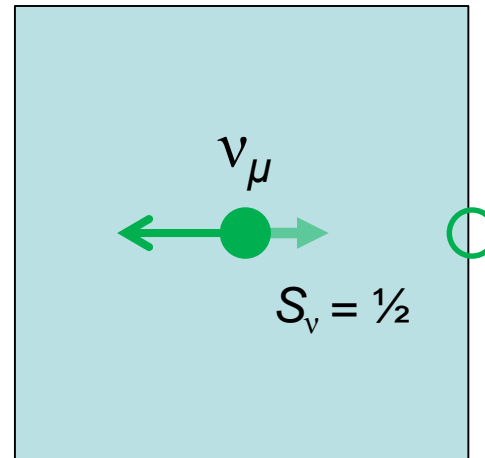
Muon production



Pions that decay at rest at the surface of the target



Muon production

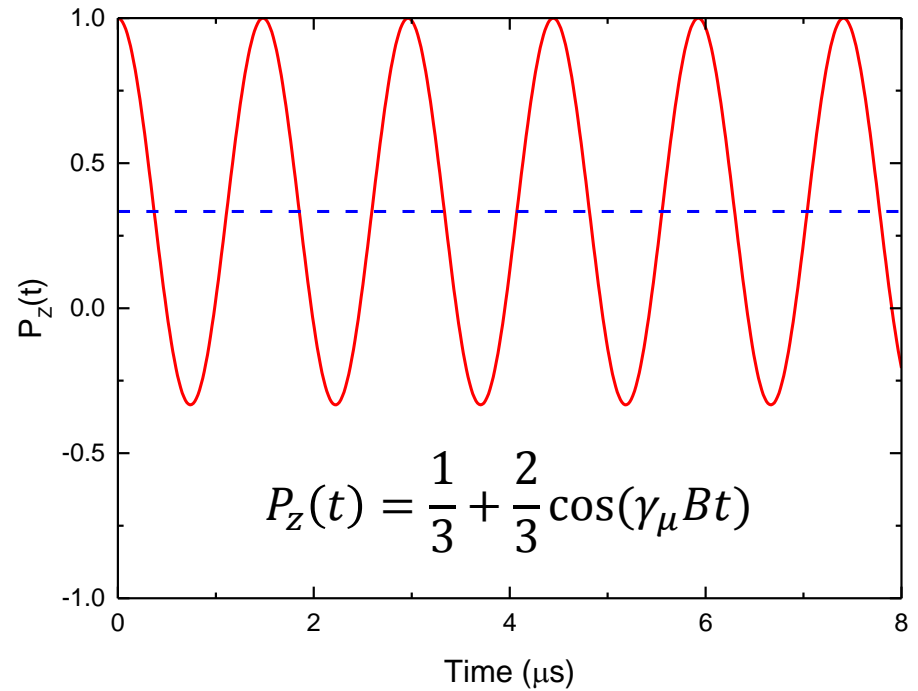
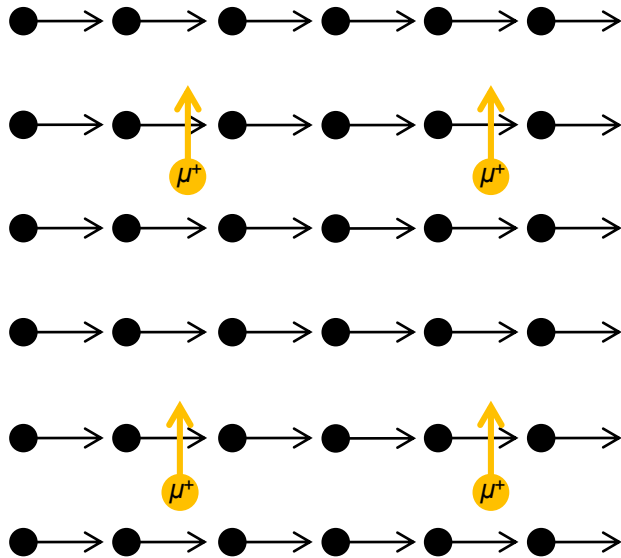


100% spin polarized
muon beam thanks
to parity violation



Example spectra (LF)

- Static order



- Static disorder

